
All the Binaries Together

A Semantic Approach to ABIs

— **Andrew Wagner, Amal Ahmed** —



(Secure Interoperability, Languages, and Compilers)

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“The standard is haunted ... by that **Three Letter Demon**. ... a contract was forged in blood.”

– JeanHeyd Meneide, WG14 C/C++ Compatibility Chair



What Is an ABI?

ⁱⁿ ^ What Is an ABI?






- Data layouts
- Calling conventions
- Name mangling
- + *Safety invariants*
- + *Ownership*

...

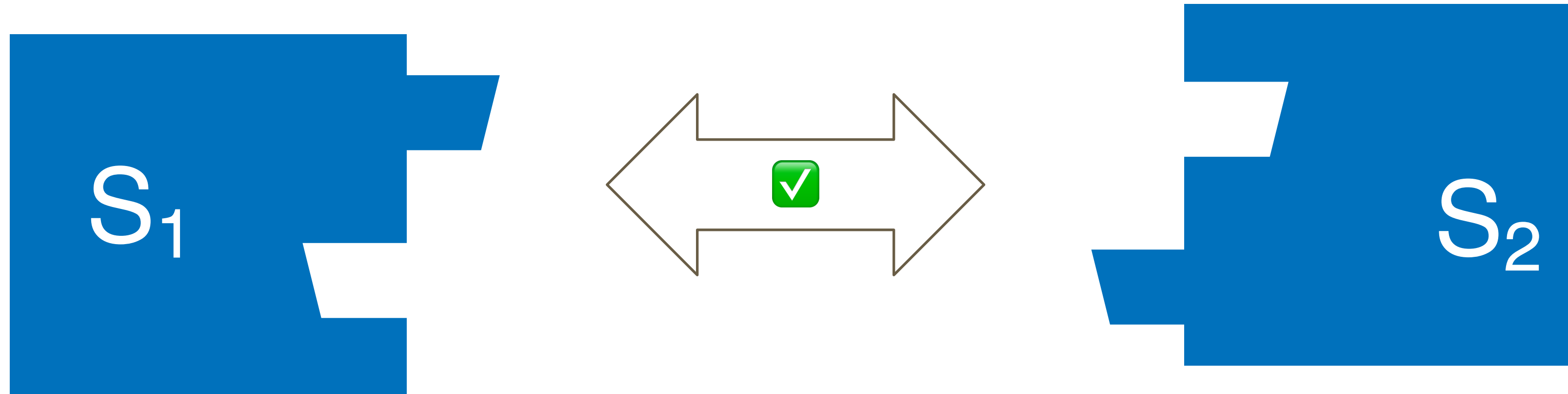
What Is an ABI?^{in ^}

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- ...

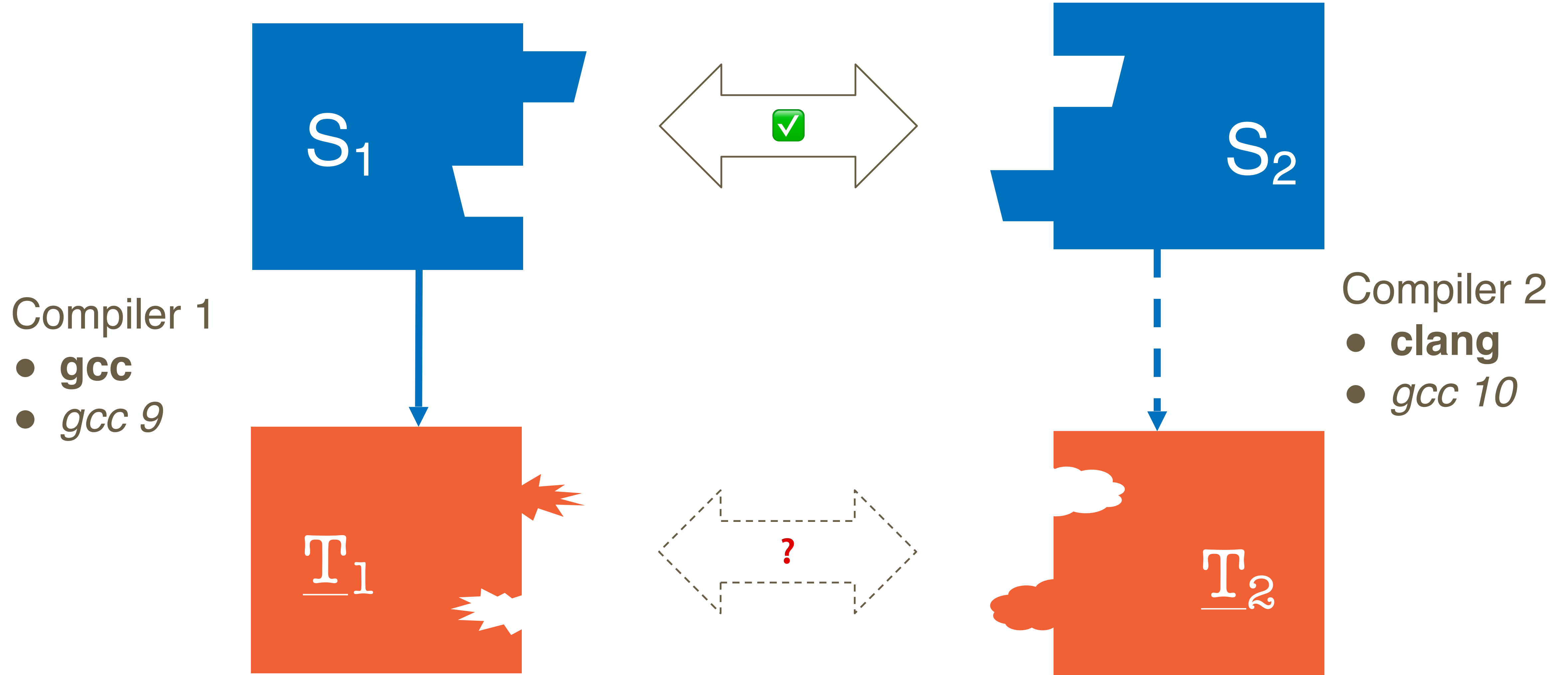
Who Cares?

- ★  *Swift: ABI Stability Manifesto*
- ★  *Rust: crABI*
- ★  *C++: WG21 ARG*
- ★  *WASM: Component Model*
- ★  **You!**

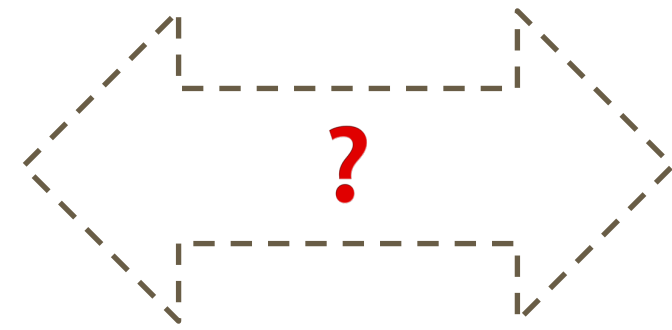
All the Compilers Together



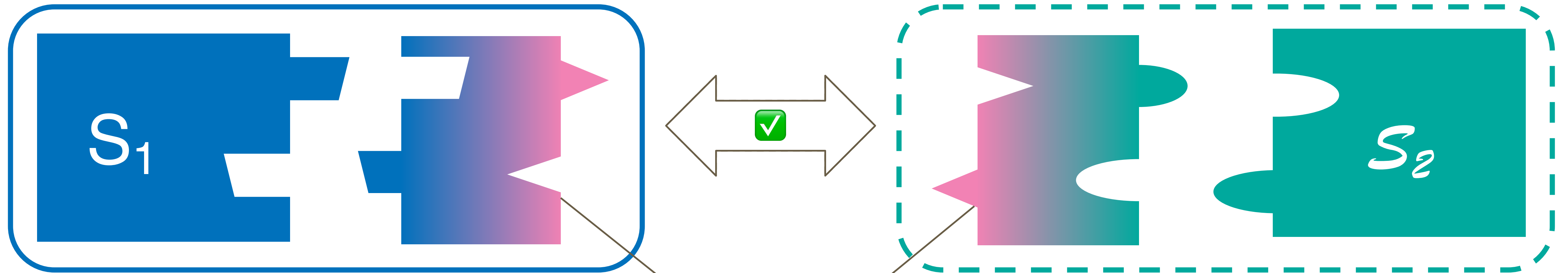
All the Compilers Together



All the Languages Together

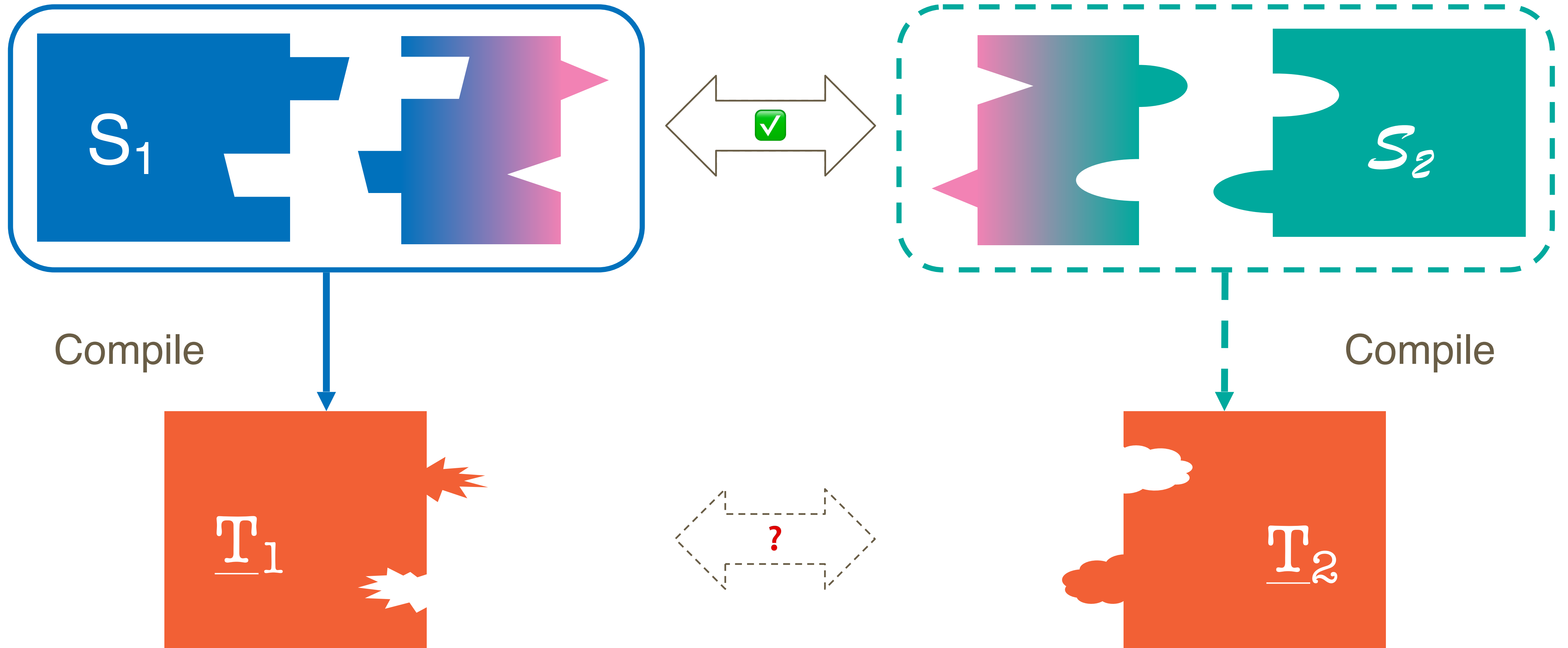


All the Languages Together

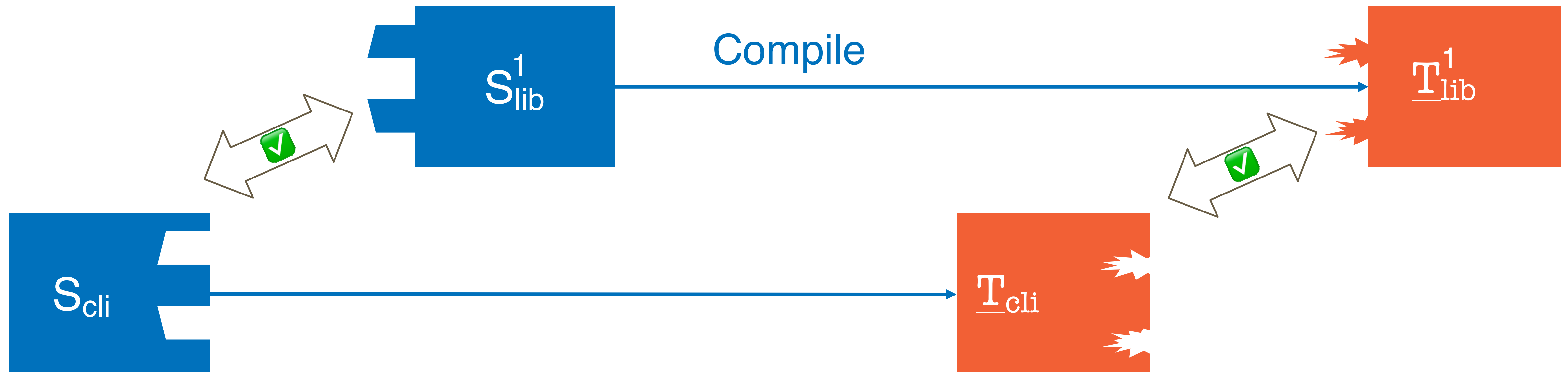


- Multi-Lang. Boundaries [MF07]
- Linking Types [PWA23]
- Probably a **C** FFI 🙄

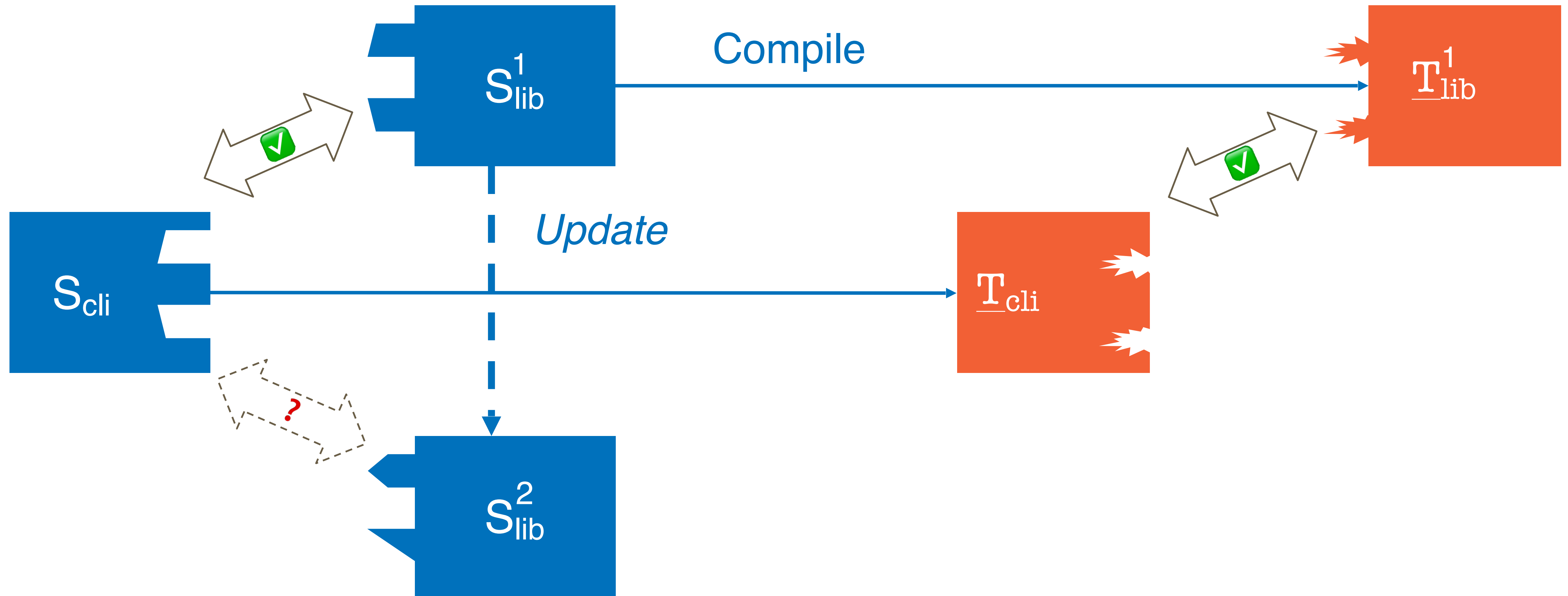
All the Languages Together



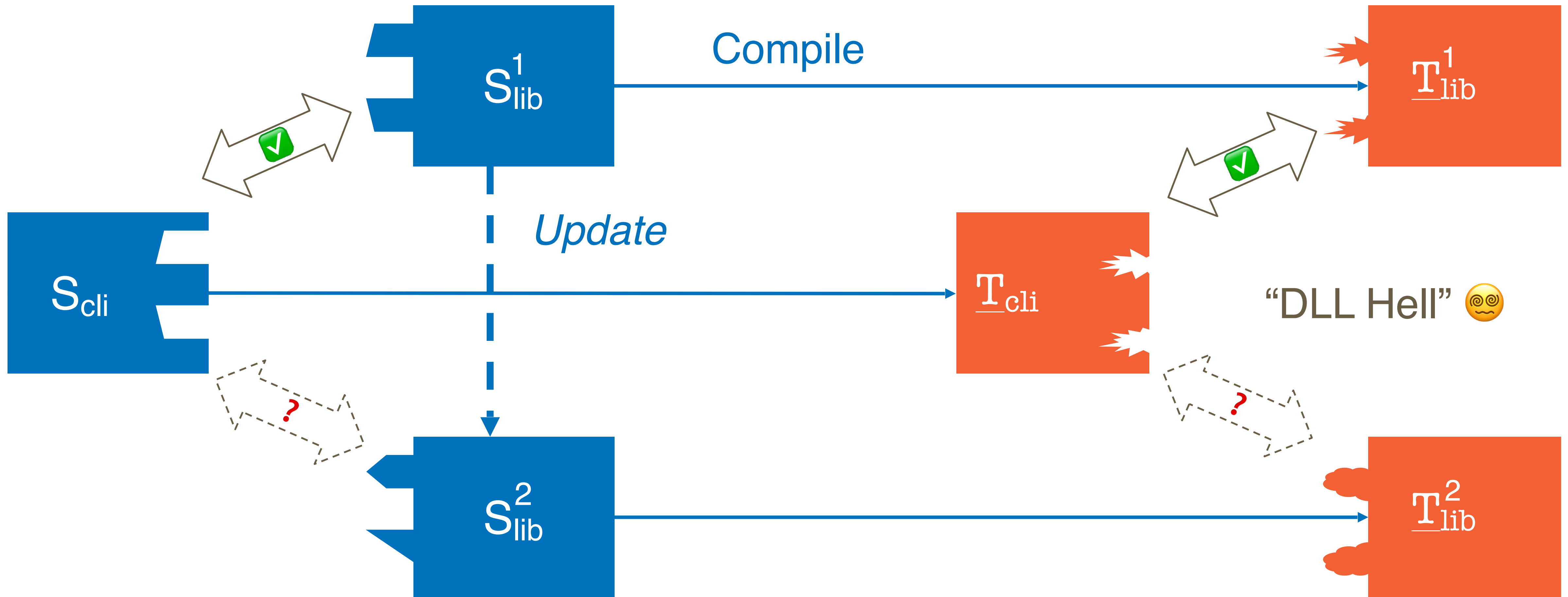
All the Libraries Together



All the Libraries Together



All the Libraries Together



Towards a Formal ABI

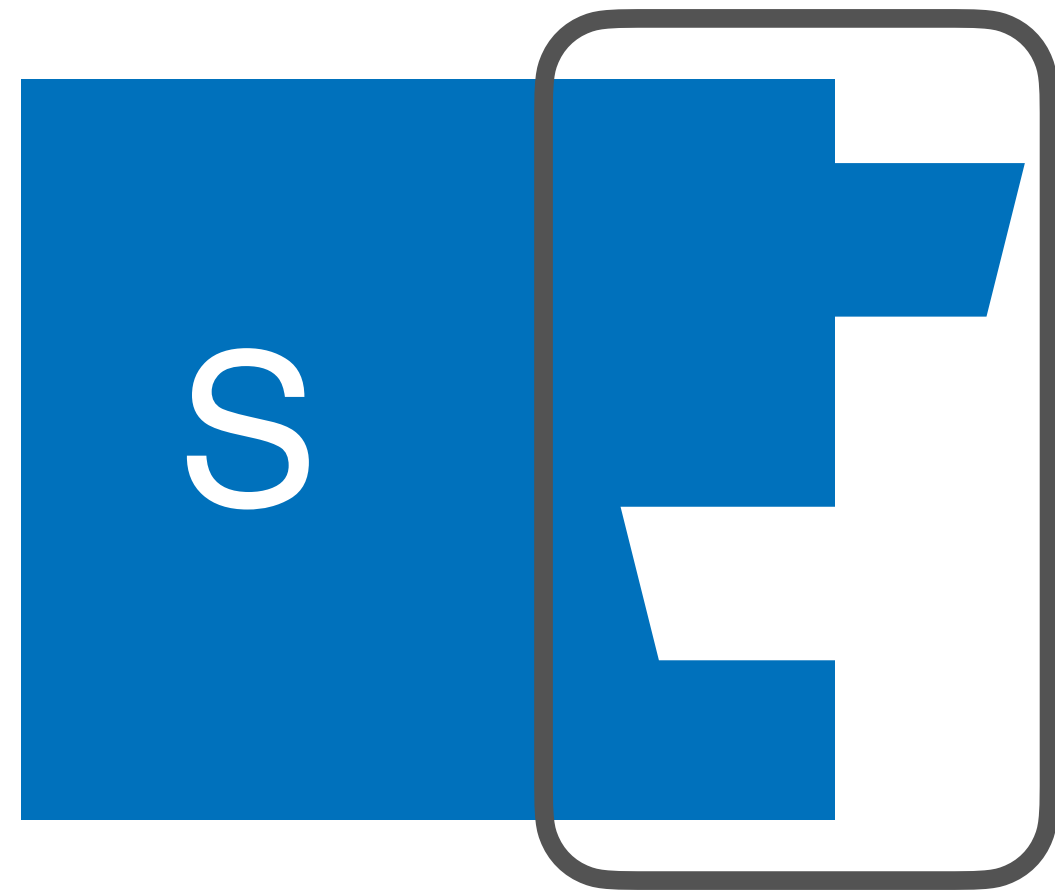
- Languages are already grappling with these problems
- Growing dissatisfaction with status quo
- Demand for richer ABIs
- Design decisions, tradeoffs, uncharted territory

Towards a Formal ABI

- Languages are already grappling with these problems
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Can we provide a semantic foundation?

What Is an ABI, Formally?

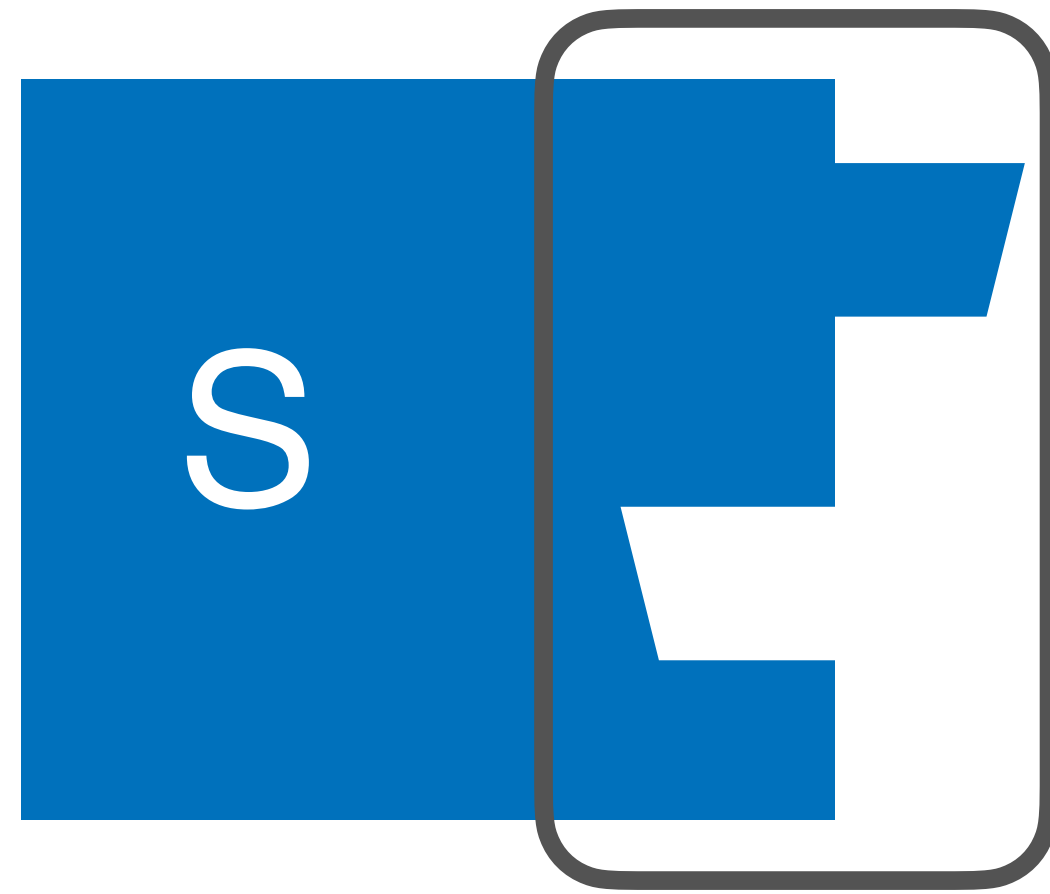


“This source interface ...”



“... describes target programs like this”

What Is an ABI, Formally?



“This source interface ...”

This Type τ

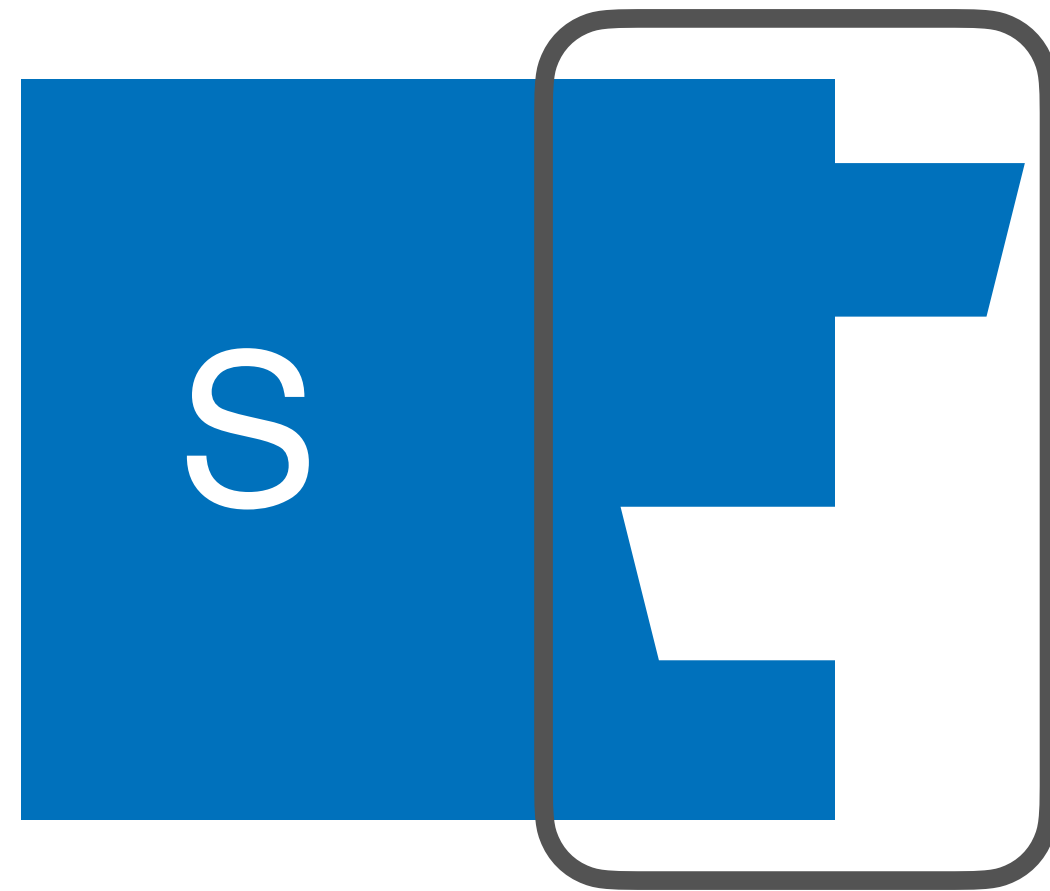


“... describes target programs like this”

Denotes These Programs

$\llbracket \tau \rrbracket = \{ \underline{T} \mid \dots \}$ ————— Semantic Typing via Realizability

What Is an ABI, Formally?



“This source interface ...”

This Type τ

\underline{T} is **ABI compliant** with τ if

$$\underline{T} \in \llbracket \tau \rrbracket$$



“... describes target programs like this”

Denotes These Programs

$\llbracket \tau \rrbracket = \{ \underline{T} \mid \dots \}$ ————— Semantic Typing via Realizability

T is ABI compliant with τ if

$$\underline{T} \in \llbracket \tau \rrbracket$$

Is this a good spec?

T is **ABI compliant** with τ if

$$\underline{T} \in \llbracket \tau \rrbracket$$

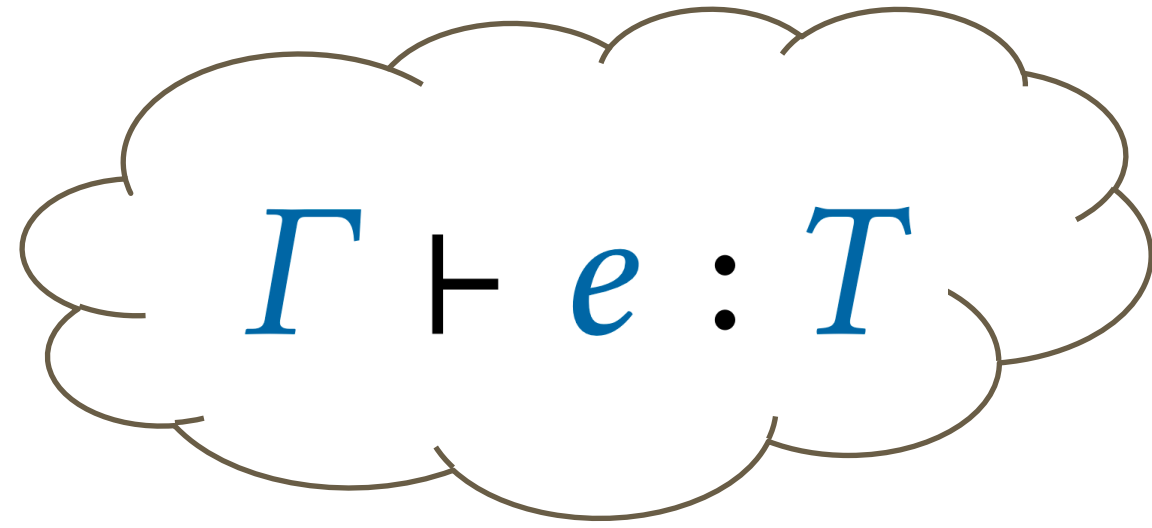
Is this a good spec?

1. **Formalization:** Can the spec capture all the pertinent details?
2. **Application:** Can the spec be used in all the relevant scenarios?

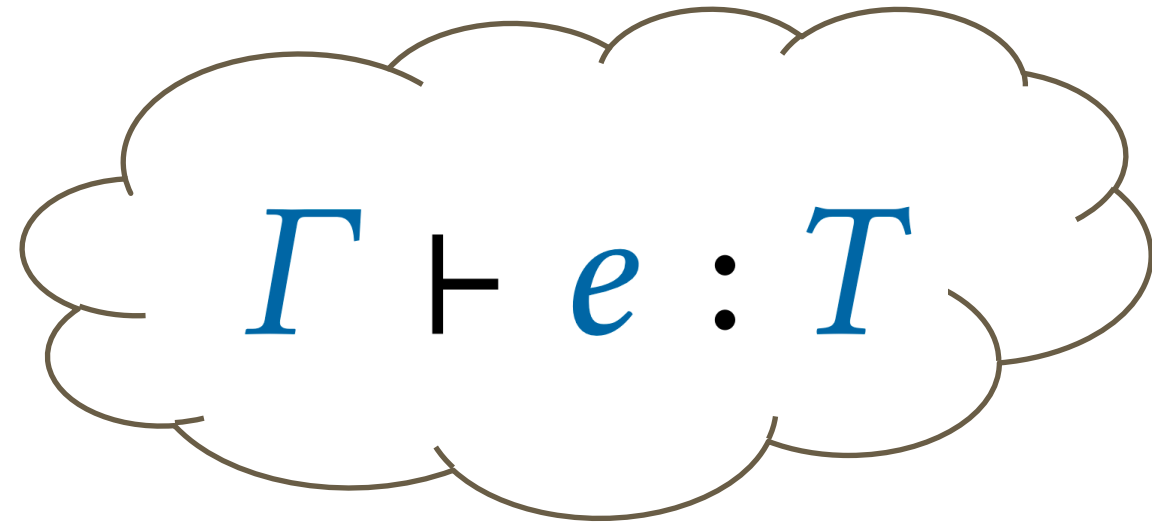
Case Study: Reference Counting

- PCF-ish Source
 - Records, variants, higher-order recursive functions
- C-ish Target
 - Block-based memory, pointer arithmetic
- Reference Counting ABI
 - All values are boxed and reference-counted
 - Separation logic specification

Formalization: Semantic Typing via Realizability


$$\Gamma \vdash e : T$$

Formalization: Semantic Typing via Realizability


$$\Gamma \vdash e : T$$

$$\Gamma \Vdash e : T$$

Formalization: Semantic Typing via Realizability

$$\Gamma \vdash e : T$$

$$\Gamma \vDash e : T$$

$$\approx \left\{ \text{“Prestate like } \Gamma \text{”} \right\} e \left\{ v. \text{“} v \text{ like } T \text{”} \right\}$$

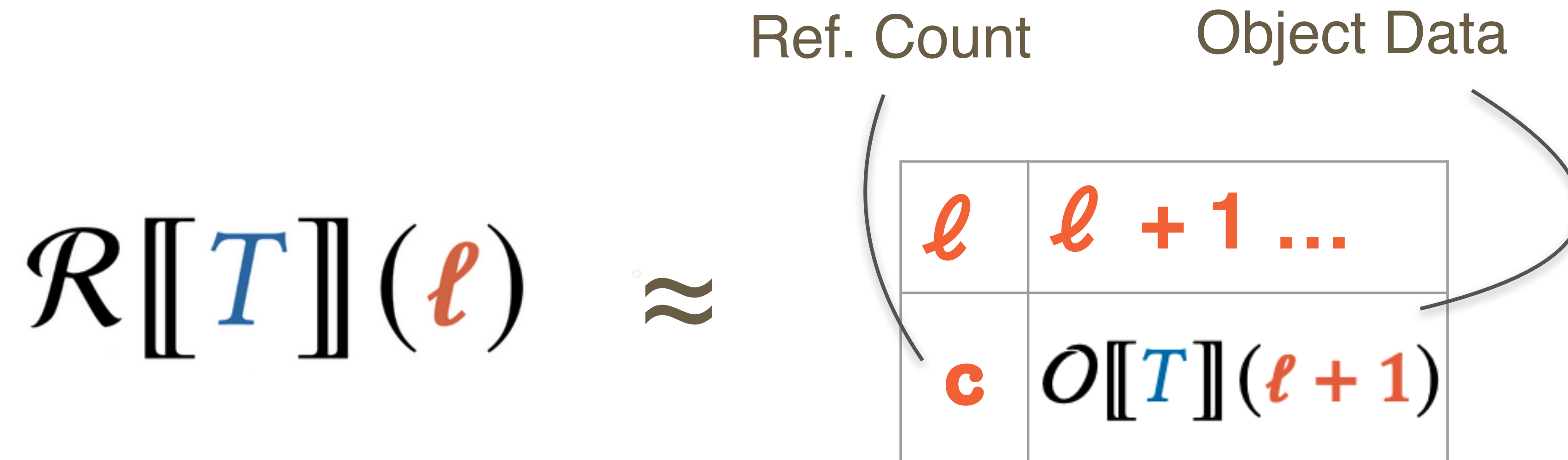
Formalization: Semantic Typing via Realizability

$$\Gamma \vdash e : T$$

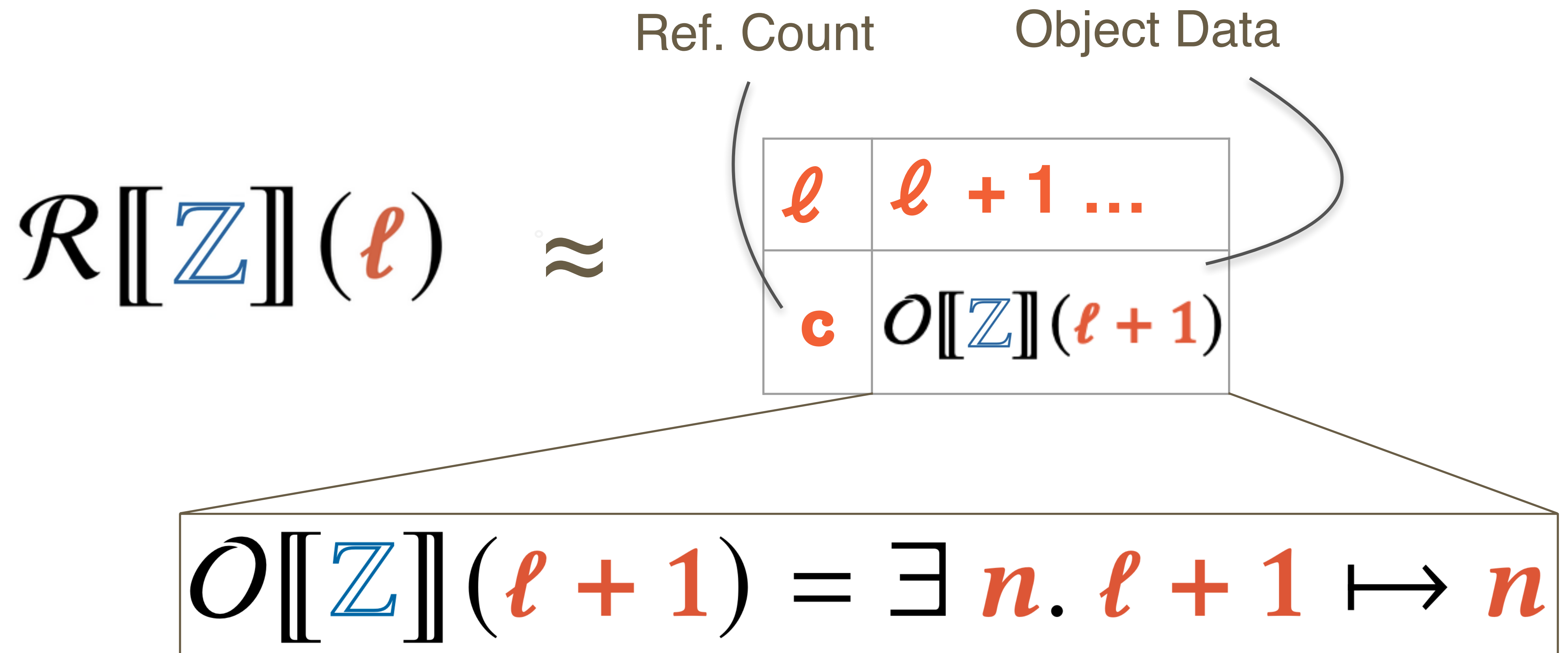
$$\Gamma \vDash e : T$$

$$\begin{aligned} &\approx \left\{ \text{“Prestate like } \Gamma \text{”} \right\} e \left\{ v. \text{“}v \text{ like } T \text{”} \right\} \\ &\approx \left\{ \star \overline{\mathcal{R}[[T_x]](x)} \right\} e \left\{ \ell. \mathcal{R}[[T]](\ell) \right\} \end{aligned} \quad (\Gamma = \overline{x : T_x})$$

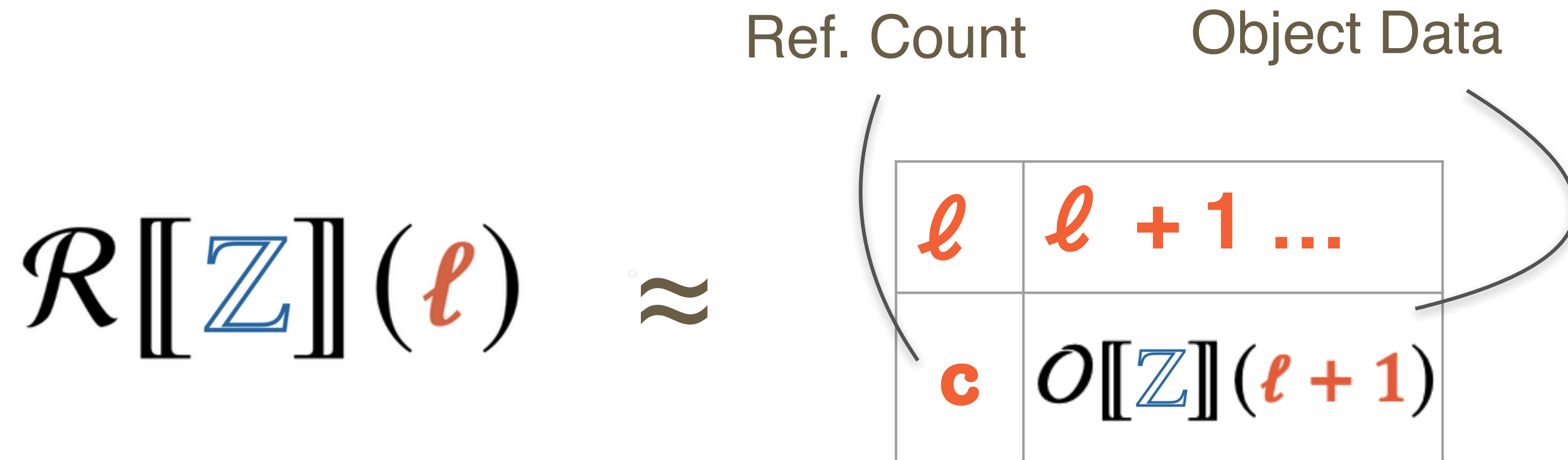
Formalization: Reference Layout



Formalization: Reference Layout



Formalization: Reference Layout



$$\mathcal{O}[\mathcal{Z}](\ell + 1) = \exists n. \ell + 1 \mapsto n$$

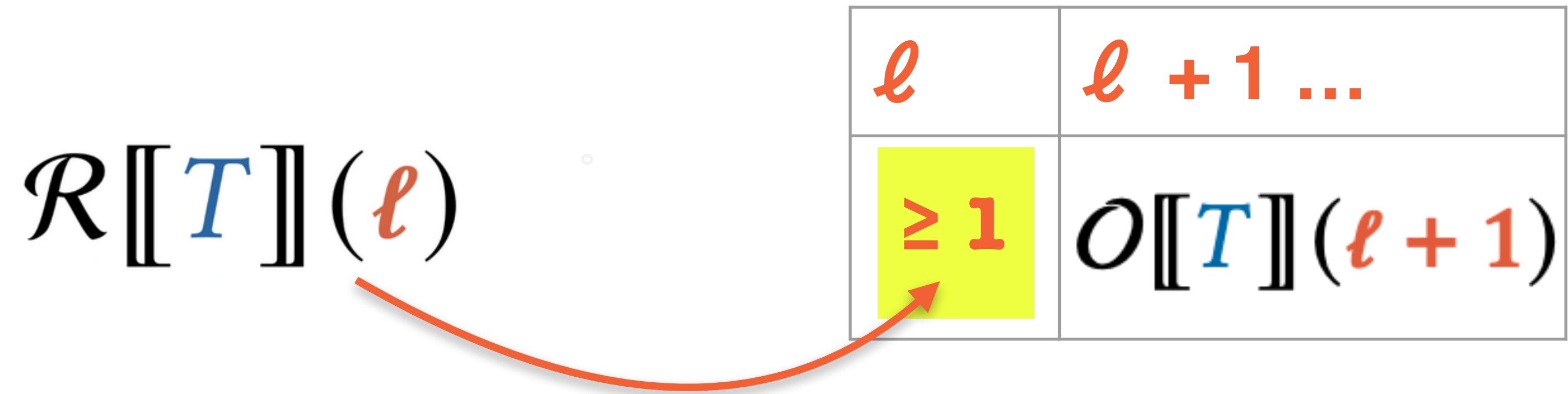
Also:
Unboxed data
via pointer
tagging

Formalization: Ownership + Sharing

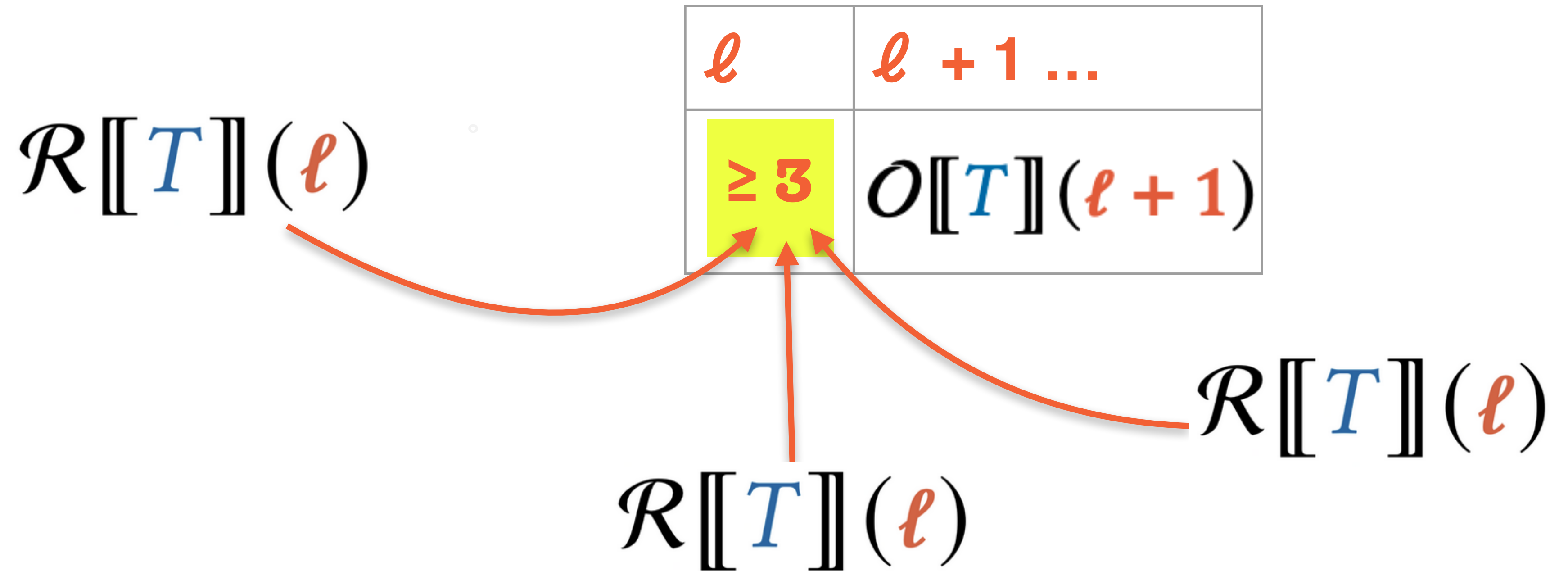
$\mathcal{R}[[T]](\ell)$

ℓ	$\ell + 1 \dots$
c	$\mathcal{O}[[T]](\ell + 1)$

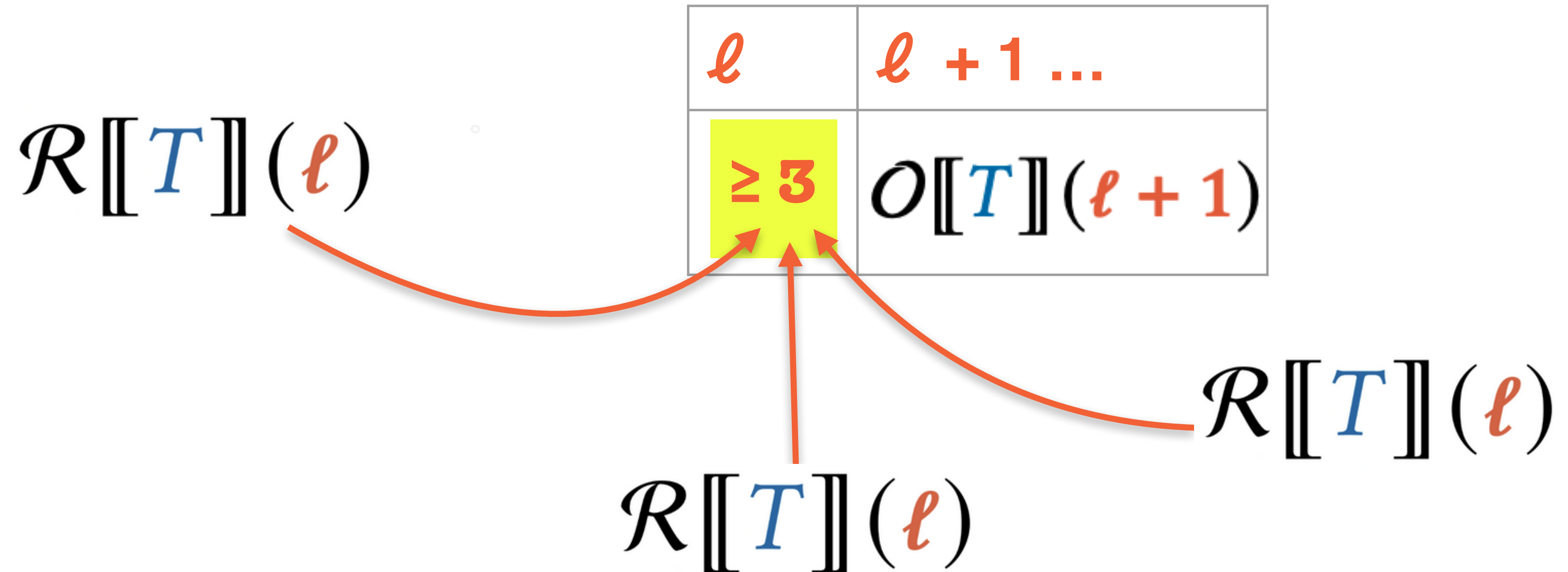
Formalization: Ownership + Sharing



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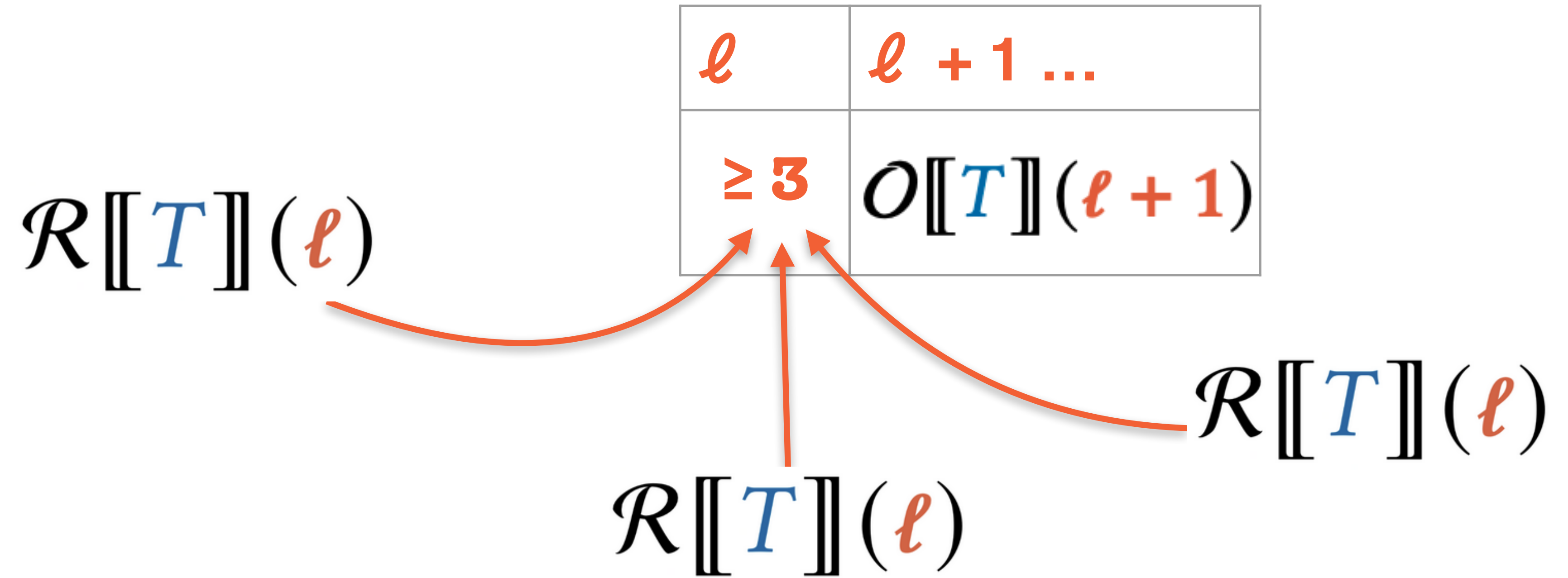
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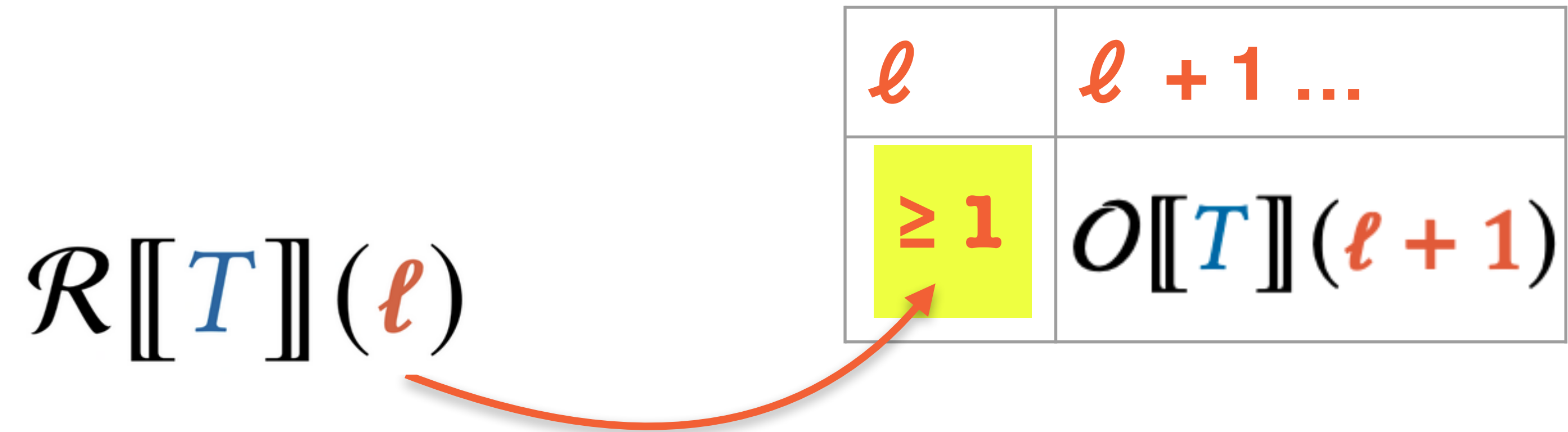
RC-INCR

$$\left\{ \mathcal{R}[[T]](\ell) \right\} ++\ell \left\{ n. \lceil n > 1 \rceil \star \mathcal{R}[[T]](\ell) \star \mathcal{R}[[T]](\ell) \right\}$$

Formalization: Ownership + Sharing



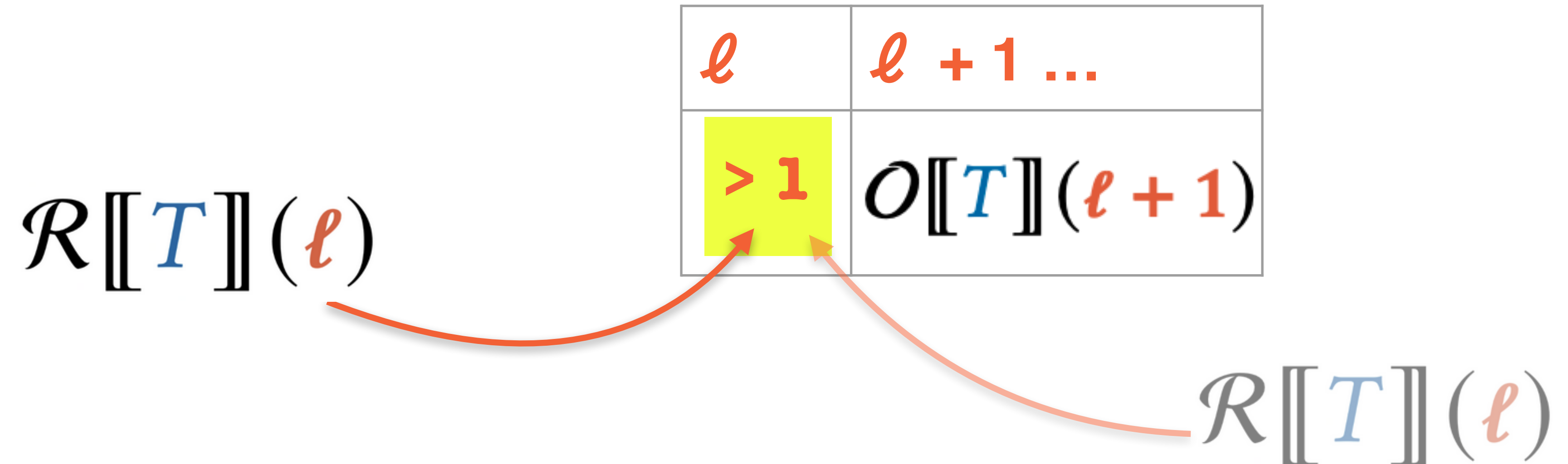
Formalization: Ownership + Sharing



RC-DECR

$$\left\{ \mathcal{R}[[T]](\ell) \right\} \dashrightarrow \ell \left\{ n. \right\}$$

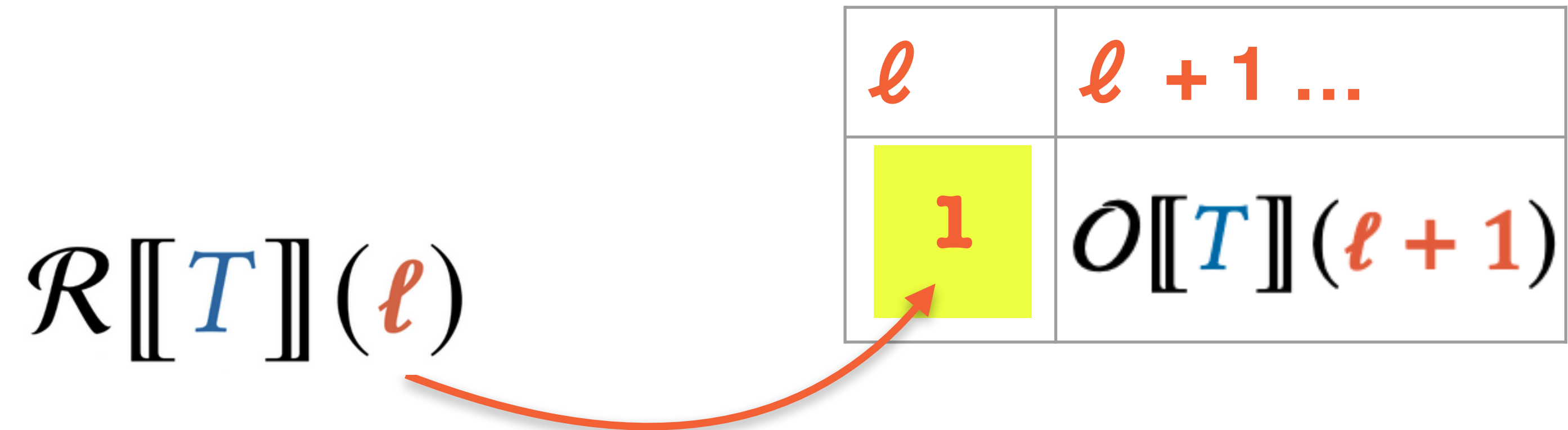
Formalization: Ownership + Sharing



RC-DECR

$$\left\{ \mathcal{R}[[T]](\ell) \right\} \dashv\vdash \ell \left\{ n. (\ulcorner n > 0 \urcorner \wedge \text{emp}) \right\}$$

Formalization: Ownership + Sharing



RC-DECR

$$\left\{ \mathcal{R}[[T]](\ell) \right\} \dashrightarrow \ell \left\{ n. (\ulcorner n > 0 \urcorner \wedge \text{emp}) \right\}$$

Formalization: Ownership + Sharing

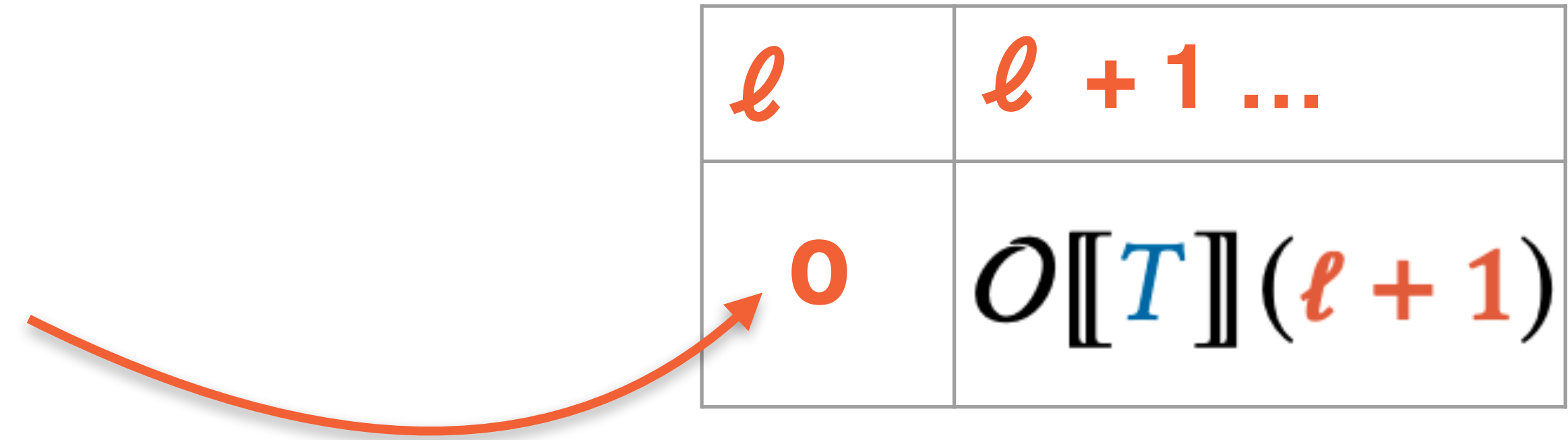
ℓ	$\ell + 1 \dots$
0	$O[[T]](\ell + 1)$

RC-DECR

$$\left\{ \mathcal{R}[[T]](\ell) \right\} \dashv\vdash \ell \left\{ n. \left(\ulcorner n > 0 \urcorner \wedge \text{emp} \right) \vee \left(\ulcorner n = 0 \urcorner \star \ell \mapsto 0 \star O[[T]](\ell + 1) \right) \right\}$$

Formalization: Ownership + Sharing

ℓ	$\ell + 1 \dots$
0	$O[[T]](\ell + 1)$

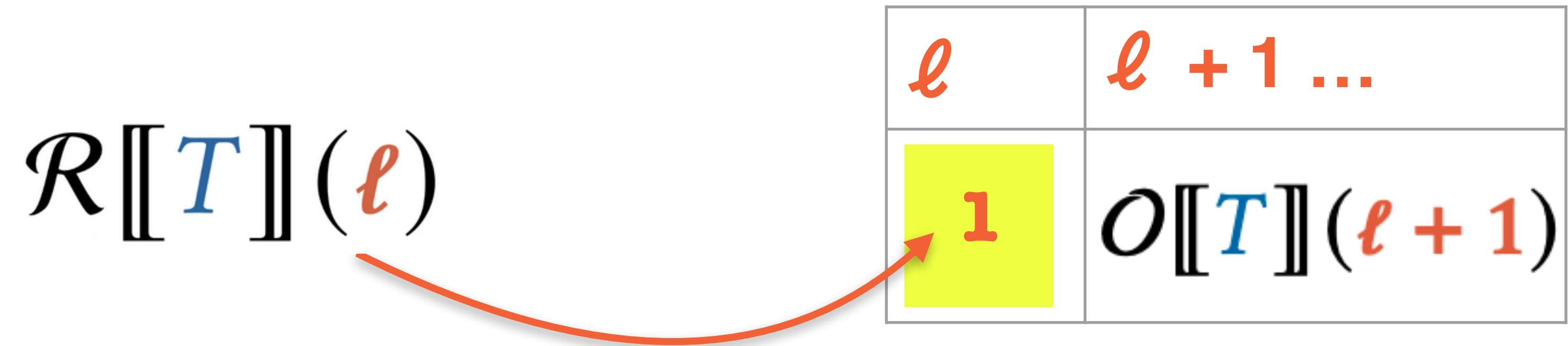


Formalization: Ownership + Sharing

ℓ	$\ell + 1 \dots$
1	$O[[T]](\ell + 1)$

$$\left\{ \ell \mapsto \mathbf{1} \star O[[T]](\ell + 1) \right\} e \{ \mathcal{Q} \}$$

Formalization: Ownership + Sharing



RC-NEW

$$\left\{ \mathcal{R}[[T]](\ell) \right\} e \left\{ \mathcal{Q} \right\}$$

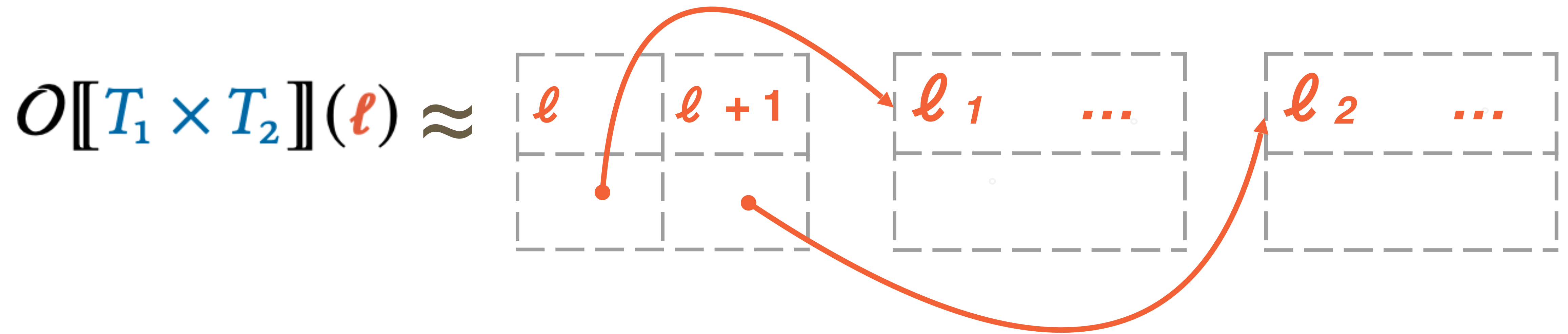
$$\left\{ \ell \mapsto \mathbf{1} \star \mathcal{O}[[T]](\ell + 1) \right\} e \left\{ \mathcal{Q} \right\}$$

Formalization: Compound Layout

$$O[[T_1 \times T_2]](\ell) \approx$$

$$O[[T_1 \times T_2]](\ell) \triangleq$$

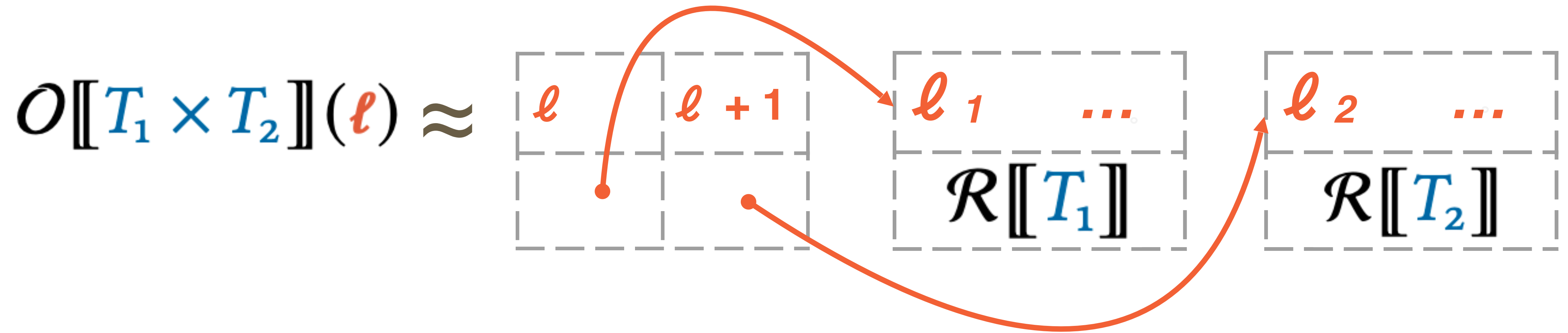
Formalization: Compound Layout



$$O[[T_1 \times T_2]](\ell) \triangleq \exists \ell_1, \ell_2.$$

$$\begin{array}{l} \ell \quad \mapsto \ell_1 \\ \star \ell + 1 \quad \mapsto \ell_2 \end{array}$$

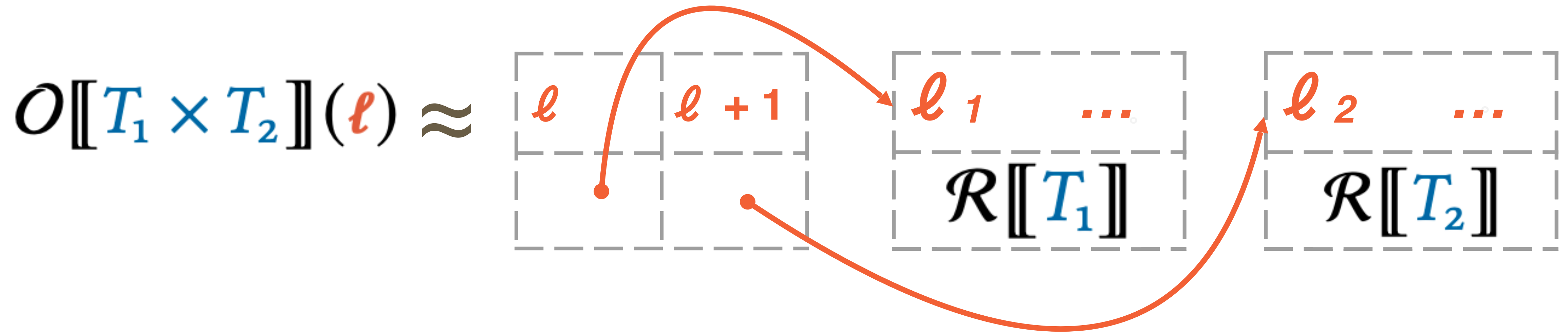
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 \end{array}
 \star \mathcal{R}[[T_1]](\ell_1) \star \mathcal{R}[[T_2]](\ell_2)$$

Formalization: Compound Layout



$$O[[T_1 \times T_2]](\ell) \triangleq \exists \ell_1, \ell_2.$$

Also:
Records and
variants

$$\begin{array}{l}
 \ell \quad \mapsto \ell_1 \\
 \star \ell + 1 \quad \mapsto \ell_2
 \end{array}
 \star \mathcal{R}[[T_1]](\ell_1) \star \mathcal{R}[[T_2]](\ell_2)$$

Formalization: Calling Convention

$$O[[T_1 \rightarrow T_2]](\ell) \triangleq \exists f. \ell \mapsto f \star$$

Pointer to function

Formalization: Calling Convention

$$O[[T_1 \rightarrow T_2]](\ell) \stackrel{\Delta}{\approx} \exists f. \ell \mapsto f \star$$

$$\forall \ell_1. \{\mathcal{R}[[T_1]](\ell_1)\} f(\ell_1) \{\ell_2. \mathcal{R}[[T_2]](\ell_2)\}$$

Pointer to function

Calling convention:
Caller retain

Formalization: Calling Convention

$$O[[T_1 \rightarrow T_2]](\ell) \stackrel{\Delta}{\approx} \exists f. \ell \mapsto f \star$$

Pointer to function

$$\forall \ell_1. \{\mathcal{R}[[T_1]](\ell_1)\} f(\ell_1) \{\ell_2. \mathcal{R}[[T_2]](\ell_2)\}$$

Calling convention:
Caller retain

VS.

$$\forall \ell_1. \{\mathcal{R}[[T_1]](\ell_1)\} f(\ell_1) \{\ell_2. \mathcal{R}[[T_2]](\ell_2)\} \star \underbrace{\mathcal{R}[[T_1]](\ell_1)}_{\text{Callee retain}}$$

Callee retain

Formalization: Calling Convention

$$O[[T_1 \rightarrow T_2]](\ell) \stackrel{\Delta}{\approx} \exists f. \ell \mapsto f \star$$

Pointer to function

$$\forall \ell_1. \{\mathcal{R}[[T_1]](\ell_1)\} f(\ell_1) \{\ell_2. \mathcal{R}[[T_2]](\ell_2)\}$$

Calling convention:
Caller retain

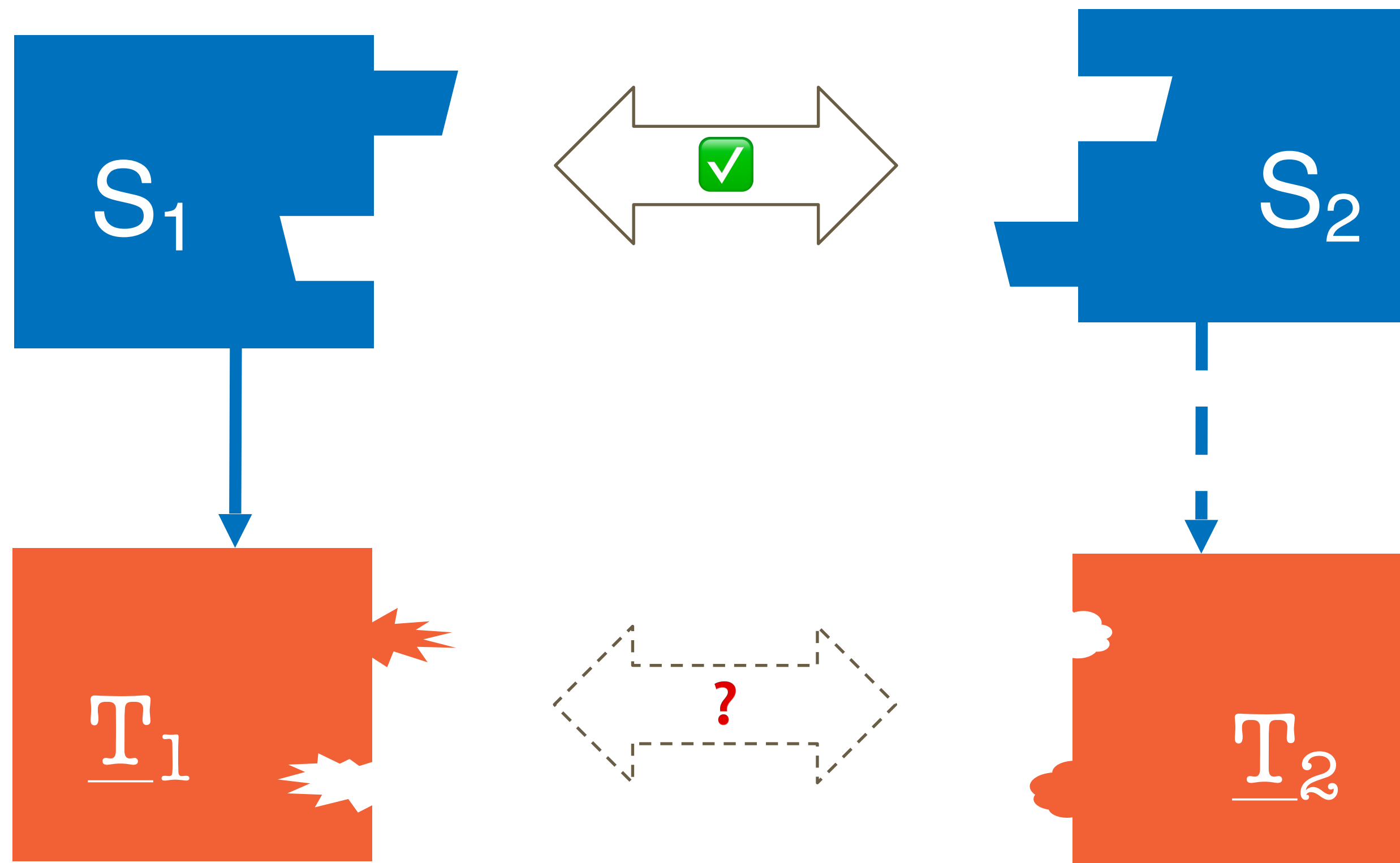
VS.

$$\forall \ell_1. \{\mathcal{R}[[T_1]](\ell_1)\} f(\ell_1) \{\ell_2. \mathcal{R}[[T_2]](\ell_2)\} \star \underbrace{\mathcal{R}[[T_1]](\ell_1)}_{\text{Callee retain}}$$

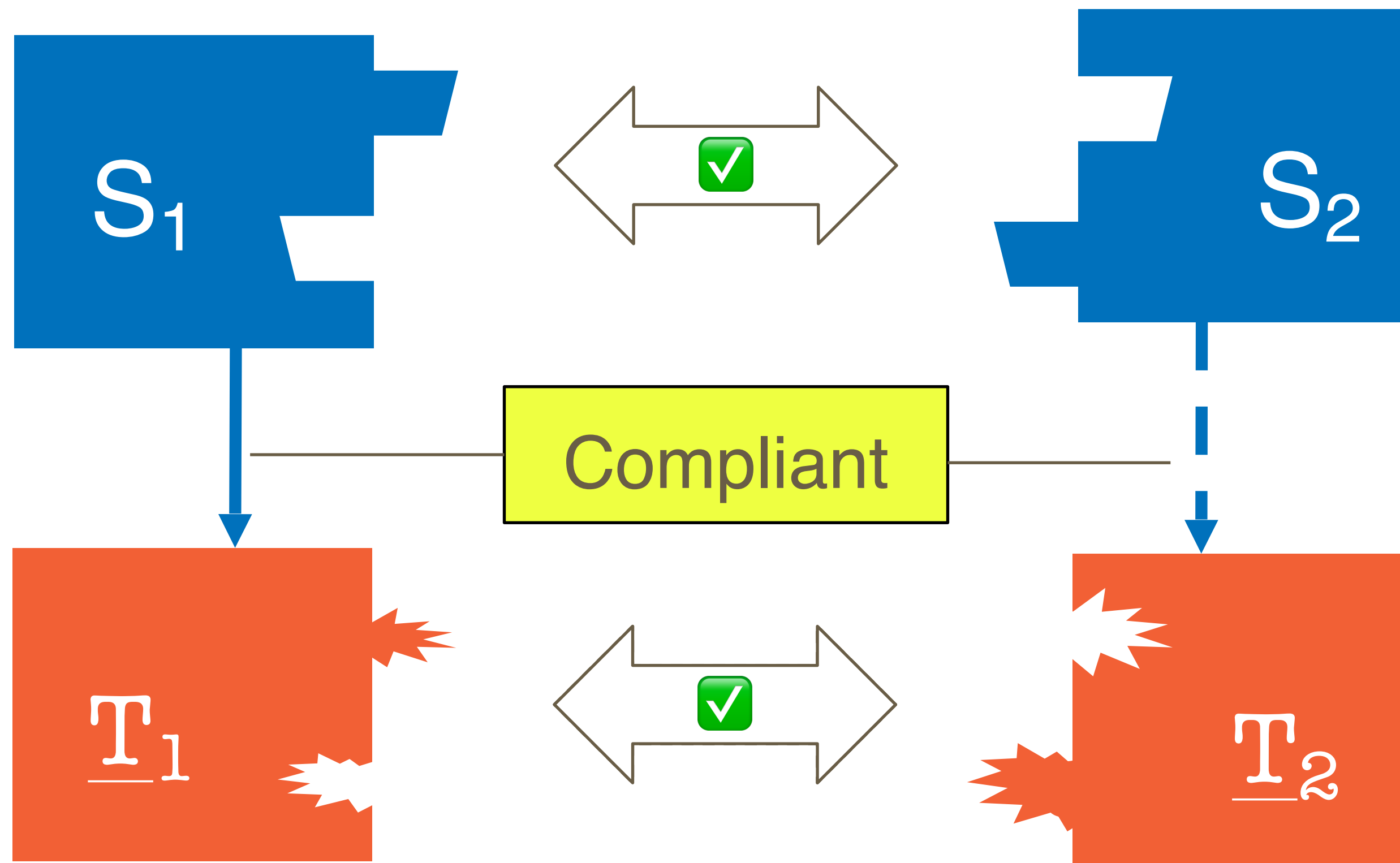
Callee retain

Also:
Closures

Application: Compiler Compliance



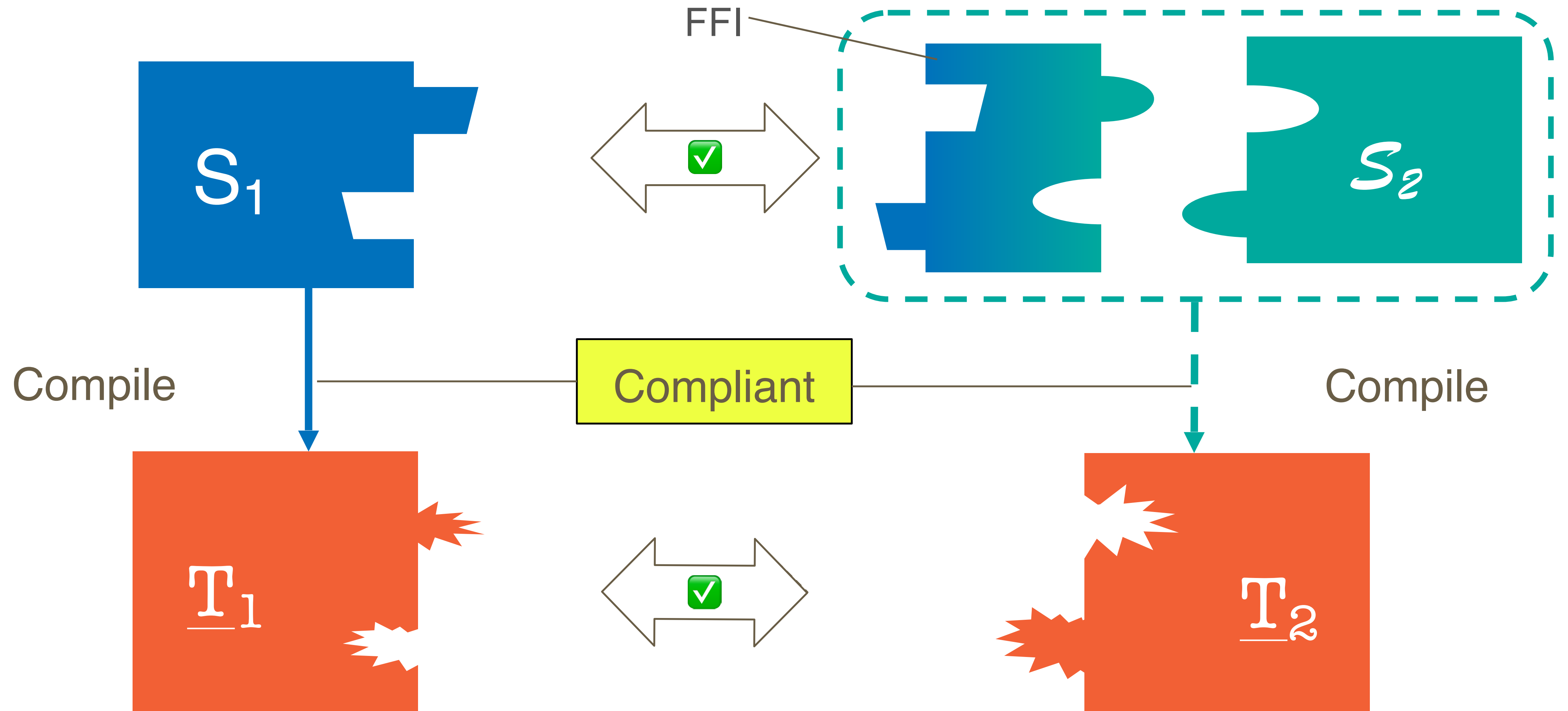
Application: Compiler Compliance



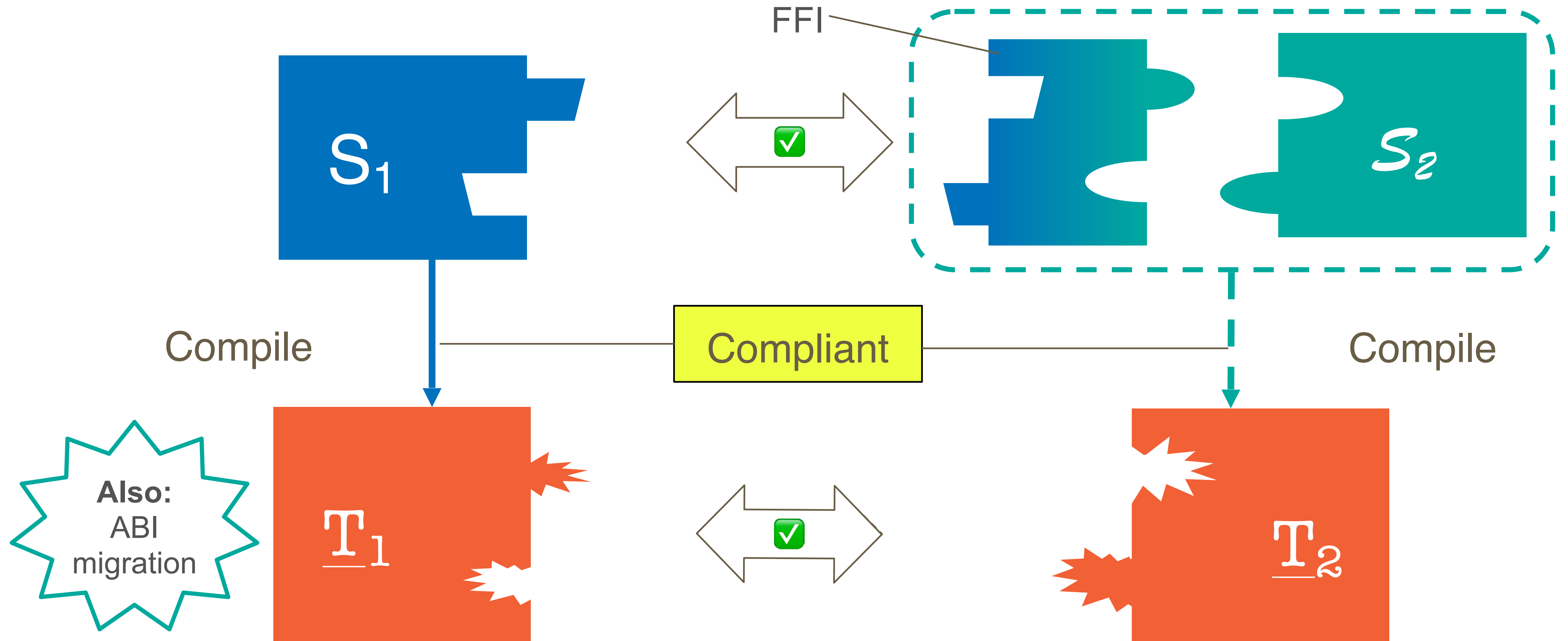
\rightsquigarrow is an **compliant compiler** if

$S : \tau$ and $S \rightsquigarrow \underline{T}$ implies $\underline{T} \in \llbracket \tau \rrbracket$

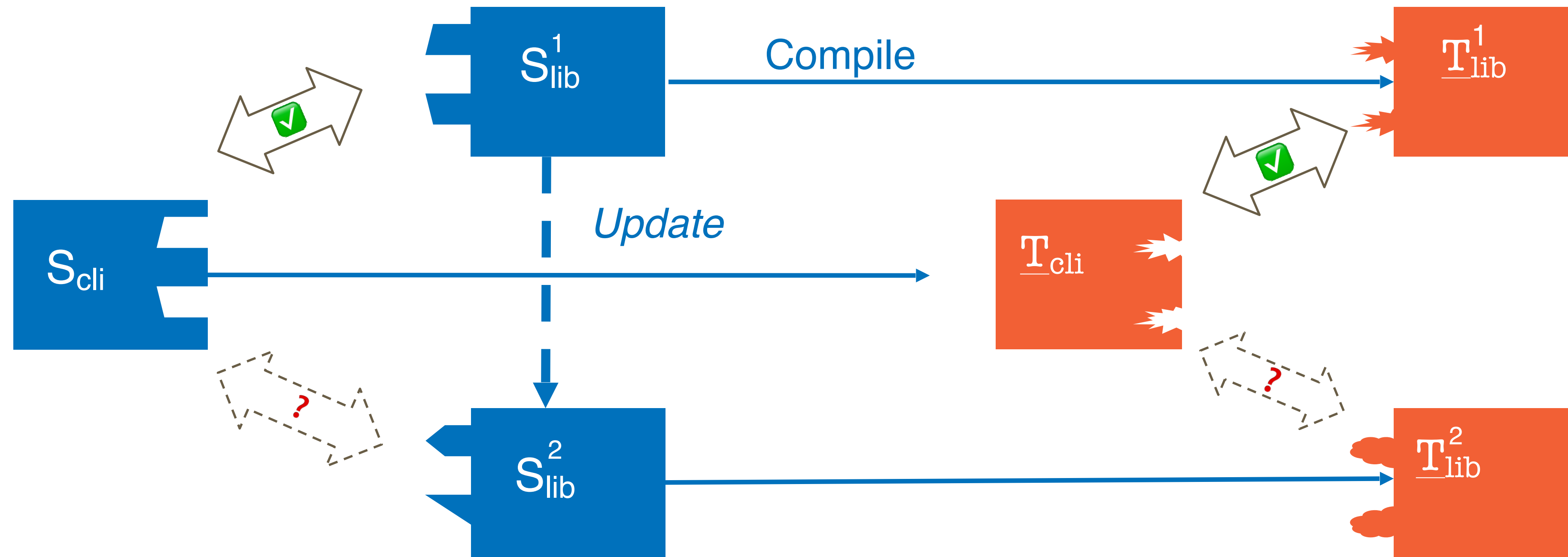
Application: FFI Safety



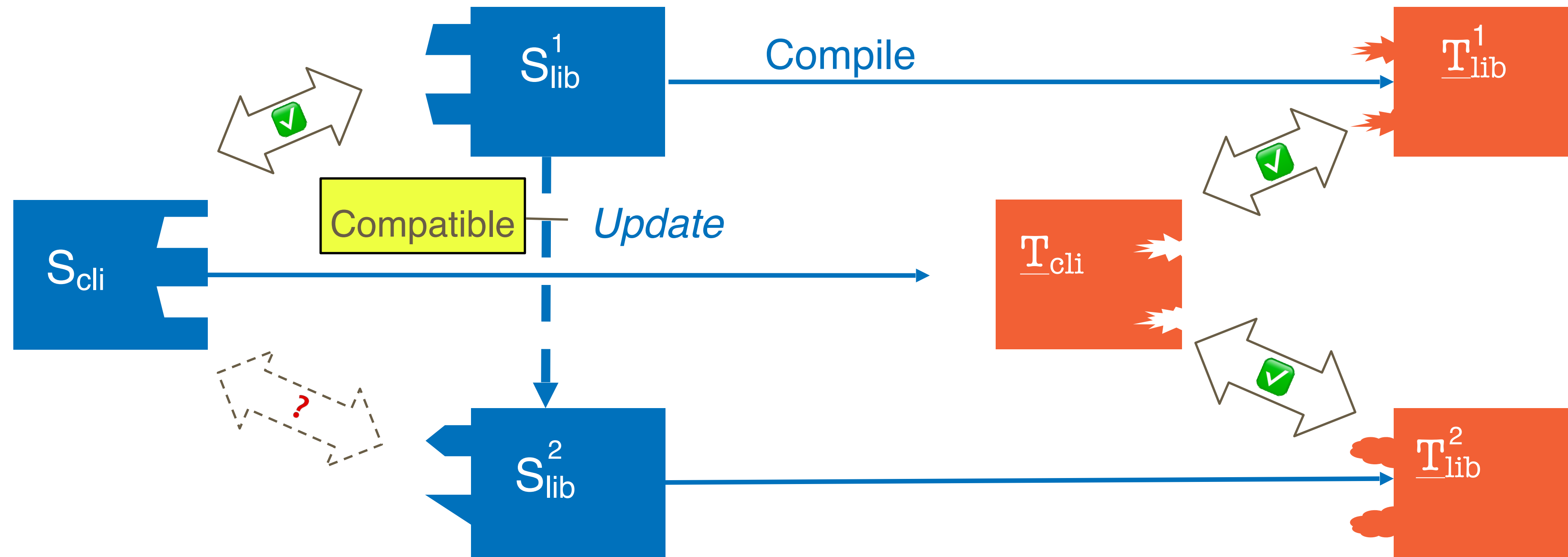
Application: FFI Safety



Application: Library Compatibility



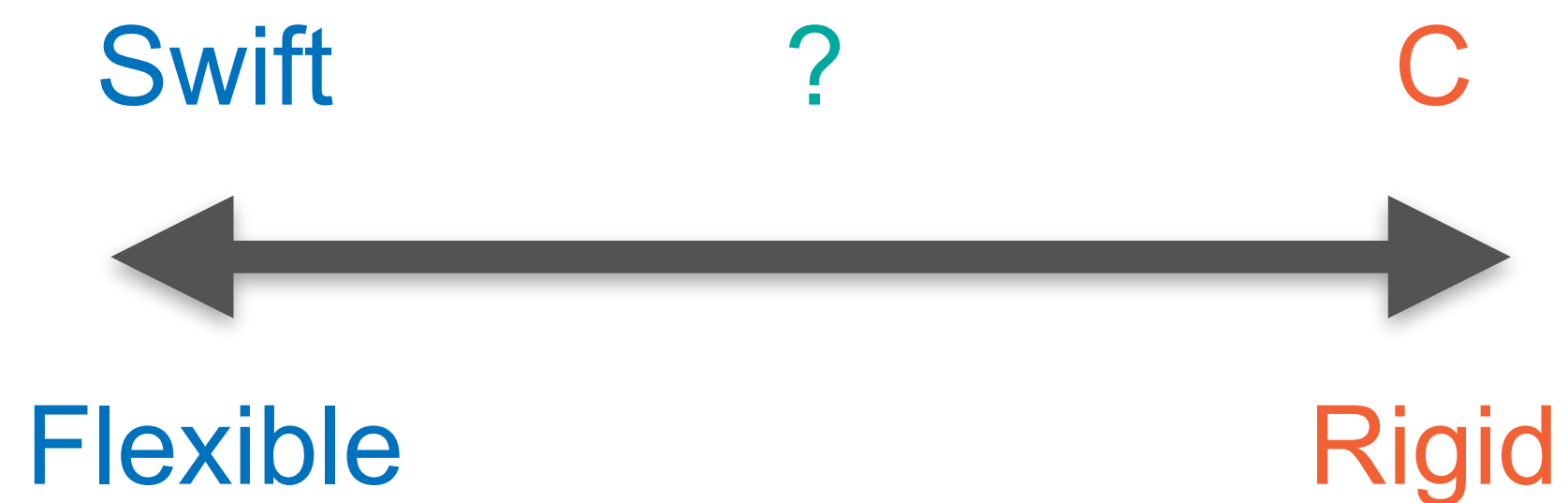
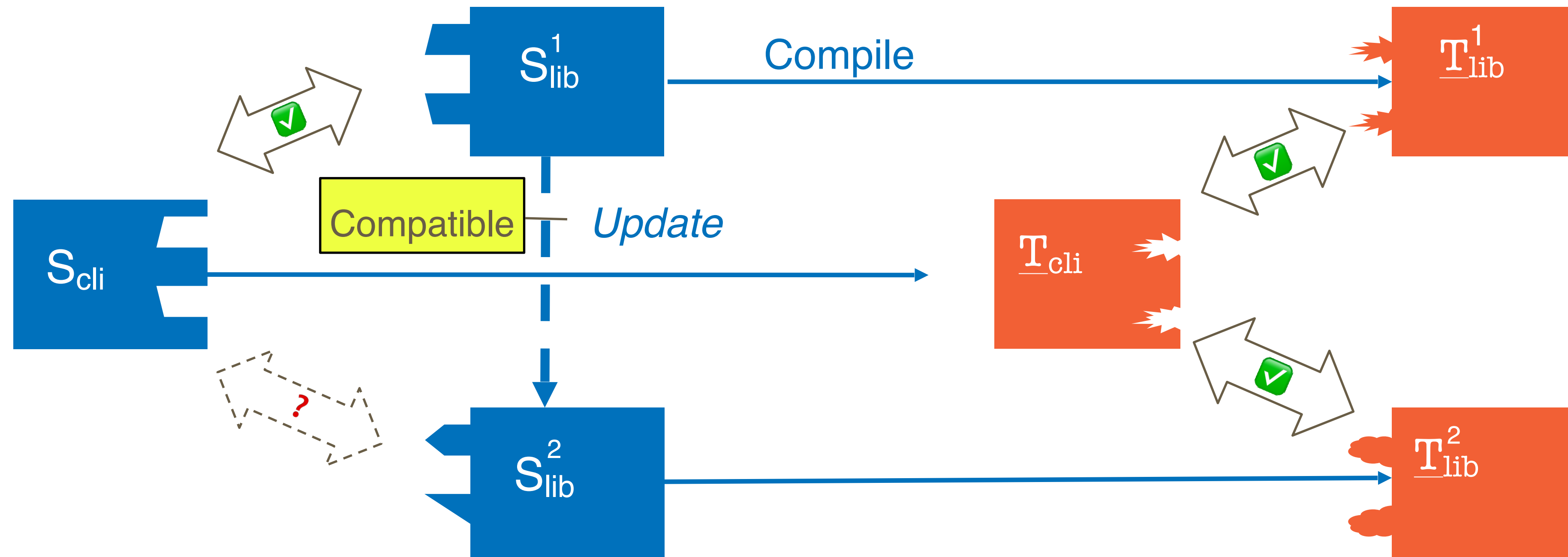
Application: Library Compatibility



τ_2 is an **compatible update** from τ_1 if

$$\underline{T} \in [[\tau_2]] \text{ implies } \underline{T} \in [[\tau_1]]$$

Application: Library Compatibility



τ_2 is an **compatible update** from τ_1 if

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Next Steps

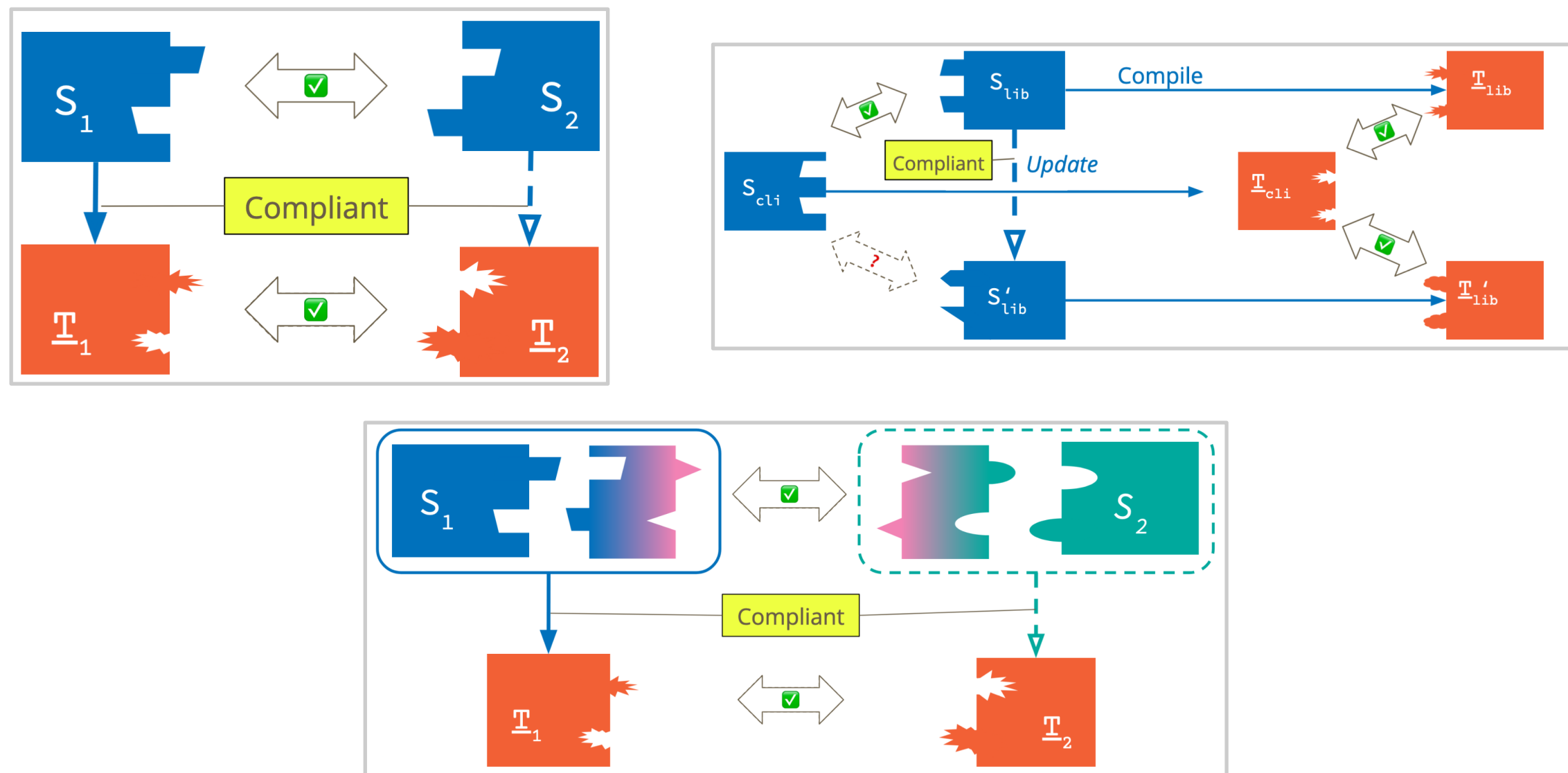
- ★ Wrapping up case study
 - ◆ Variations on design
- ★ Idiosyncrasies of Swift ABI
 - ◆ Resilient type layouts, reabstraction (polymorphism)
- ★ Rust ABI over Wasm
 - ◆ Component Model (prev. Interface Types) building blocks

Takeaways

Formalization

$$\underline{T} \in \llbracket \tau \rrbracket$$

Application



Let's Chat!

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