Realistic Realizability:

Specifying ABIs You Can Count On

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What is an ABI?

> **Application Binary Interface (ABI)**
>
> `The run-time contract for using` `a particular API` (or for an entire library), including things like symbol names, **calling conventions**, and type **layout** information.
>
> — Swift

What is an ABI?

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Behavior

— Swift

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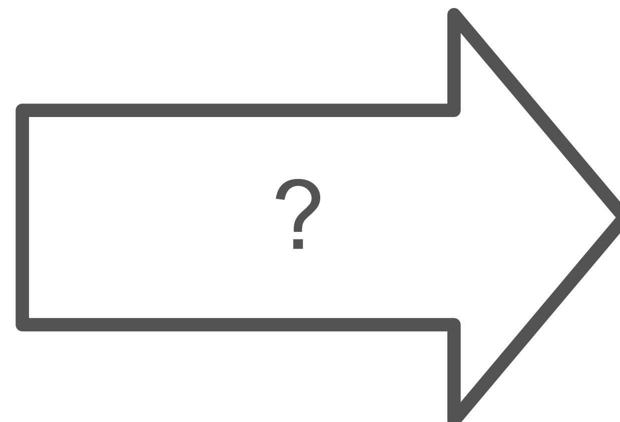
Behavior

— Swift

```
foo : (Int, Int) -> Int
```




```
int foo(int fst, int snd)

int foo(int indir[])

void foo(int indir[], int *ret)
```

Why Use an ABI?

Why Use an ABI? Interoperability

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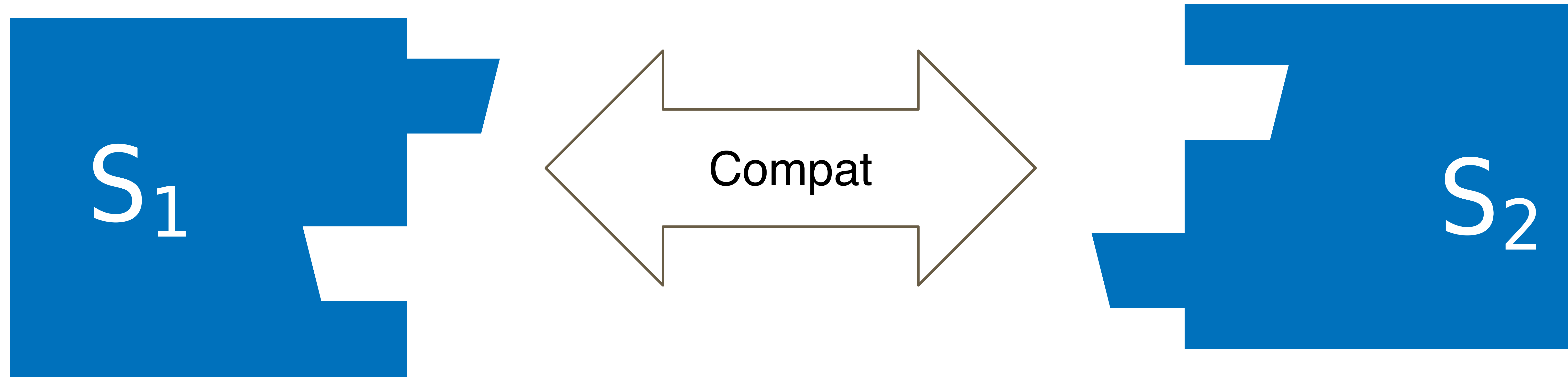

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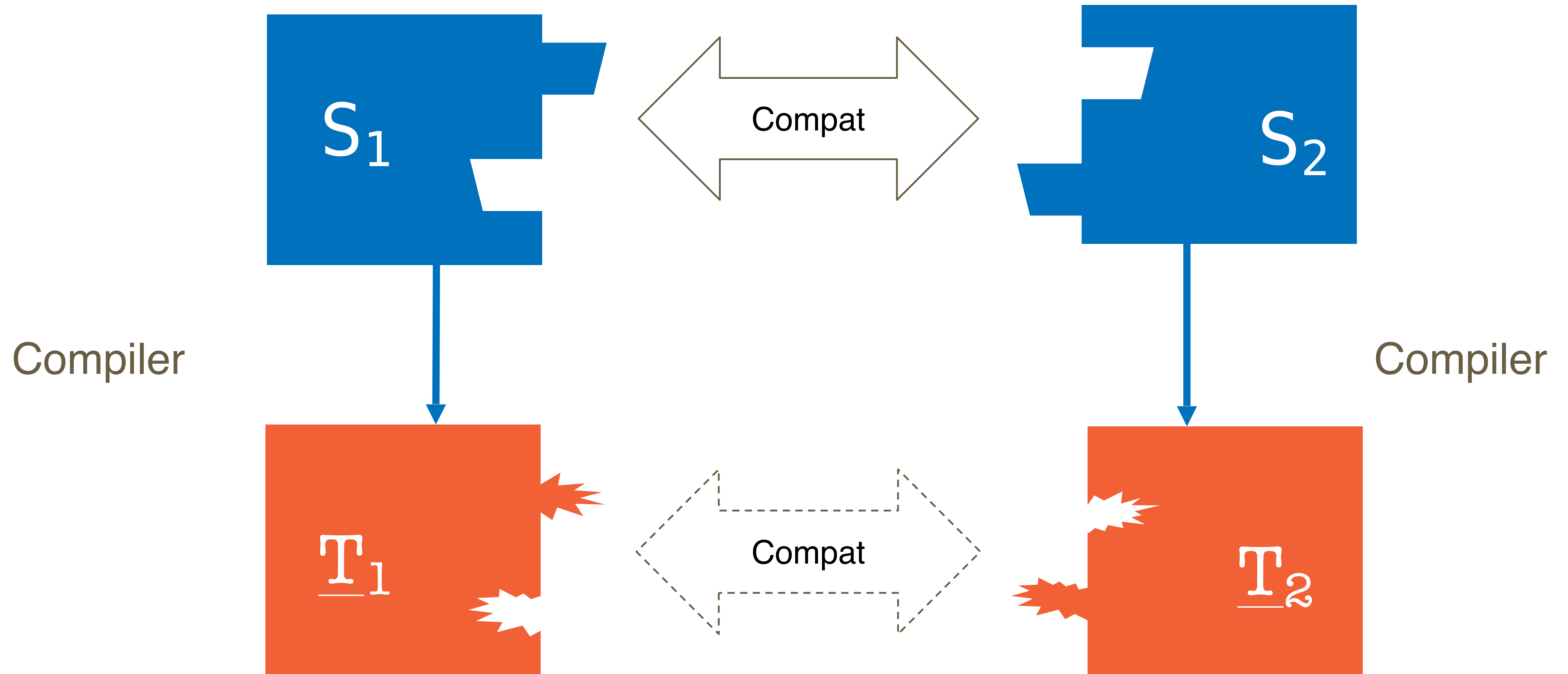
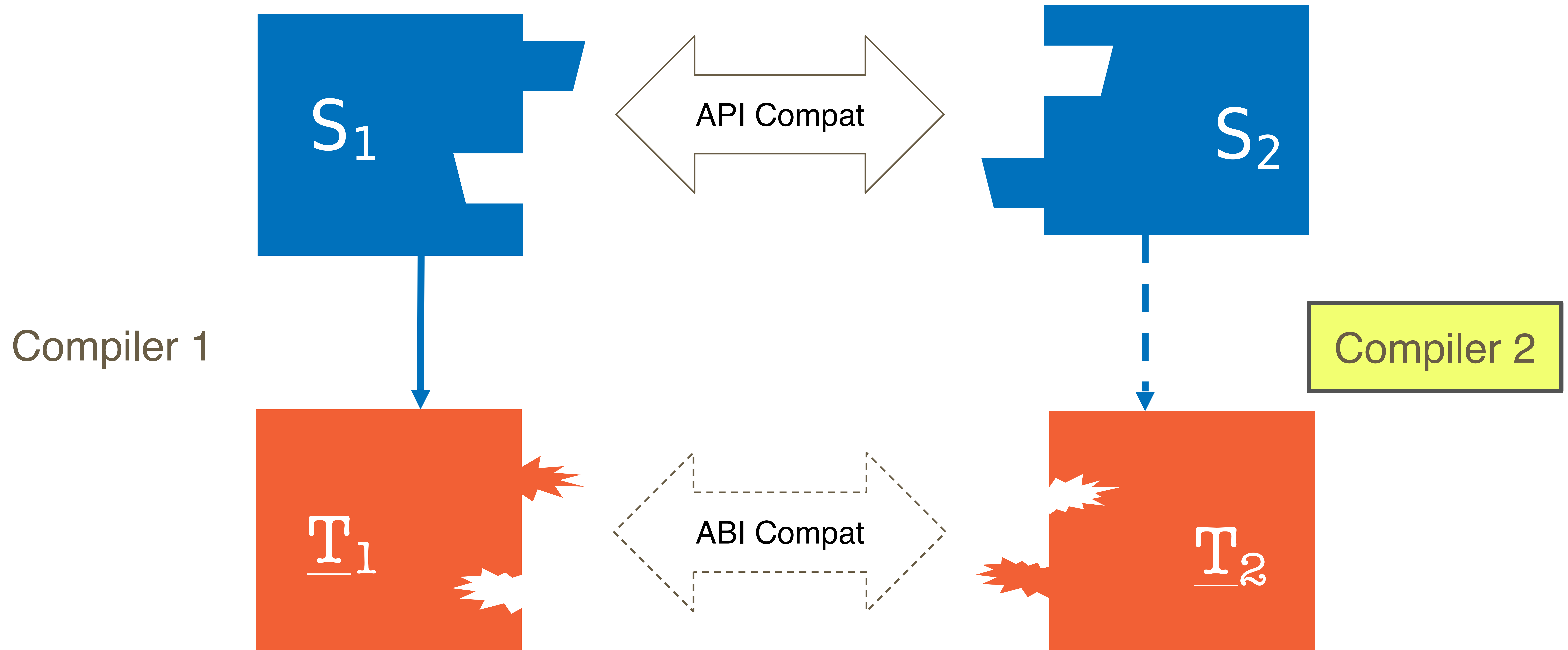
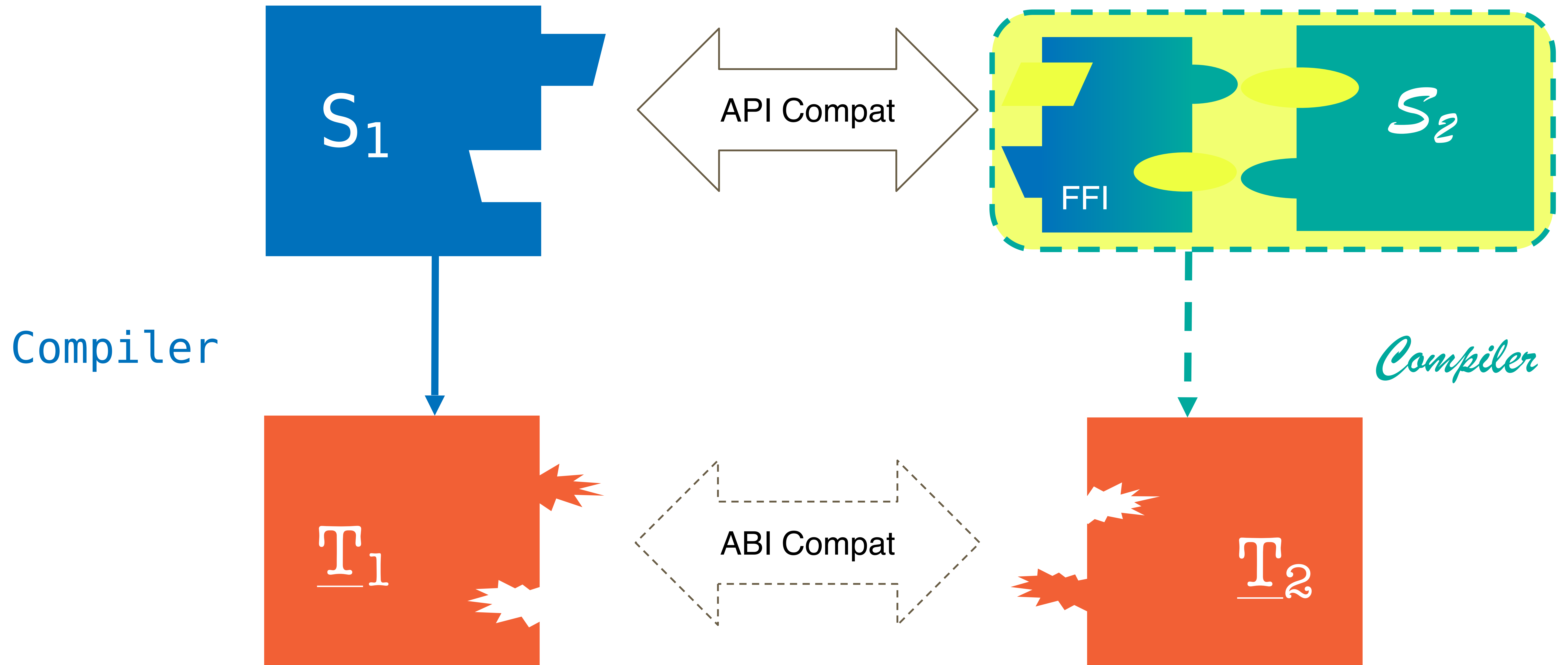


Why Use an ABI? Interoperability for Compilers

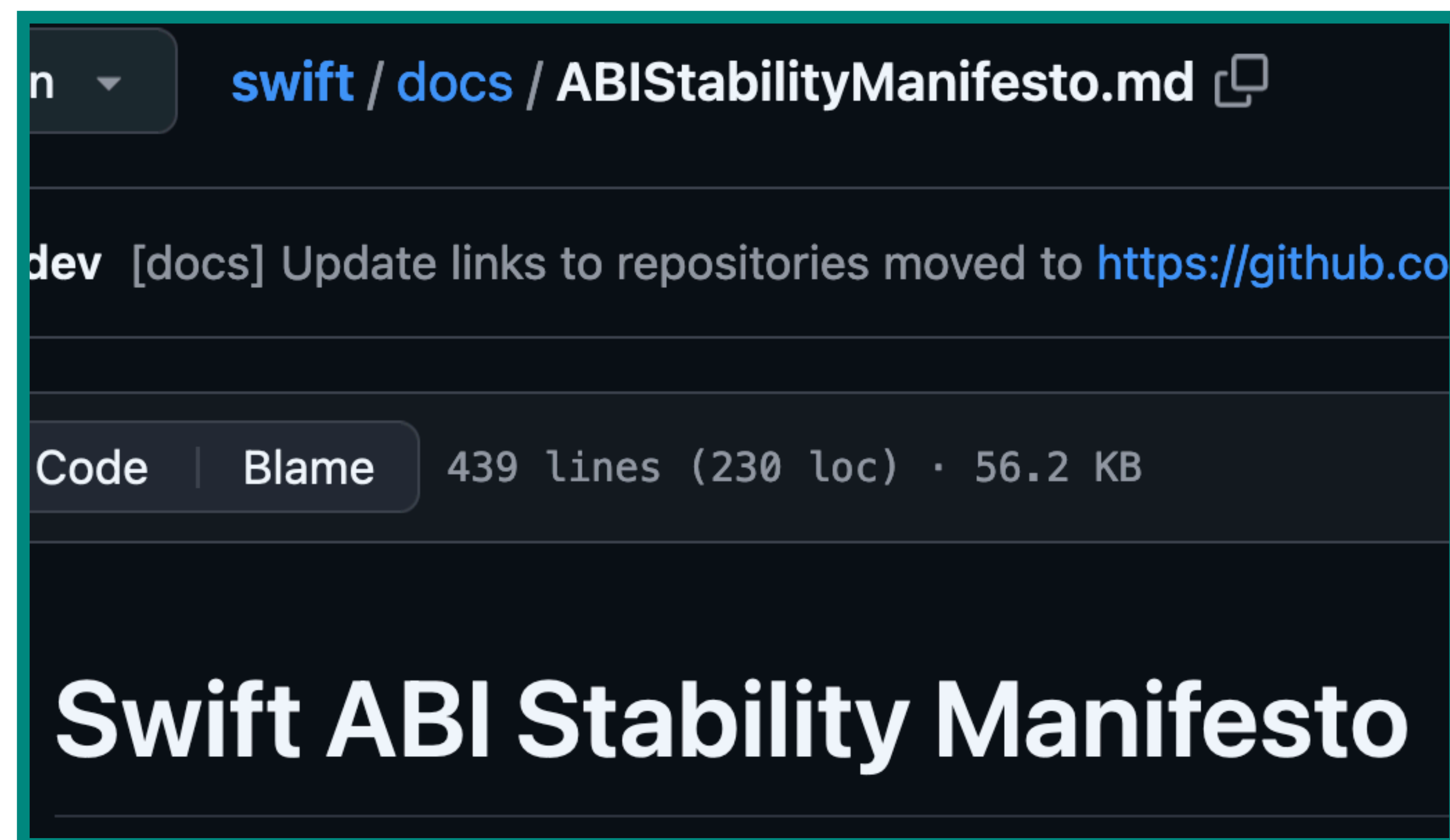


Why Use an ABI? Interoperability for Languages

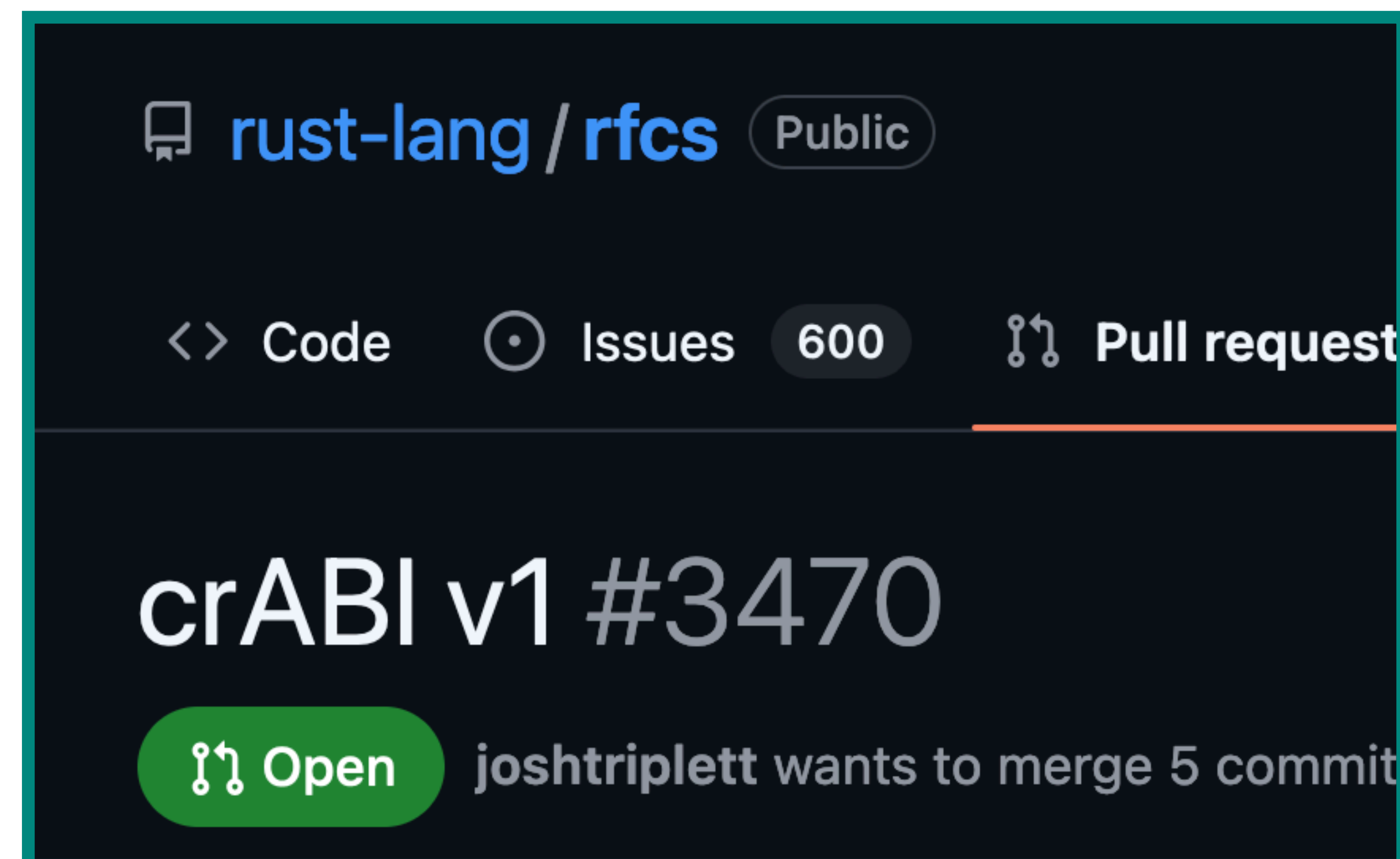


Who is Designing an ABI?

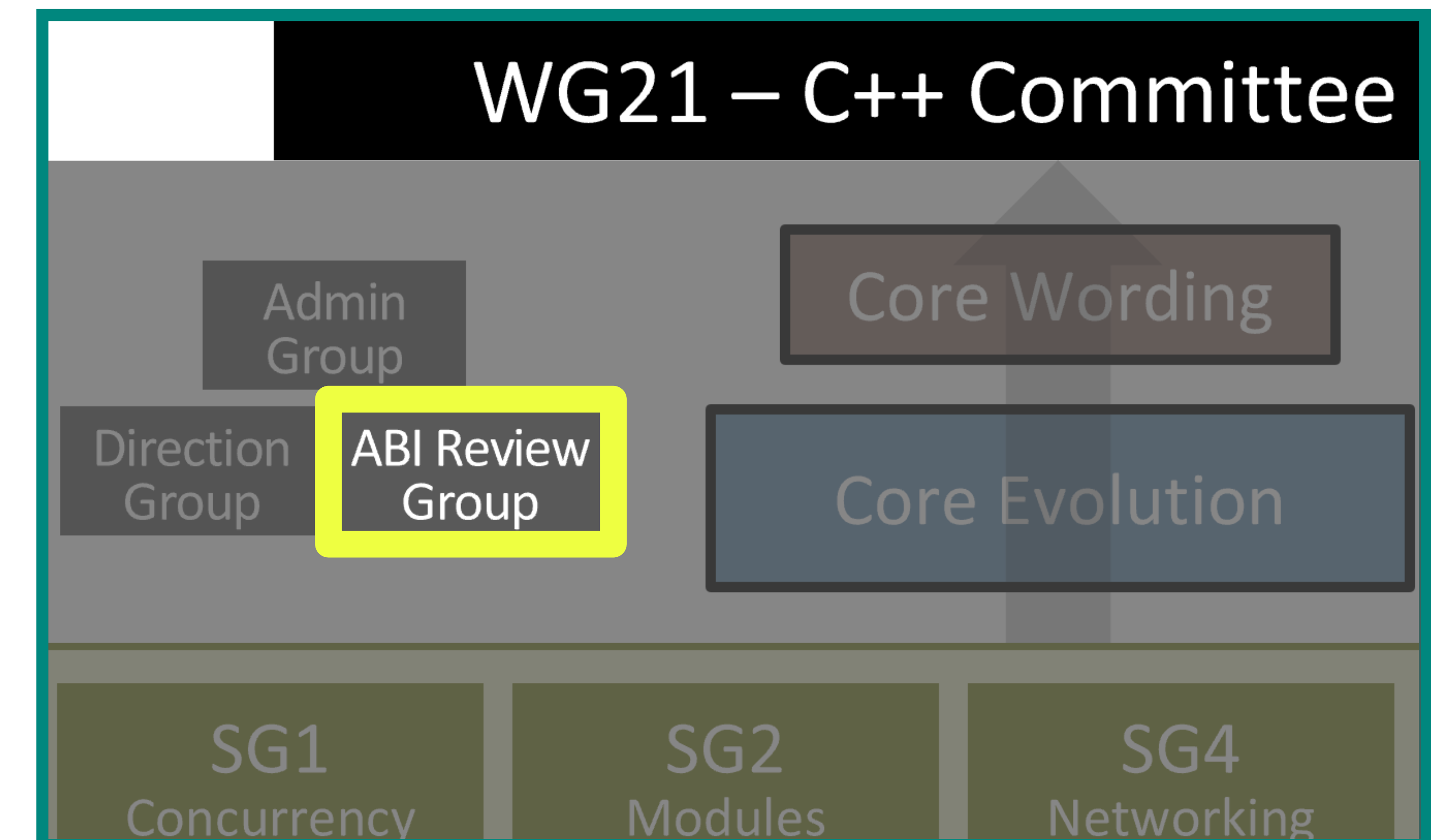
Swift



Rust



C++



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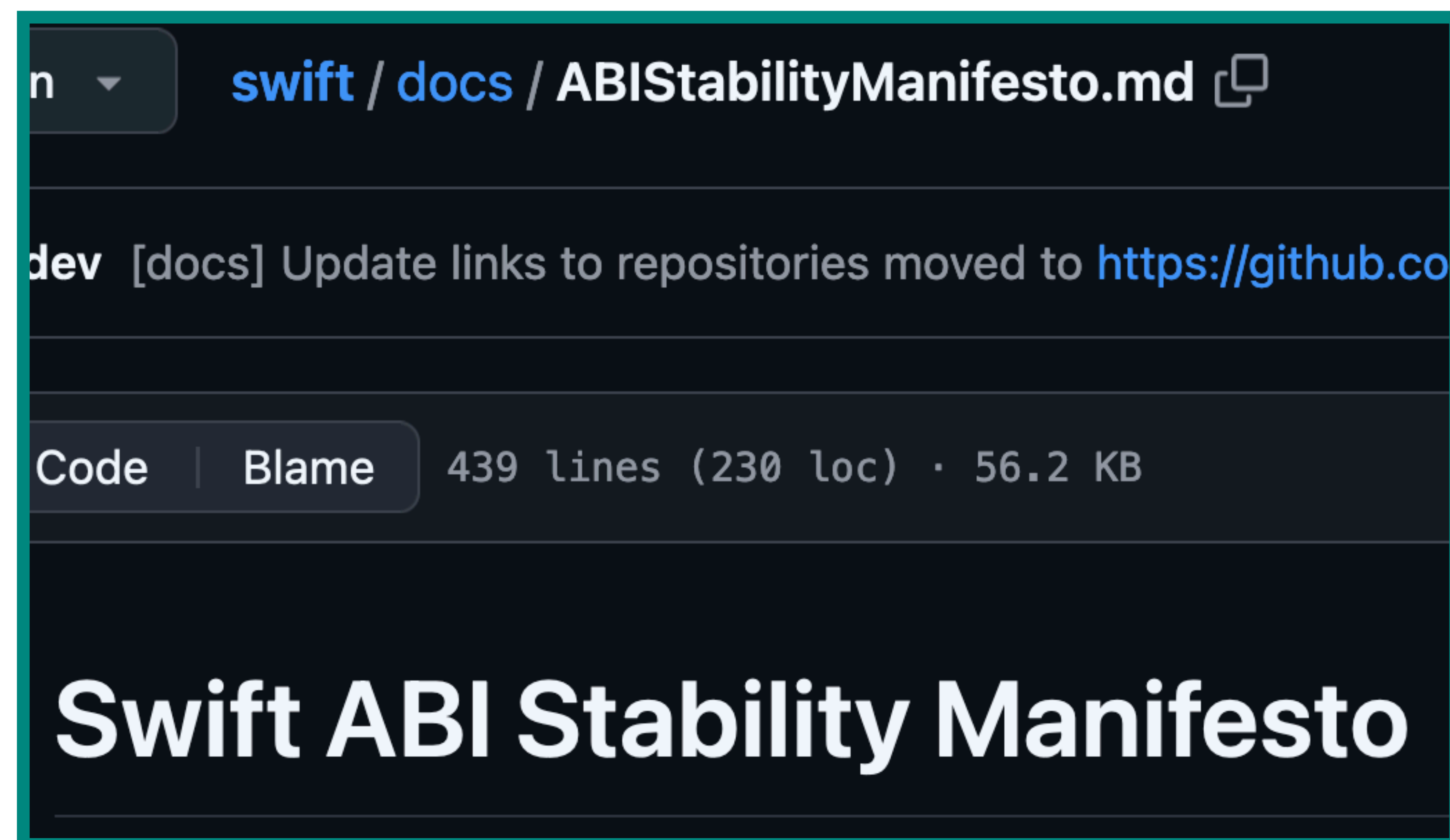

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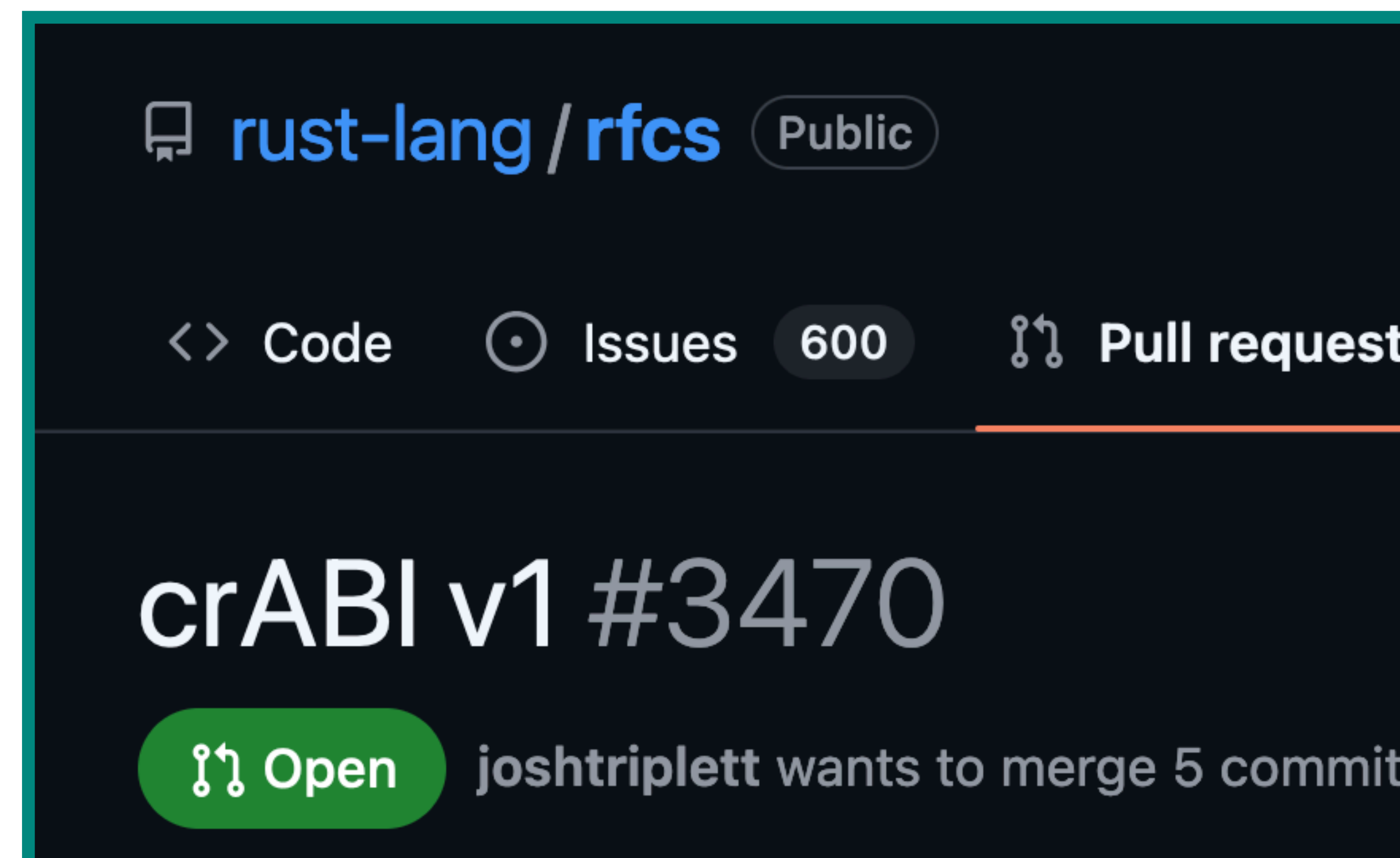

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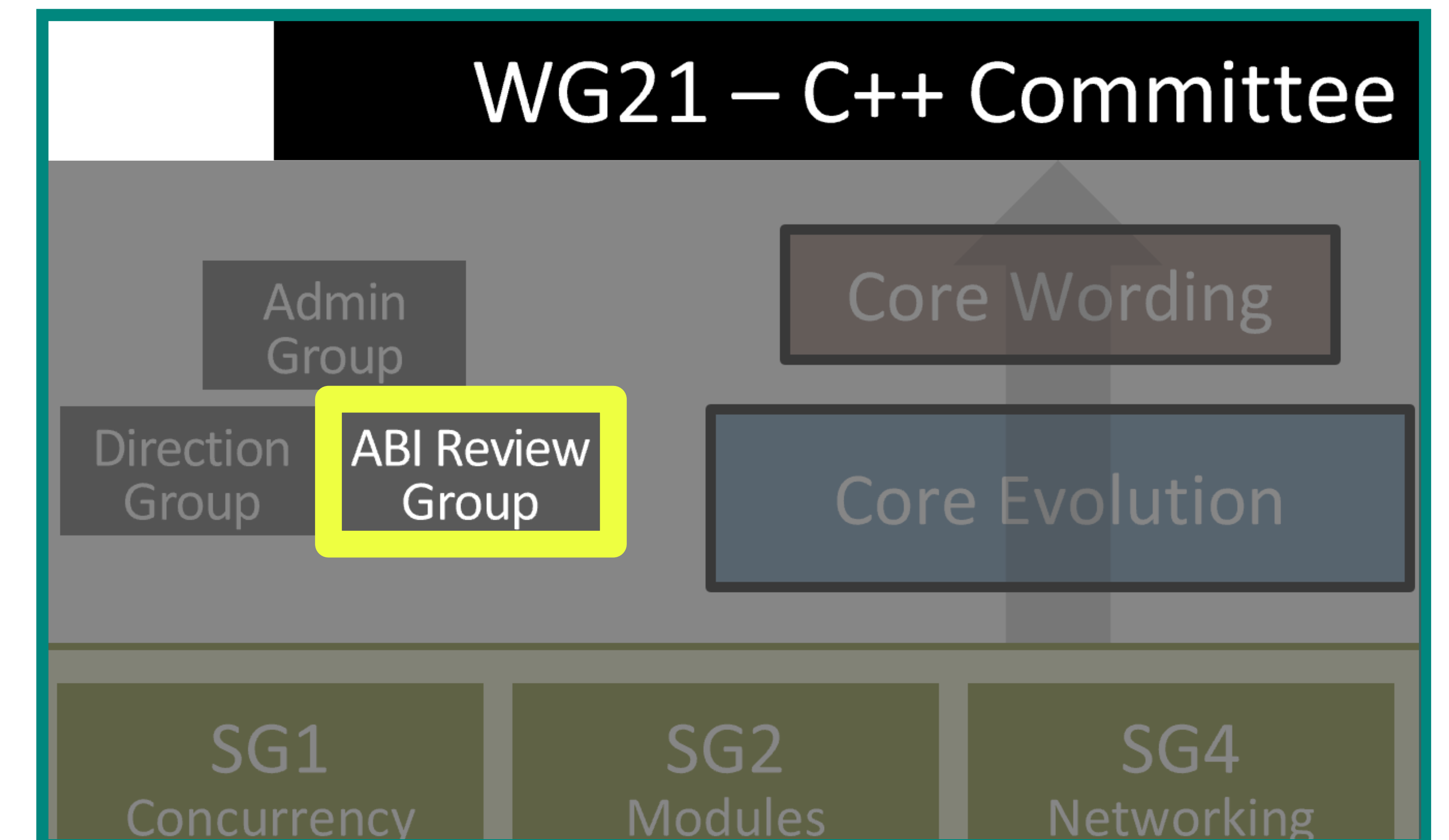
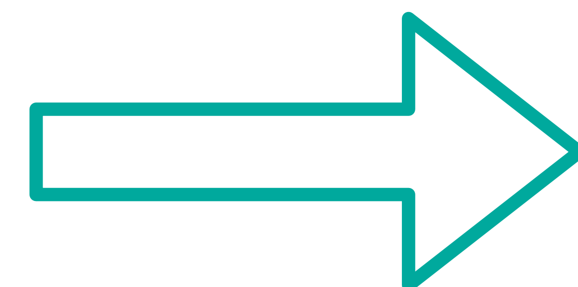


Richer Types  Richer ABIs?

How Should We Specify an ABI?

`The run-time contract for using a particular API`

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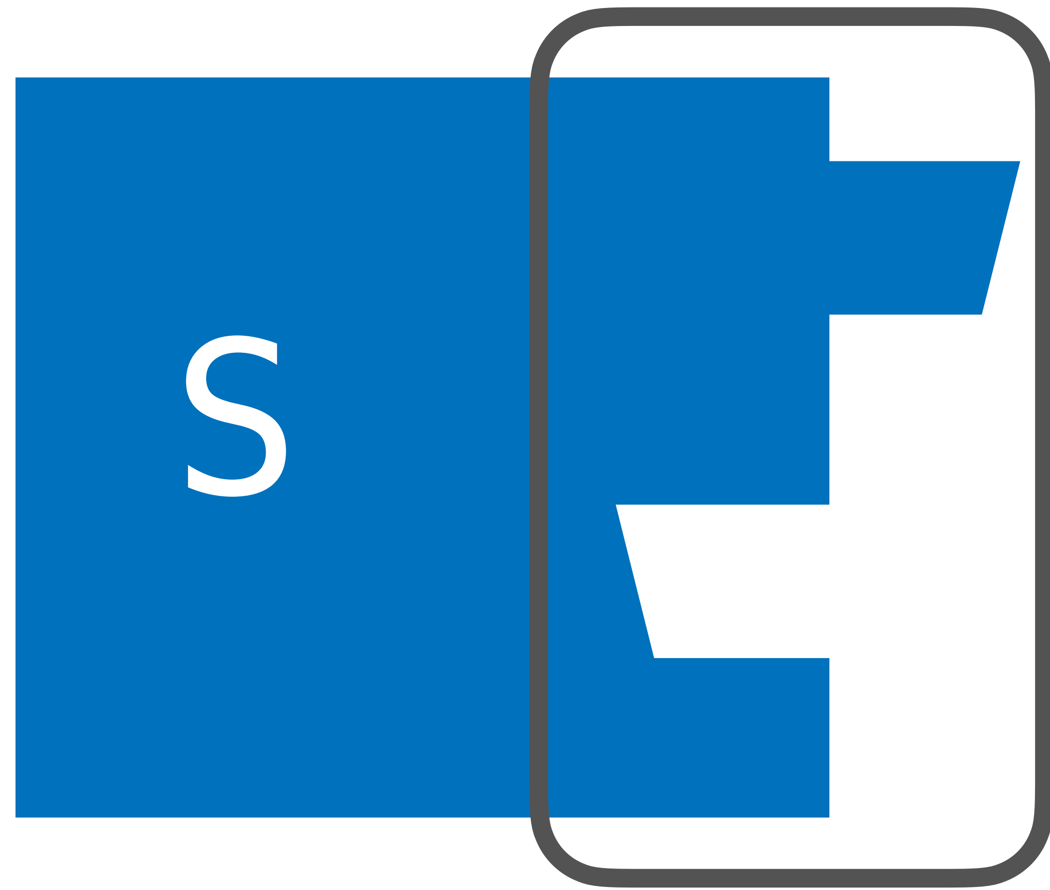

The run-time contract for using a particular API

This Type τ

How Should We Specify an ABI?

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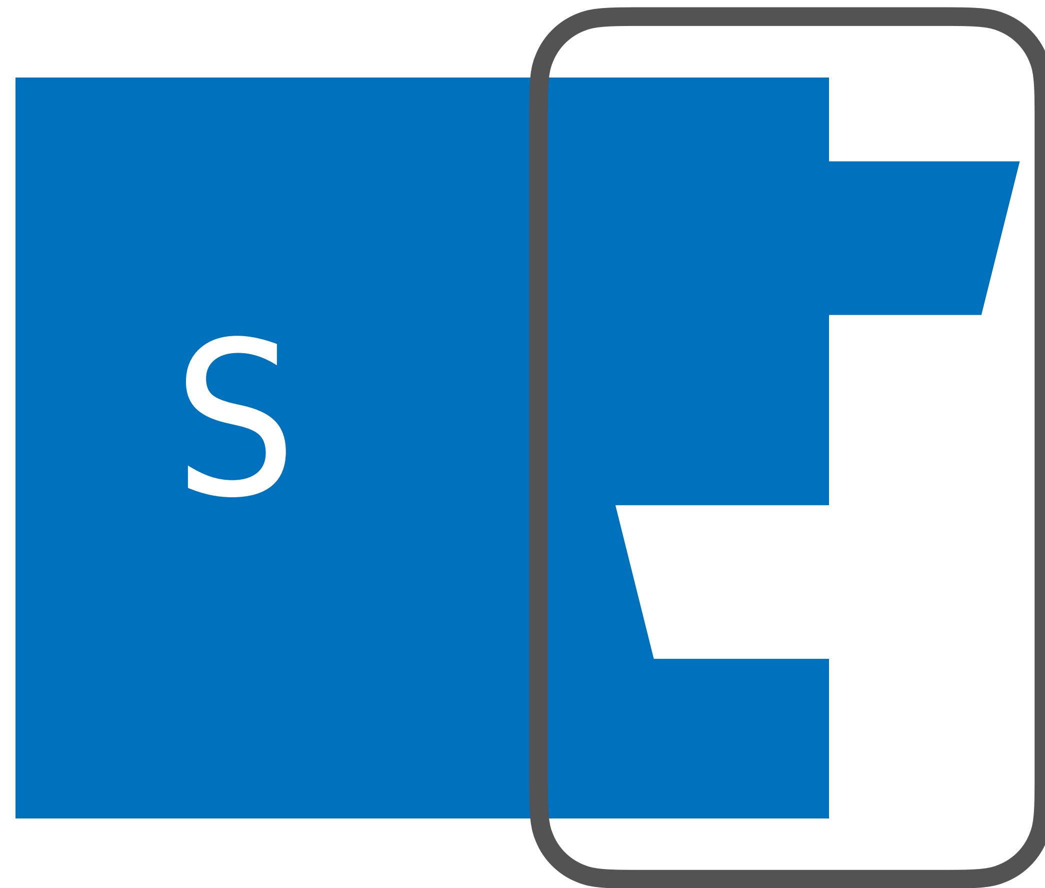

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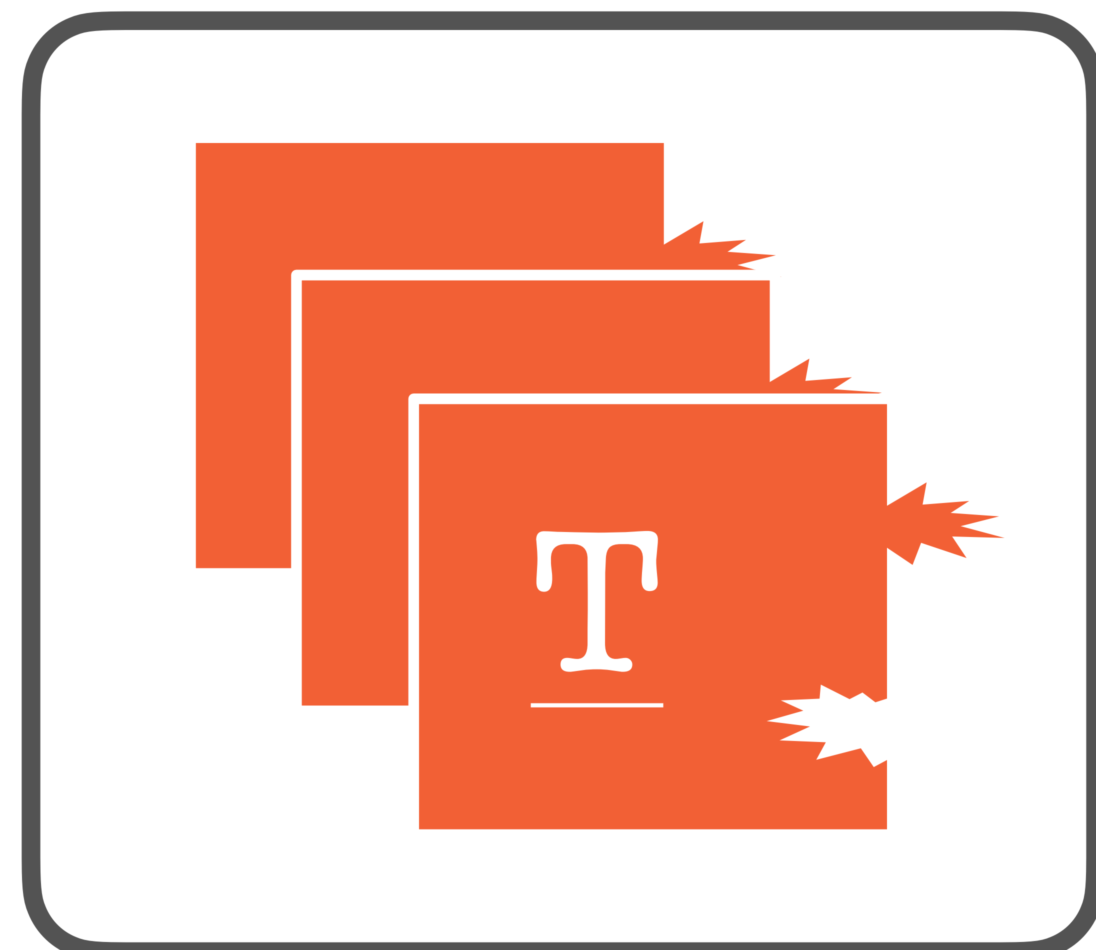

Is *Realized By* These Target Programs

$[\![\tau]\!] = \{ \underline{e} \mid \ldots \}$

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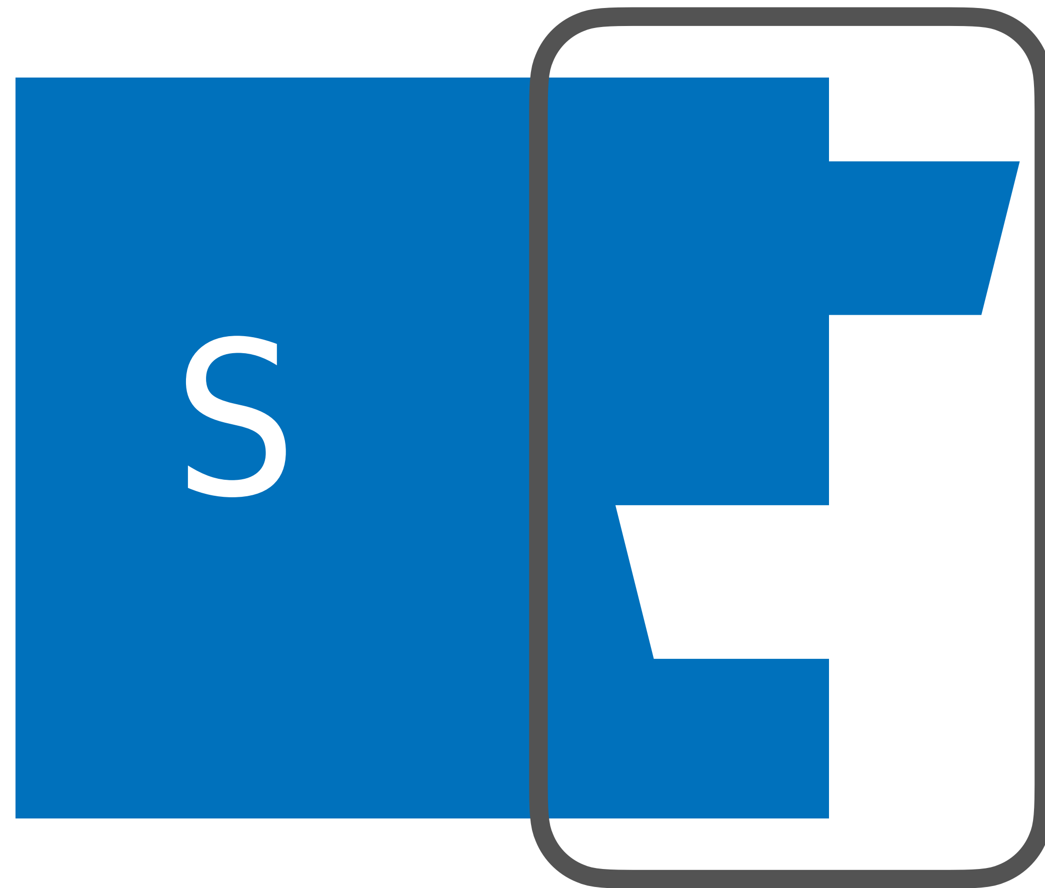

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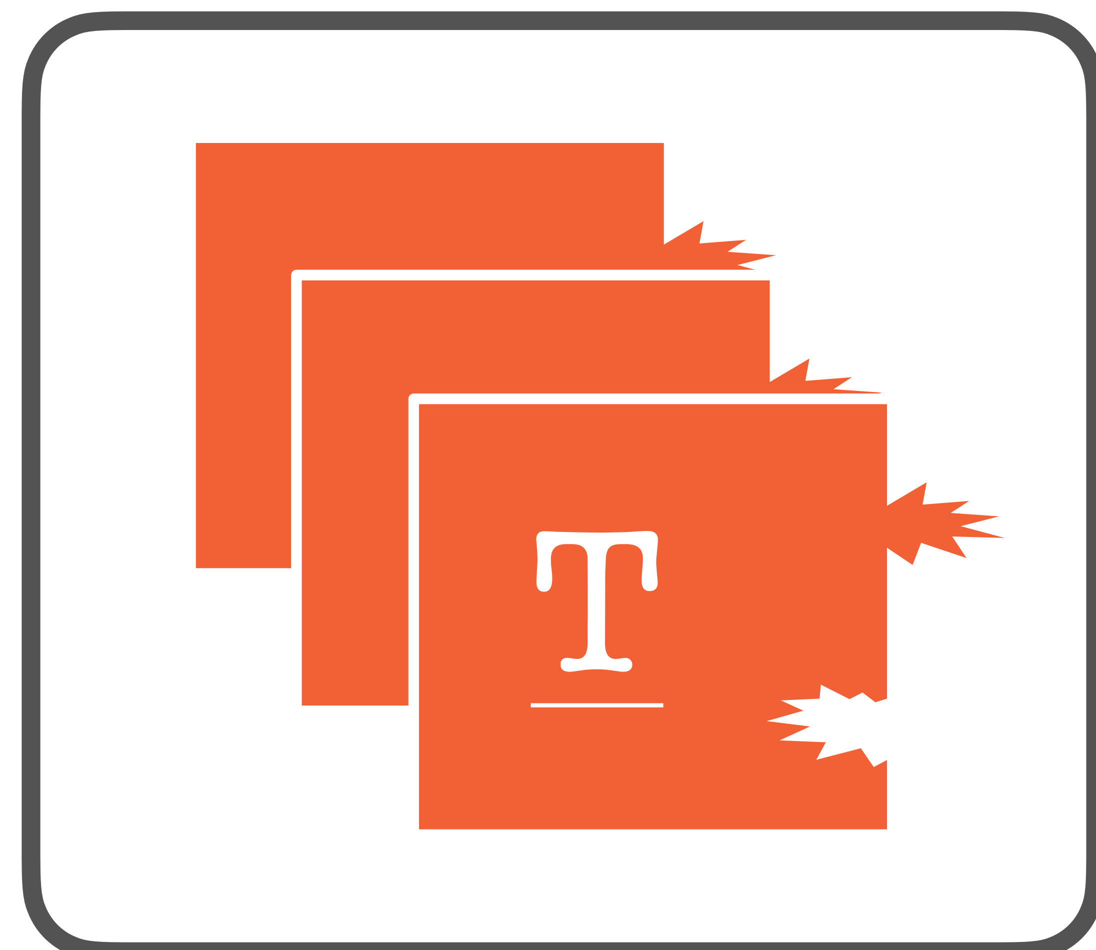

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Semantic Typing using *Realistic Realizability* [Benton06]

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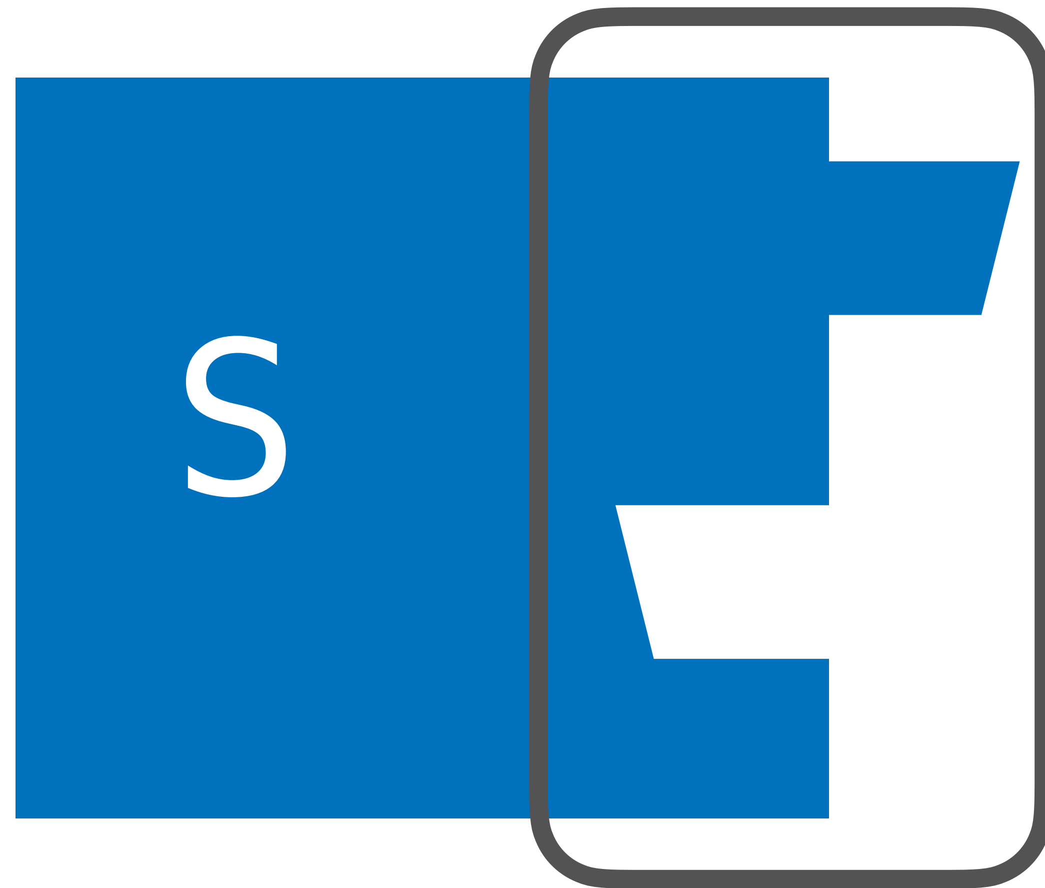

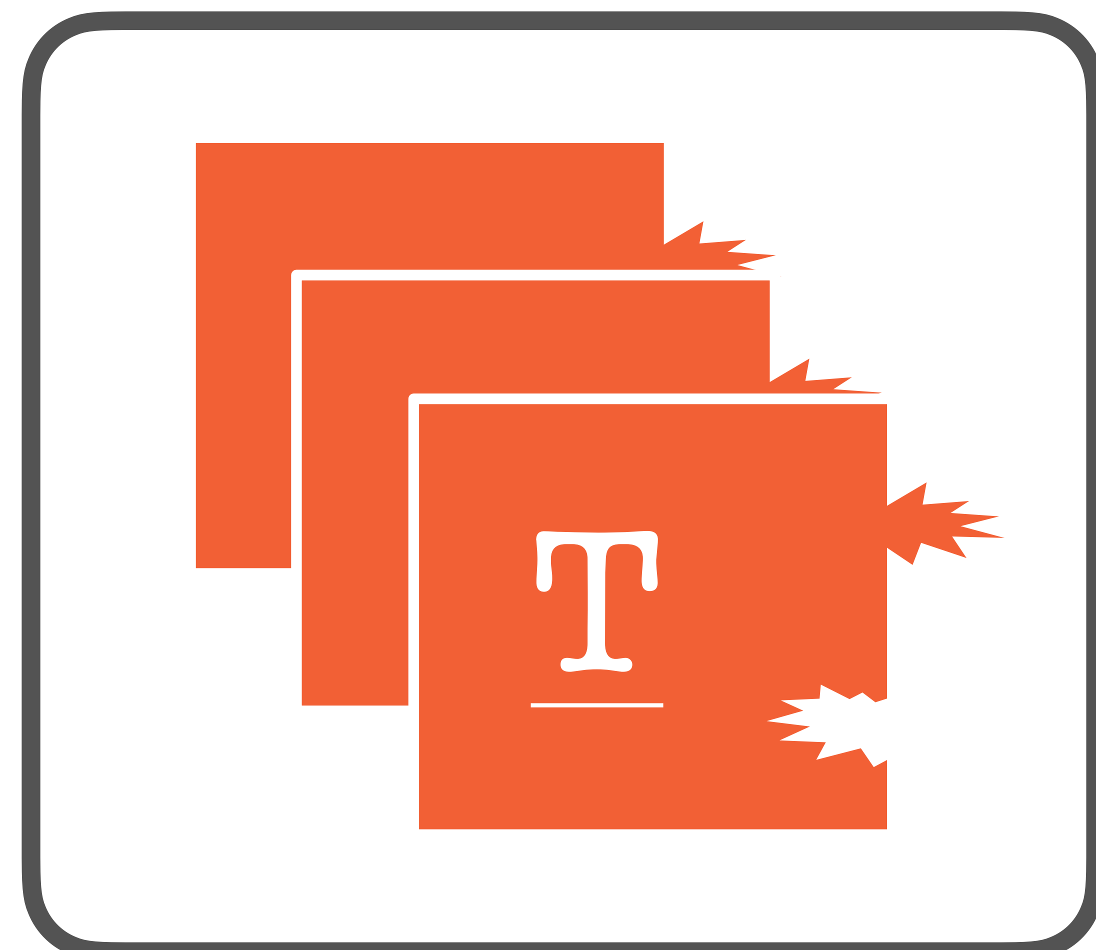

The run-time contract for using a particular API

This Type τ

Our Proposal

e is **ABI compliant** with τ if

$e \in [\![\tau]\!]$

Is *Realized By* These Target Programs

$[\![\tau]\!] = \{ e \mid \ldots \}$

Semantic Typing using *Realistic Realizability* [Benton06]

Case Study

- Functional Source Language
    - Recursive records and variants, higher-order recursive functions
- C-like Target
    - Block-based memory, pointer arithmetic
- Automatic Reference Counting (ARC) Implementation
    - Values are boxed and reference-counted
    - Separation logic abstractions for reasoning about RC

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Layout + Behavior

The run-time contract for using a particular type

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Layout + Behavior

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References: Layout

Location ℓ is a reference to an object that behaves like type T

$$\mathcal{R}[\![T]\!](\ell) \approx$$

Ref. Count

Object Data

ℓ	$\ell + 1$ ...
c	$\mathcal{O}[\![T]\!](\ell + 1)$

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Location ℓ is a reference to an object that behaves like type T

$$\mathcal{R}[\![\mathbb{Z}]\!](\ell) \approx$$

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ℓ	$\ell + 1 \ldots$
c	$\mathcal{O}[\![\mathbb{Z}]\!](\ell + 1)$

$$\mathcal{O}[\![\mathbb{Z}]\!](\ell + 1) = \exists\, n.\ \ell + 1 \mapsto n$$

More in Paper:
Unboxed types

References: Ownership + Sharing

$$\mathcal{R}[\![T]\!](\ell)$$

ℓ	$\ell + 1 \ldots$
c	$\mathcal{O}[\![T]\!](\ell + 1)$

References: Ownership + Sharing

Single reference represents one share of underlying object

$$\mathcal{R}[\![T]\!](\ell)$$

ℓ	ℓ **+ 1 ...**
≥ 1	$\mathcal{O}[\![T]\!](\ell + 1)$

References: Ownership + Sharing

Single reference represents one share of underlying object

$\mathcal{R}\llbracket T \rrbracket(\ell)$

ℓ	$\ell + 1 \ldots$
≥ 3	$\mathcal{O}\llbracket T \rrbracket(\ell + 1)$

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$\mathcal{R}[\![T]\!](\ell)$

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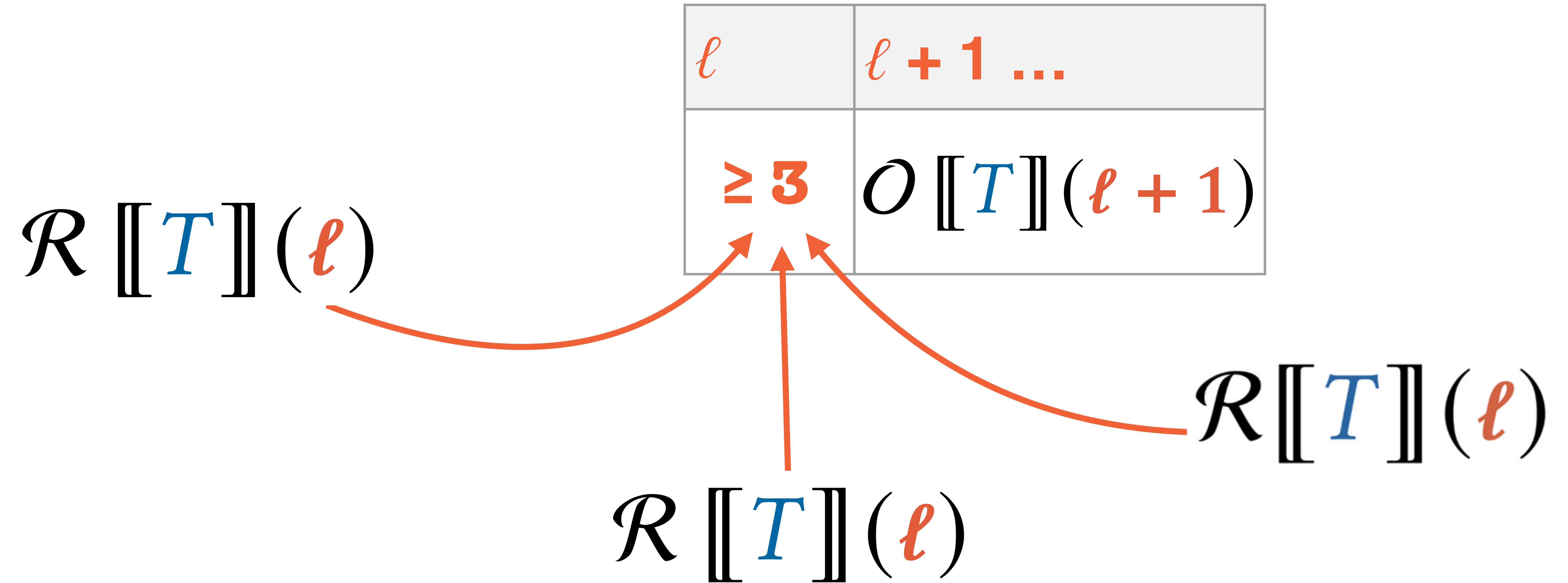
Reference confers permission to increment count & acquire more shares

RC-INCR

$$\left\{\mathcal{R}[\![T]\!](\ell)\right\} \; {+}{+}\ell \; \left\{n.\ \ulcorner n > 1 \urcorner \star \mathcal{R}[\![T]\!](\ell) \star \mathcal{R}[\![T]\!](\ell)\right\}$$

References: Ownership + Sharing



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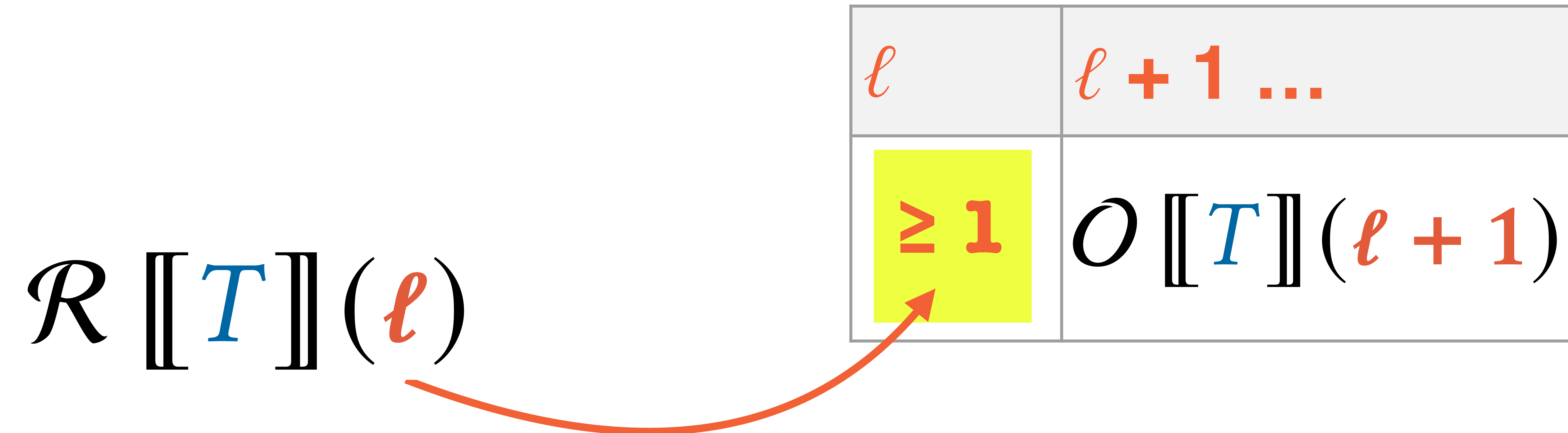

Reference confers permission to
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RC-DECR

$\left\{\mathcal{R}[\![T]\!](\ell)\right\} \; --\ell \; \left\{n. \qquad \right\}$

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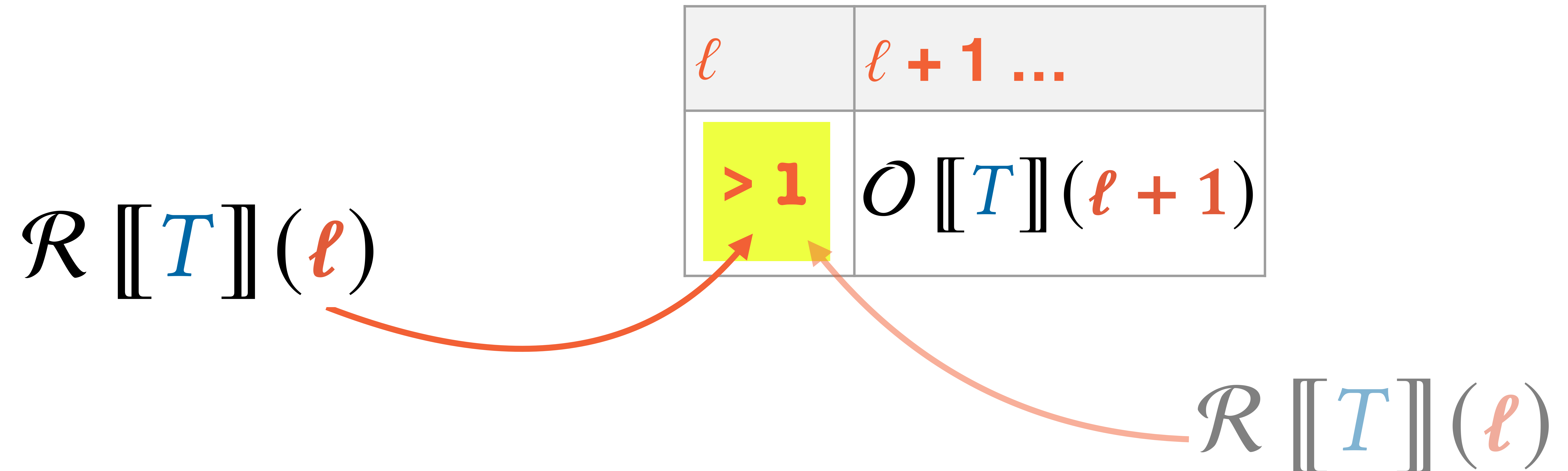

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RC-DECR

$$\{\mathcal{R}[\![T]\!](\ell)\} \; \text{--}_\ell \; \{n.\,(\ulcorner n > 0 \urcorner \wedge \mathsf{emp})\}$$

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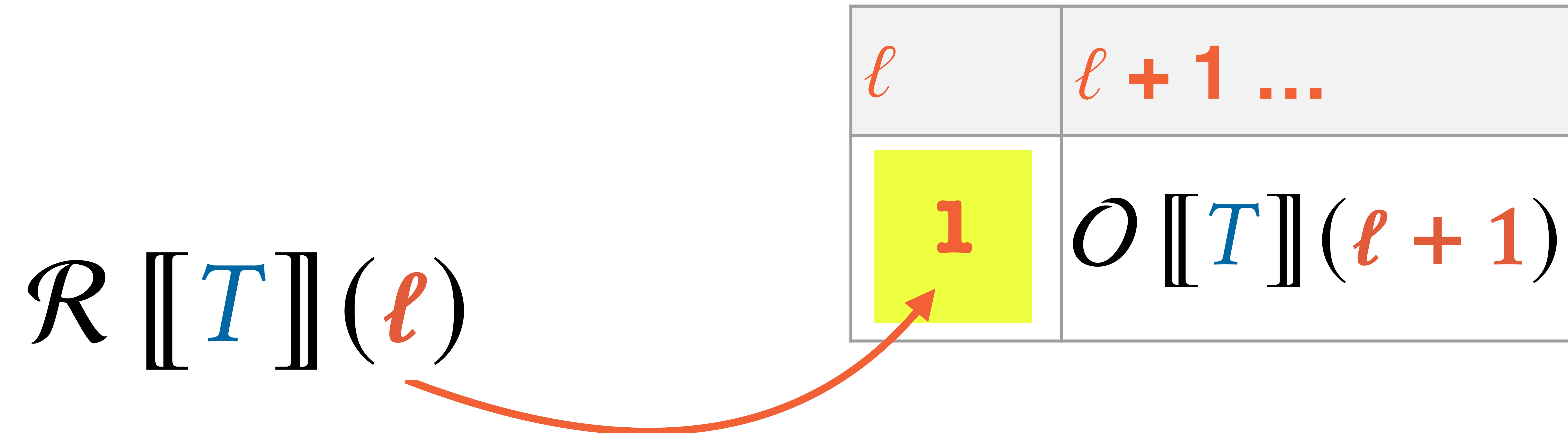

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References: Ownership + Sharing

ℓ	ℓ + 1 ...
0	$\mathcal{O}[\![T]\!](\ell+1)$

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RC-DECR

$$\left\{\mathcal{R}[\![T]\!](\ell)\right\} \;--\ell\; \left\{n.\left(\ulcorner n > 0 \urcorner \wedge \mathsf{emp}\right) \vee \left(\ulcorner n = 0 \urcorner \star \ell \mapsto 0 \star \mathcal{O}[\![T]\!](\ell+1)\right)\right\}$$

Calling Conventions

$$\mathcal{O}\llbracket T_1 \rightarrow T_2 \rrbracket(\ell) \triangleq \exists f.\, \ell \mapsto f \star$$

Pointer to function

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$$\mathcal{O}\,[\![T_1 \to T_2]\!](\ell) \triangleq \exists\, f.\ \ell \mapsto f \star$$
$$\forall\, \ell_1.\ \left\{\mathcal{R}\,[\![T_1]\!](\ell_1)\right\}\ f(\ell_1)\ \left\{\ell_2.\ \mathcal{R}\,[\![T_2]\!](\ell_2)\right\}$$

Pointer to function

Calling convention:
Caller increment

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$$\mathcal{O}\,[\![T_1 \rightarrow T_2]\!](\ell) \triangleq \exists\, f.\ \ell \mapsto f \star \forall\, \ell_1.\ \Big\{\mathcal{R}\,[\![T_1]\!](\ell_1)\Big\}\ f(\ell_1)\ \Big\{\ell_2.\ \mathcal{R}\,[\![T_2]\!](\ell_2)\Big\}$$

Pointer to function

Calling convention: Caller increment

vs.

$$\forall\, \ell_1.\ \Big\{\mathcal{R}\,[\![T_1]\!](\ell_1)\Big\}\ f(\ell_1)\ \Big\{\ell_2.\ \mathcal{R}\,[\![T_2]\!](\ell_2) \star \underbrace{\mathcal{R}\,[\![T_1]\!](\ell_1)}_{\text{Callee increment}}\Big\}$$

Calling Conventions

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Callee increment

More in Paper:
Recursive closures

Aggregate Layout

$$\mathcal{O}\,[\![\mathsf{struct\ Point}\ \{x : \mathbb{Z}, y : \mathbb{Z}\}]\!](\ell)$$

Aggregate Layout

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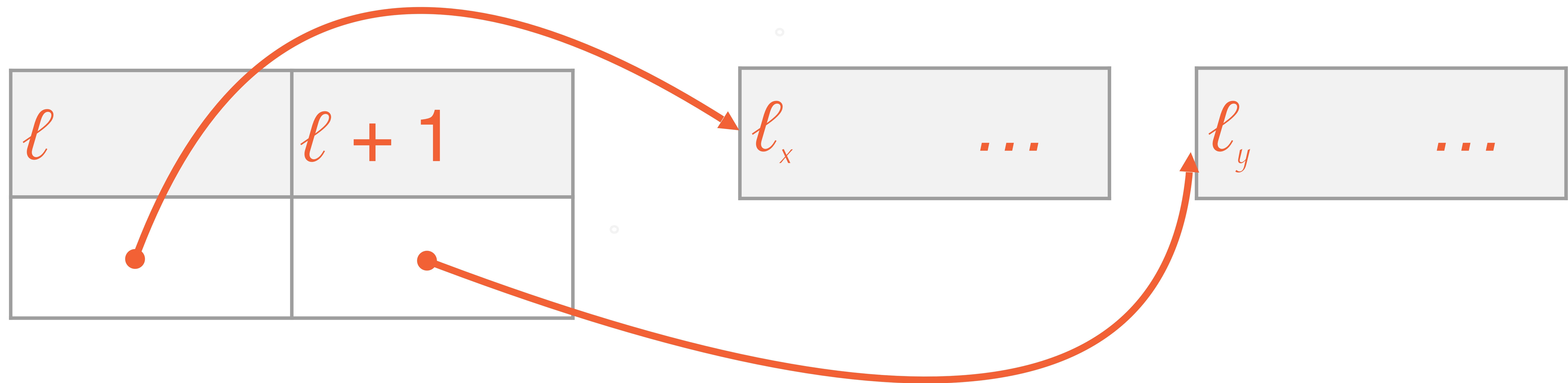
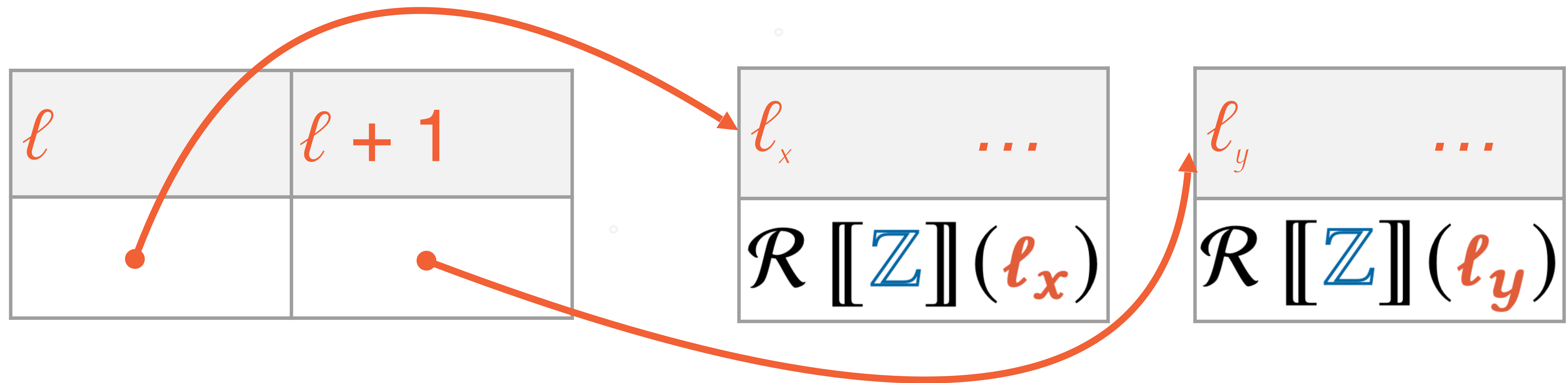


$\exists\ \ell_x, \ell_y.\ \ell \mapsto \ell_x \star \ell + 1 \mapsto \ell_y$

Physical footprint

Aggregate Layout

$\mathcal{O}\,[\![\text{struct Point}\ \{x : \mathbb{Z}, y : \mathbb{Z}\}]\!](\ell)$

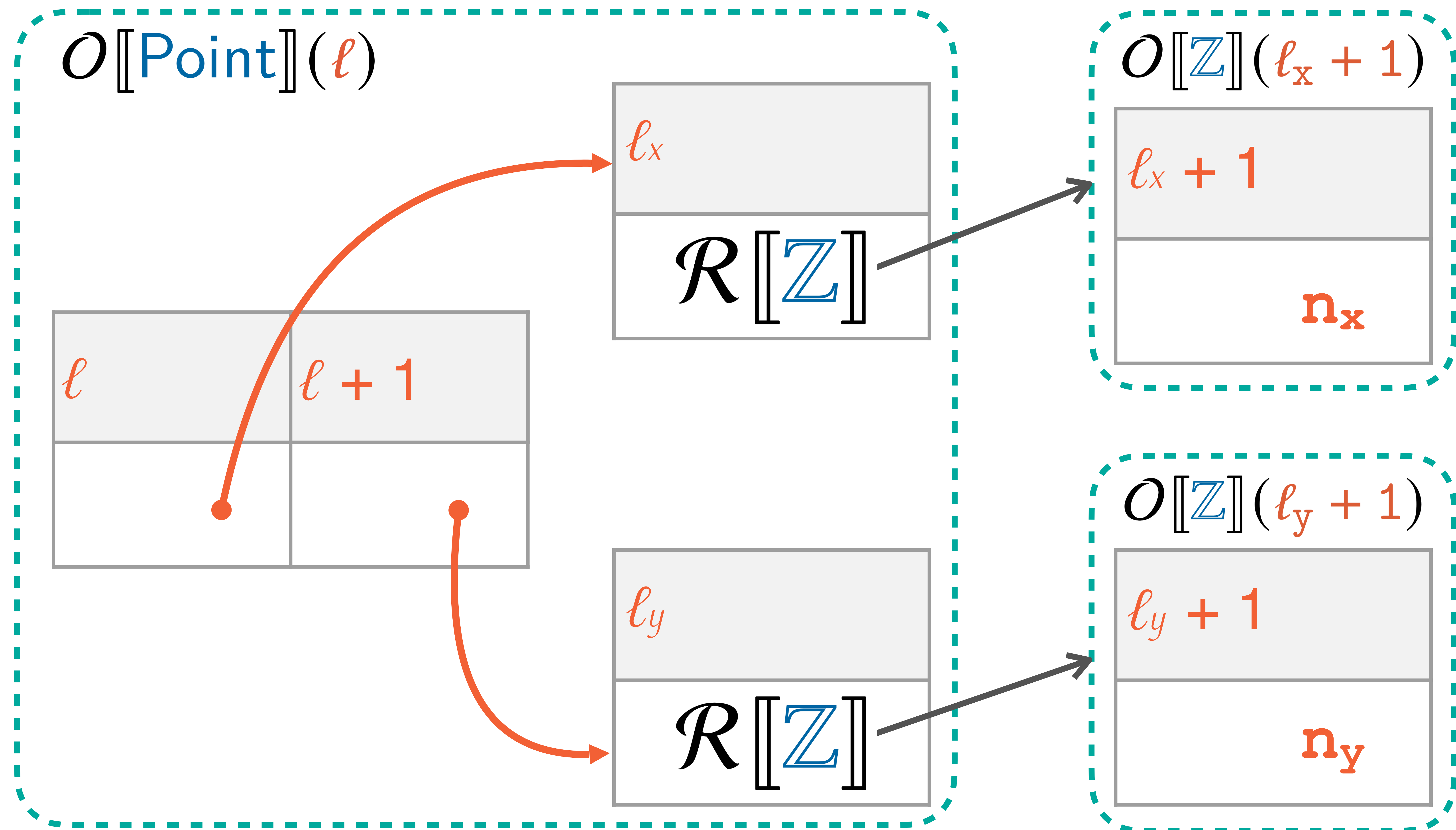


$$\exists\, \ell_x, \ell_y.\ \ell \mapsto \ell_x \star \ell + 1 \mapsto \ell_y \star \mathcal{R}\,[\![\mathbb{Z}]\!](\ell_x) \star \mathcal{R}\,[\![\mathbb{Z}]\!](\ell_y)$$

Physical footprint

Logical footprint includes permission to access fields

Resource Graphs



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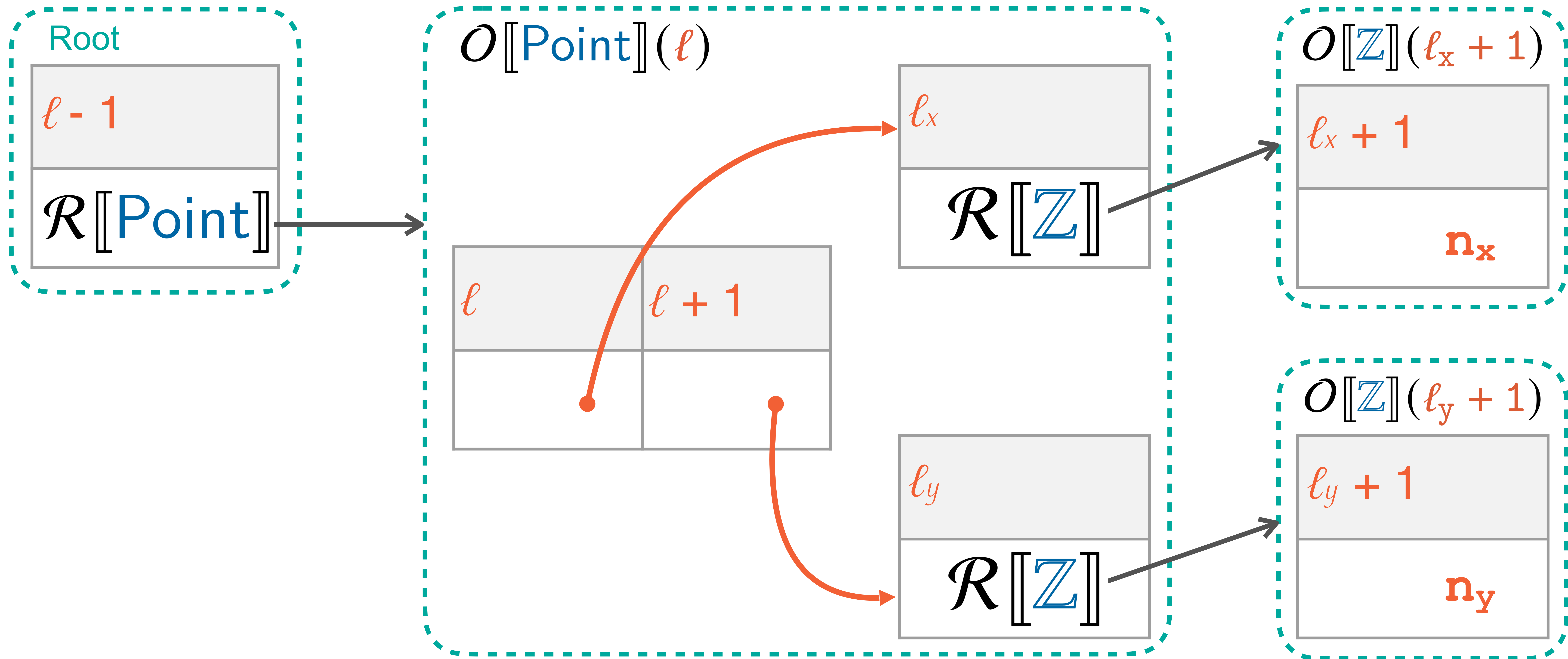

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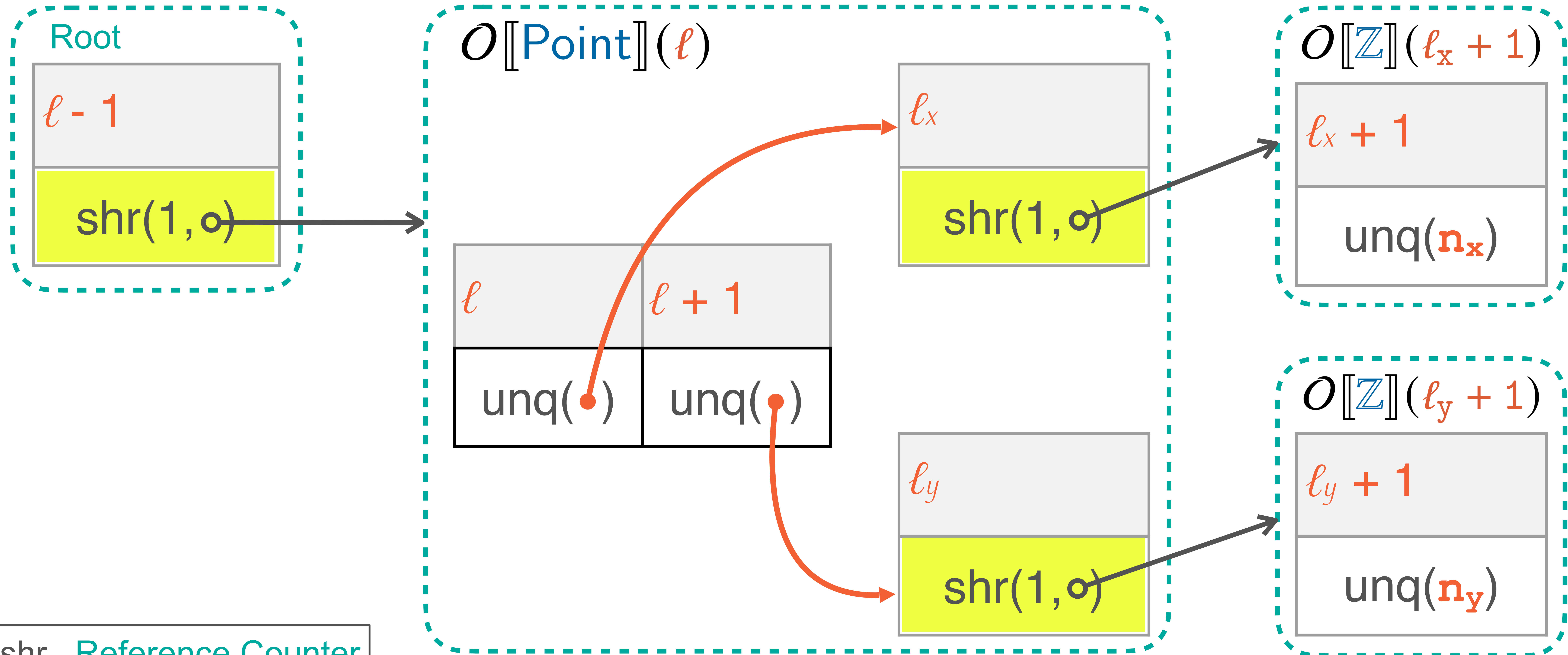
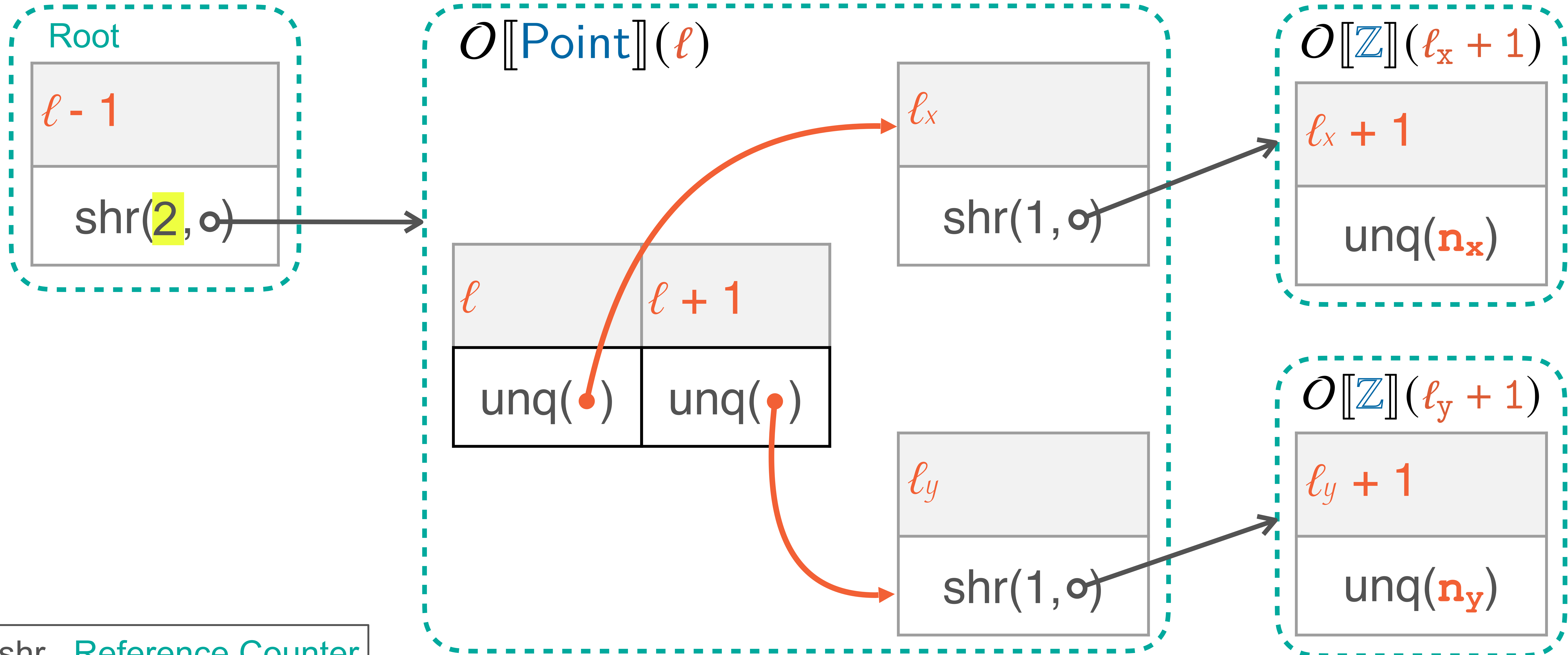


shr	Reference Counter
unq	Plain Old Data

Resource Graphs



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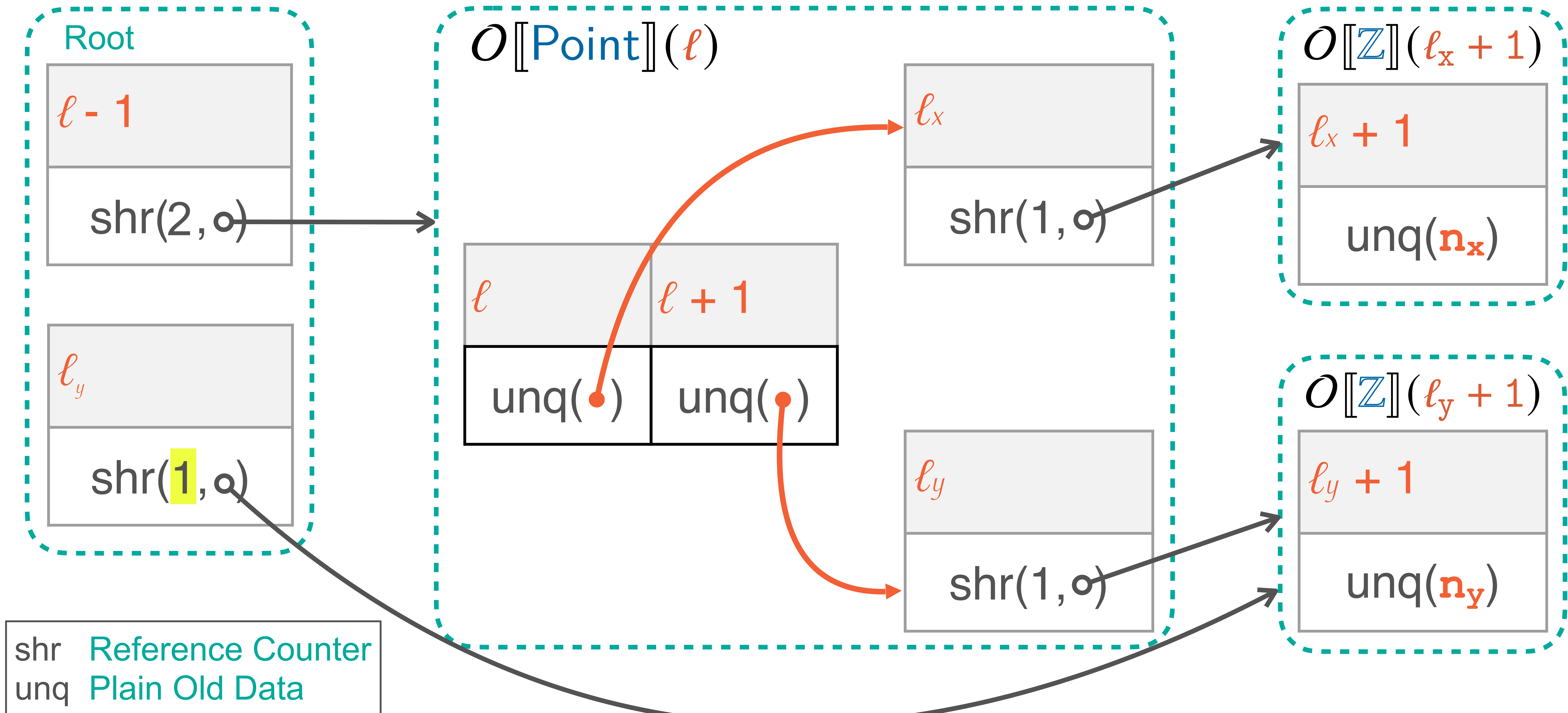

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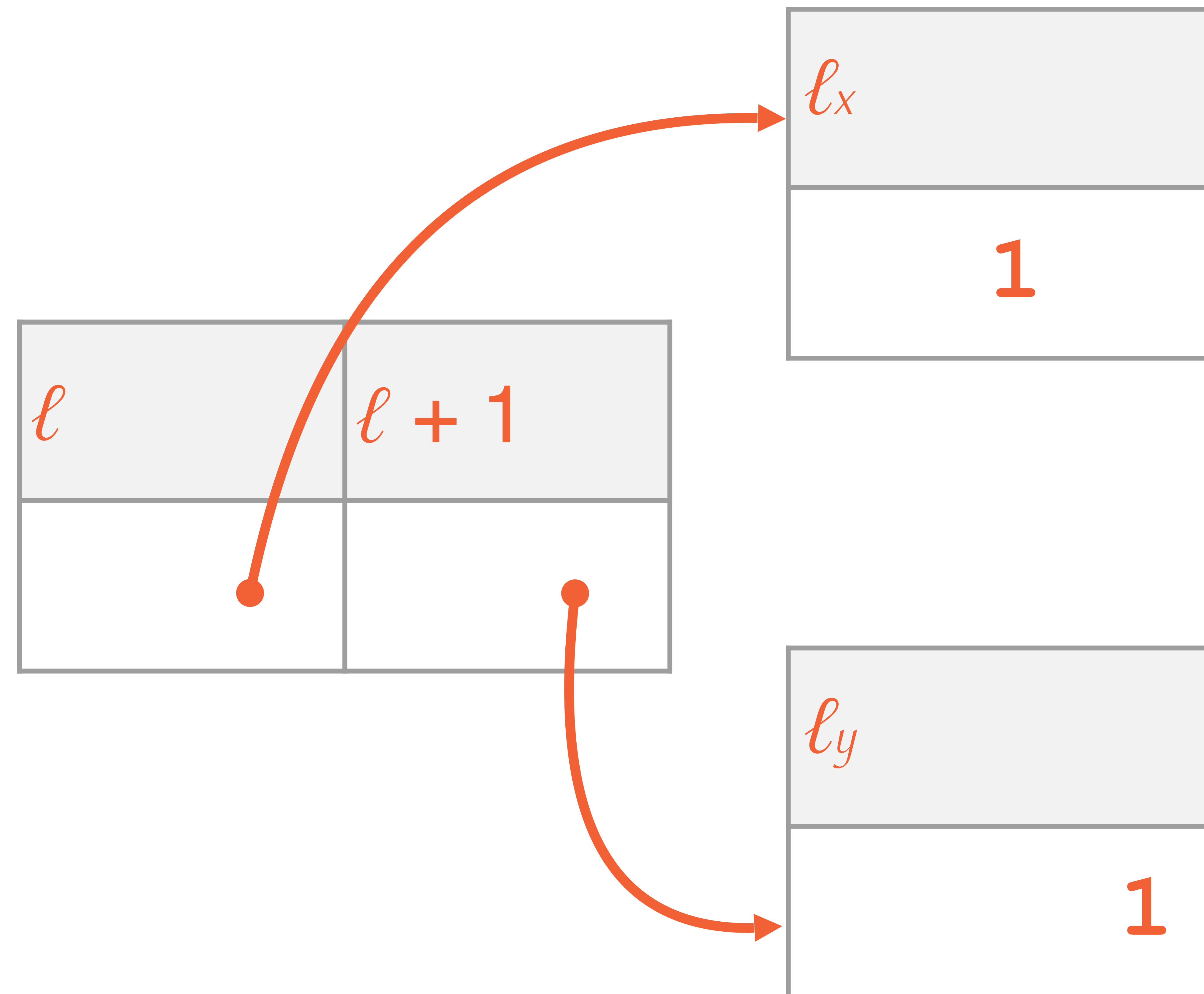

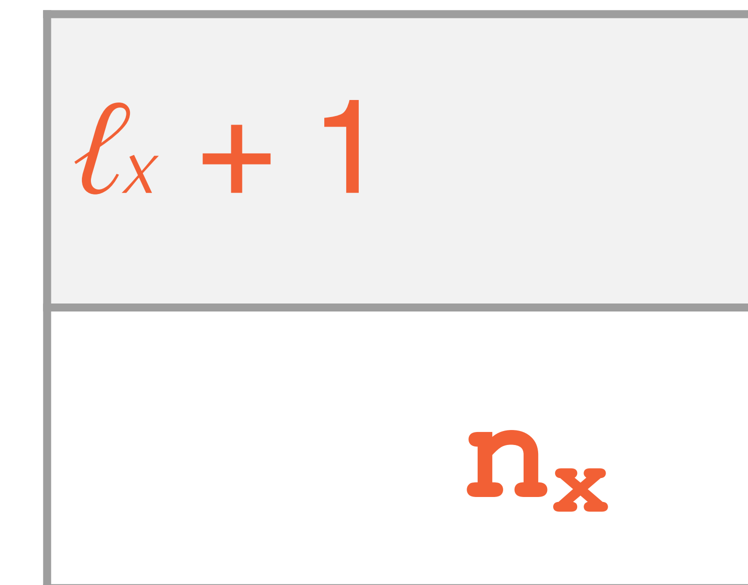

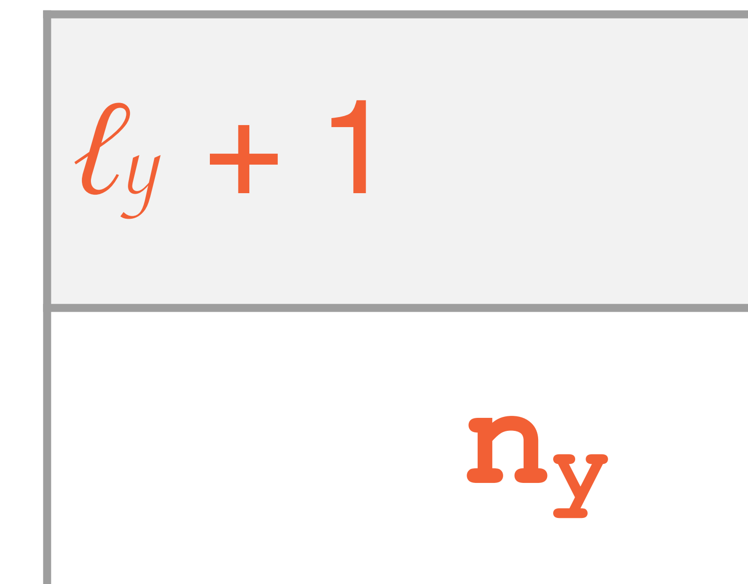

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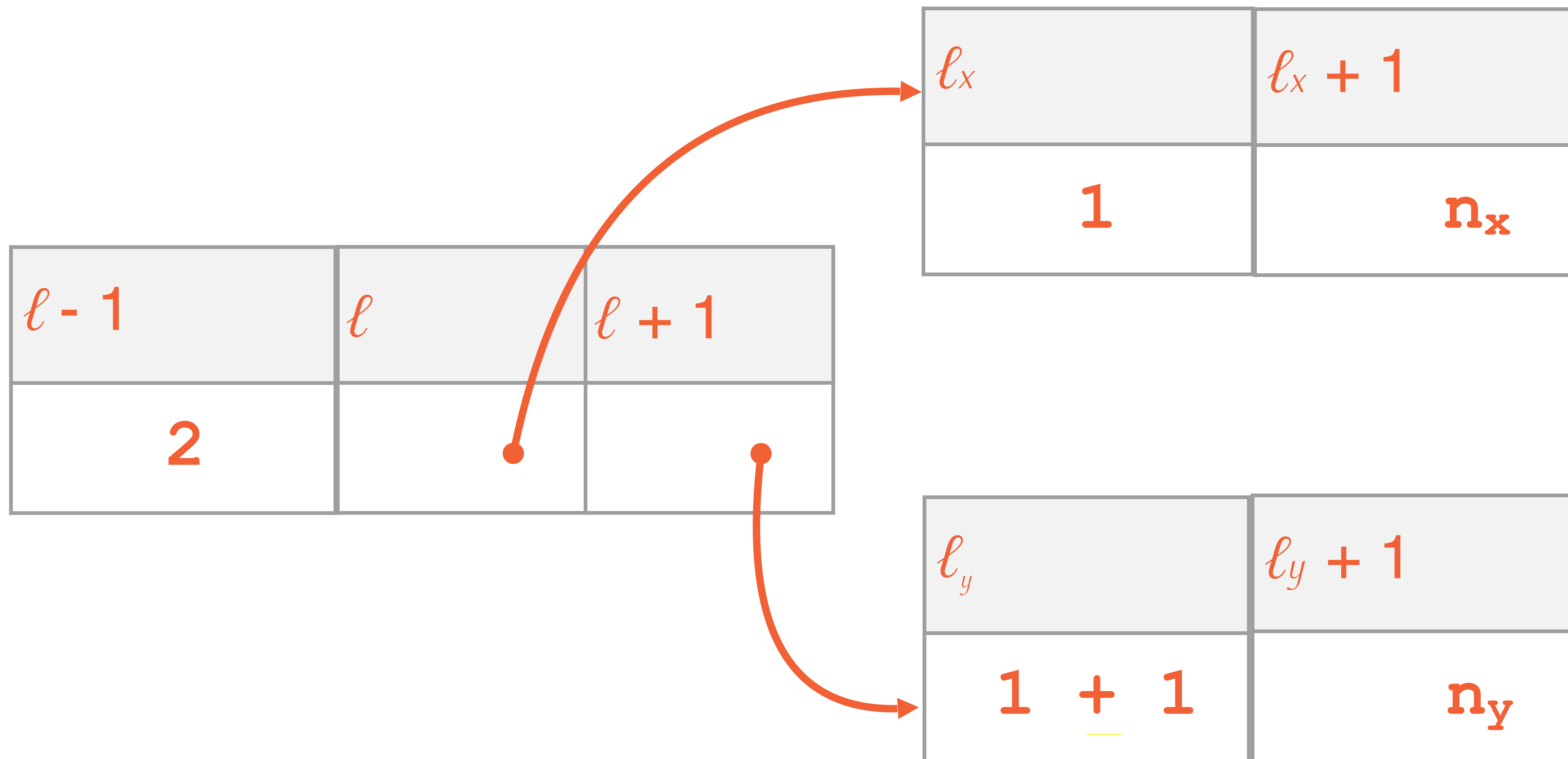
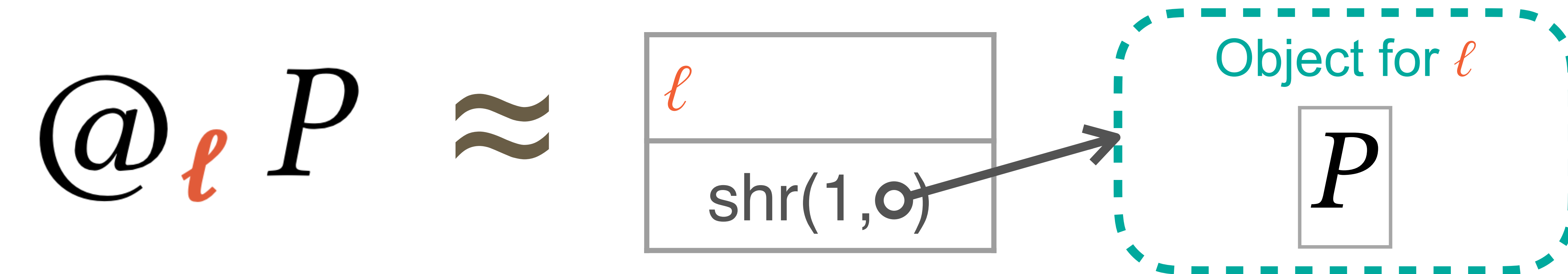


Modalities

Modalities

Jump Modality: It is possible to "jump" from ℓ to an object that satisfies P



Modalities

Jump Modality: It is possible to "jump" from ℓ to an object that satisfies P

Composition sums counters at the root, not in objects

Modalities

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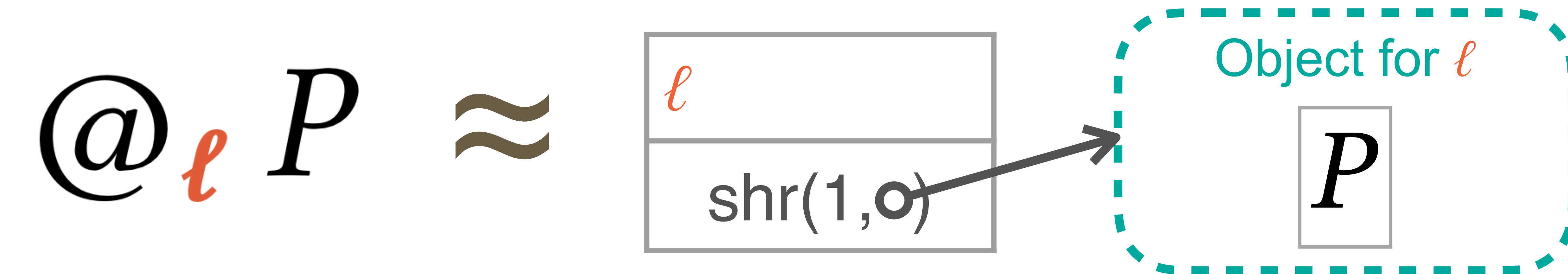

$$\mathcal{R}⟦T⟧(\ell) \triangleq @_{\ell}\, \mathcal{O}⟦T⟧(\ell + 1)$$

Modalities

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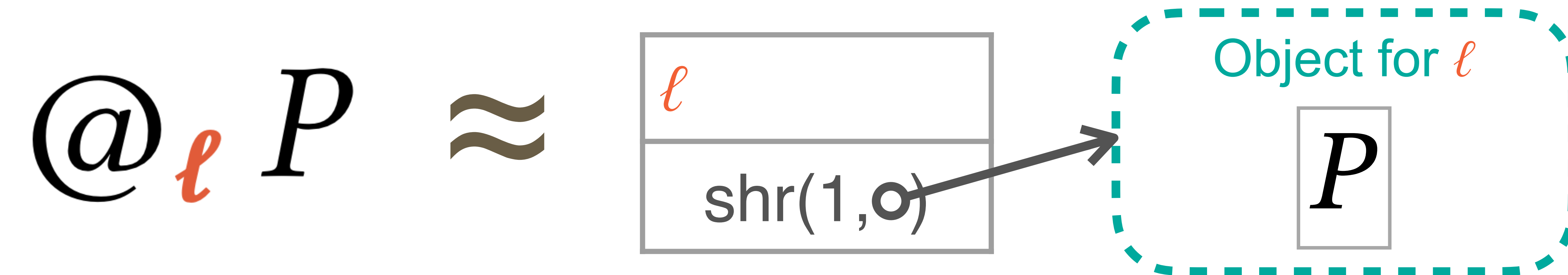

$$\mathcal{R}[\![T]\!](\ell) \triangleq @_\ell\, \mathcal{O}[\![T]\!](\ell + 1)$$

Reachability Modality $\diamond P$ **:** It is possible to reach P via some set of jumps

Allows reading and incrementing from deeply nested objects

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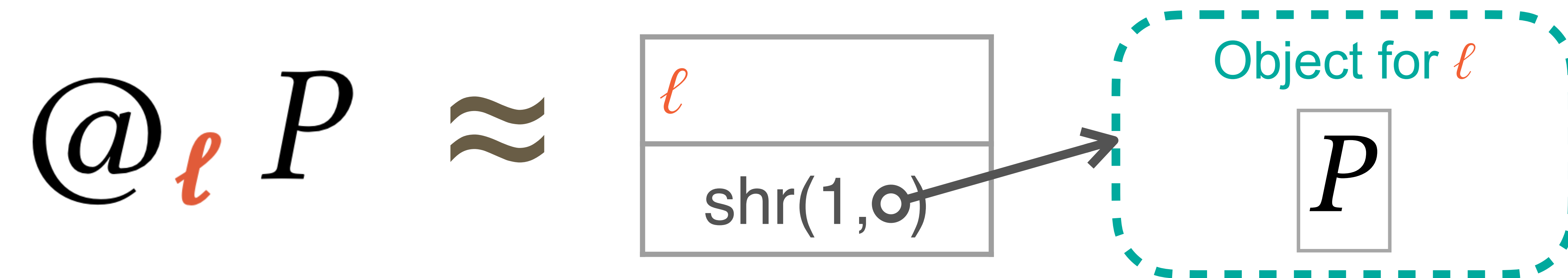

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@-INCR

$$\frac{}{\{ @_\ell P \} \; {++}\ell \; \{ n. \ulcorner n > 1 \urcorner \star @_\ell P \star @_\ell P \}}$$

Modalities

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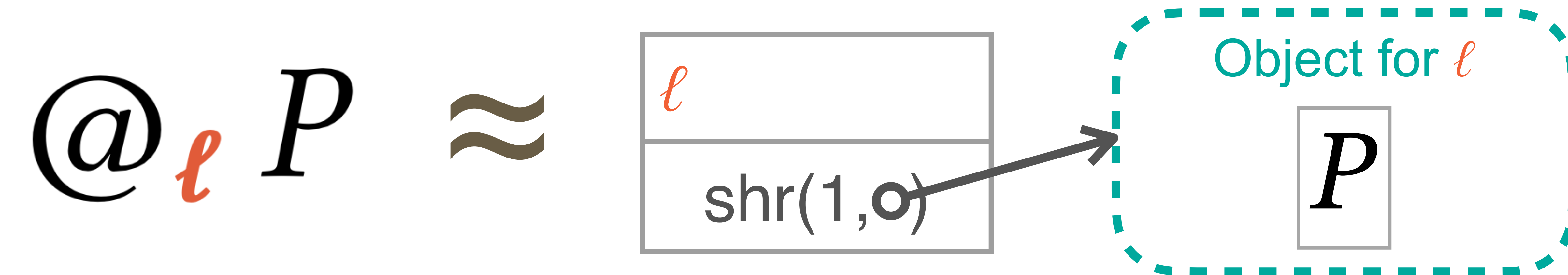

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Allows reading and incrementing from deeply nested objects

@-INCR-$\diamond$

$$\frac{Q \vdash \diamond @_\ell P}{\{\ Q\ \}\ {+}{+}\ell\ \{n.\ \ulcorner n > 1 \urcorner \star\ Q\ \star @_\ell P\}}$$

Rigid Layout

$$\mathcal{O}\llbracket \text{struct Point}\ \{x : \mathbb{Z}, y : \mathbb{Z}\} \rrbracket(\ell)$$
$$= \exists\, \ell_x, \ell_y.\ \ell \mapsto \ell_x \star \ell + 1 \mapsto \ell_y \star \mathcal{R}\llbracket \mathbb{Z} \rrbracket(\ell_x) \star \mathcal{R}\llbracket \mathbb{Z} \rrbracket(\ell_y)$$

Like C ABI

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Like C ABI

No reordering

$$\mathsf{struct\ Point}\ \{x : \mathbb{Z}, y : \mathbb{Z}\} \overset{\mathsf{upd}}{\not\Rightarrow} \mathsf{struct\ Point}\ \{y : \mathbb{Z}, x : \mathbb{Z}\}$$

Rigid Layout

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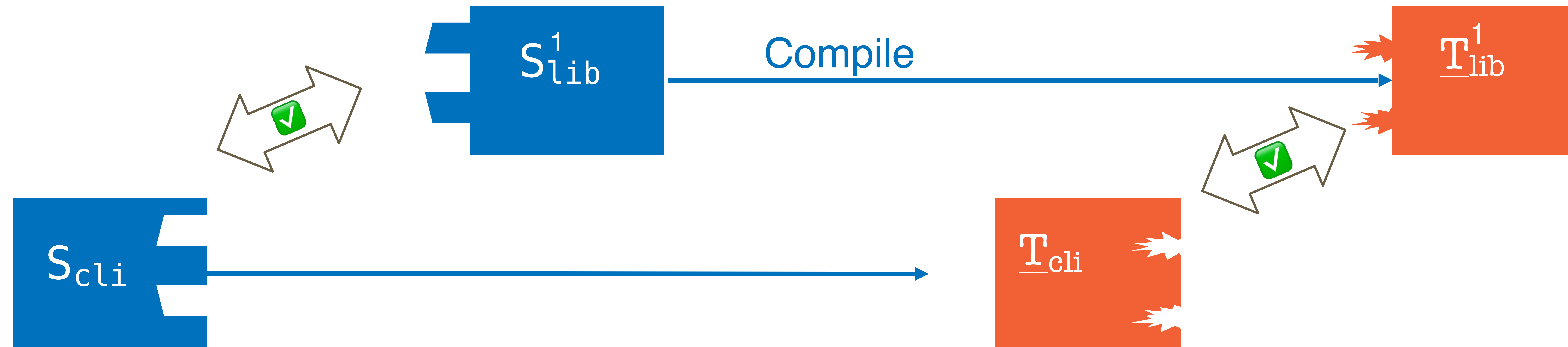
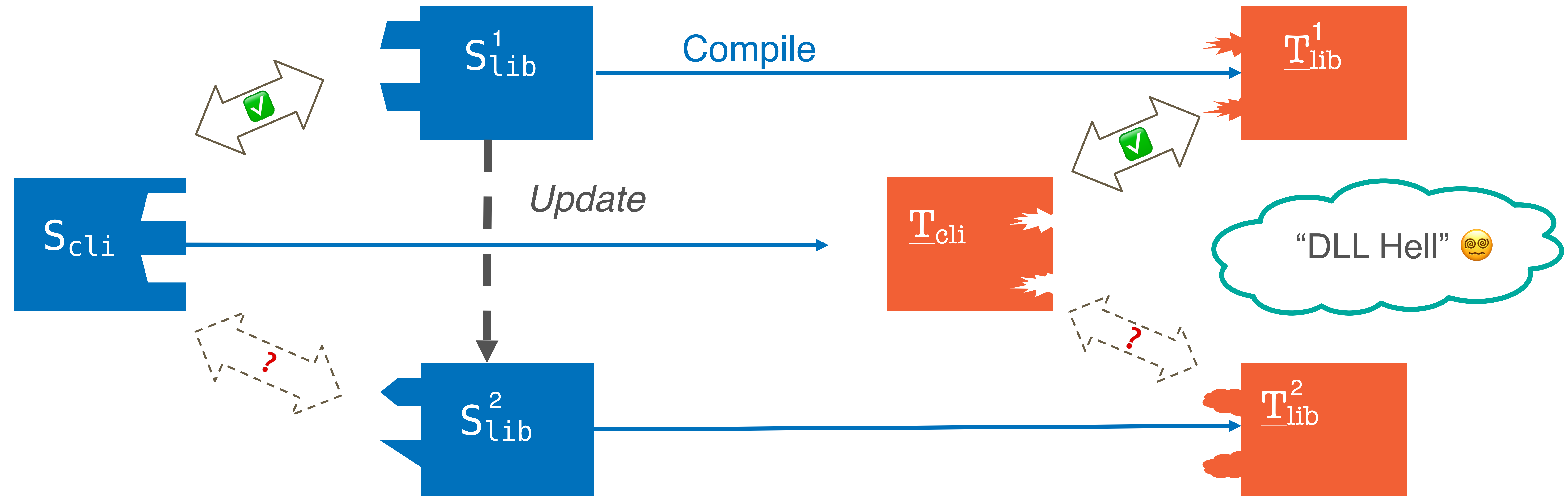
No extensibility

$$\text{struct Point}\,\{x : \mathbb{Z}, y : \mathbb{Z}\} \overset{\text{upd}}{\nRightarrow} \text{struct Point}\,\{x : \mathbb{Z}, y : \mathbb{Z}, z : \mathbb{Z}\}$$

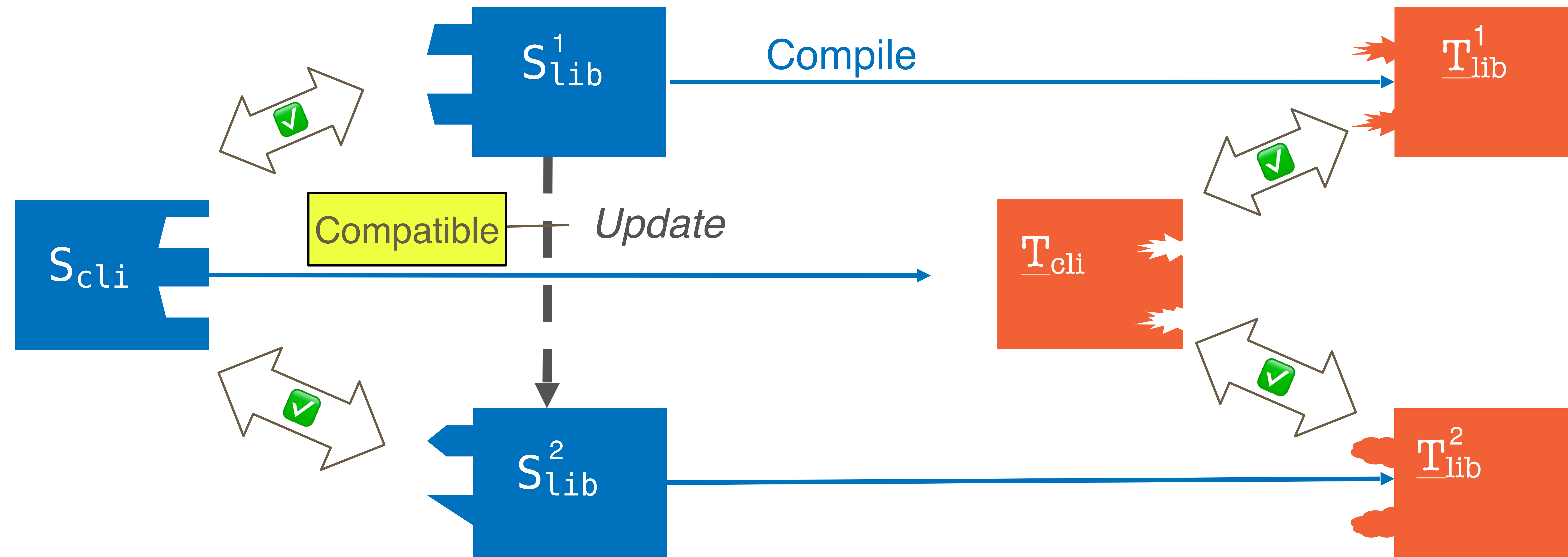
Library Evolution



Library Evolution



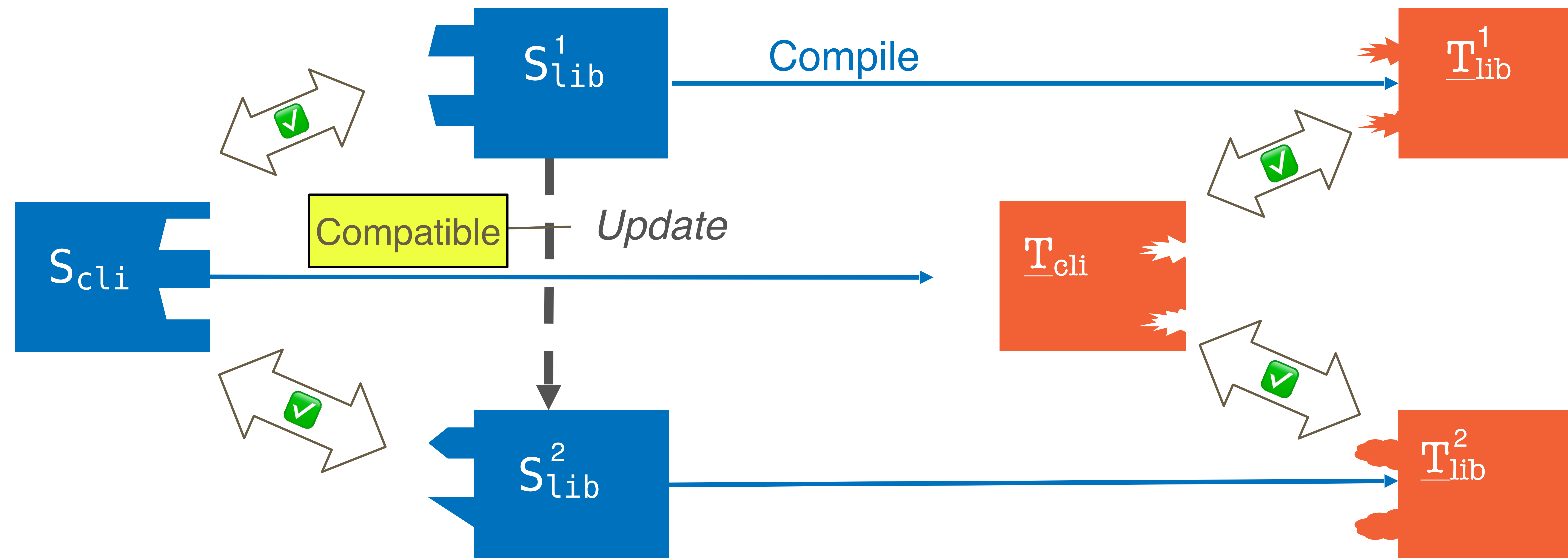
Library Evolution

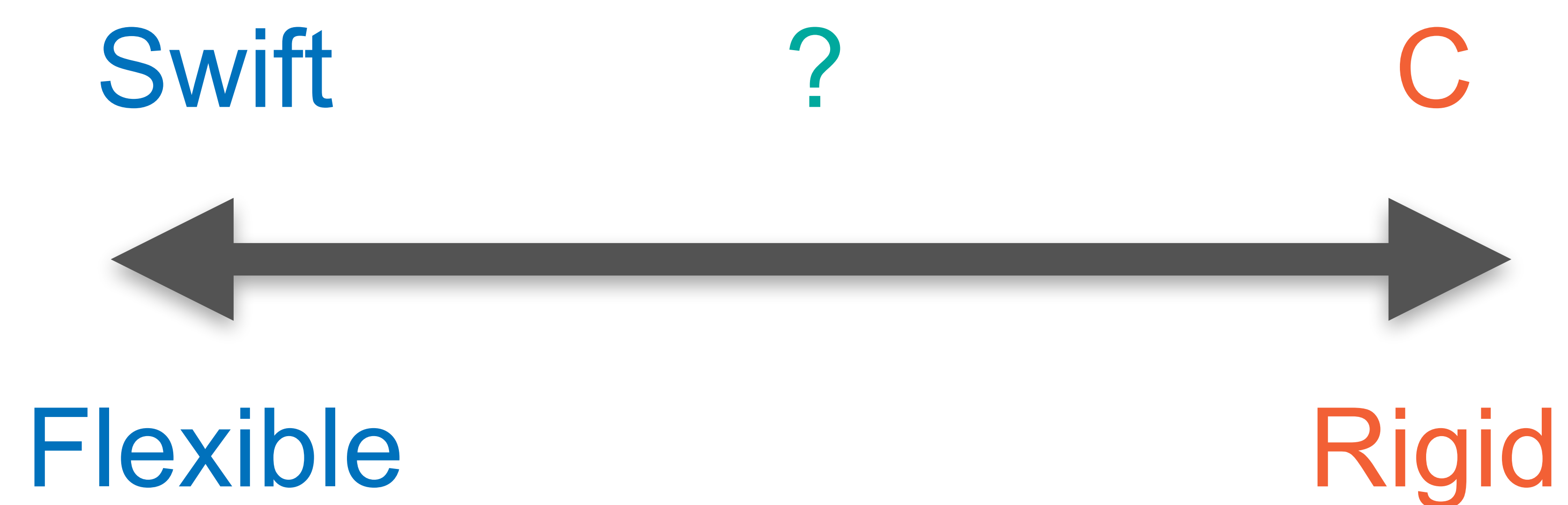


τ_2 is an **ABI compatible update** from τ_1 if

$$[\![\tau_2]\!] \subseteq [\![\tau_1]\!]$$

Library Evolution





τ_2 is an **ABI compatible update** from τ_1 if

$$[\![\tau_2]\!] \subseteq [\![\tau_1]\!]$$

Resilient Layout

Like Swift ABI

Resilient Layout

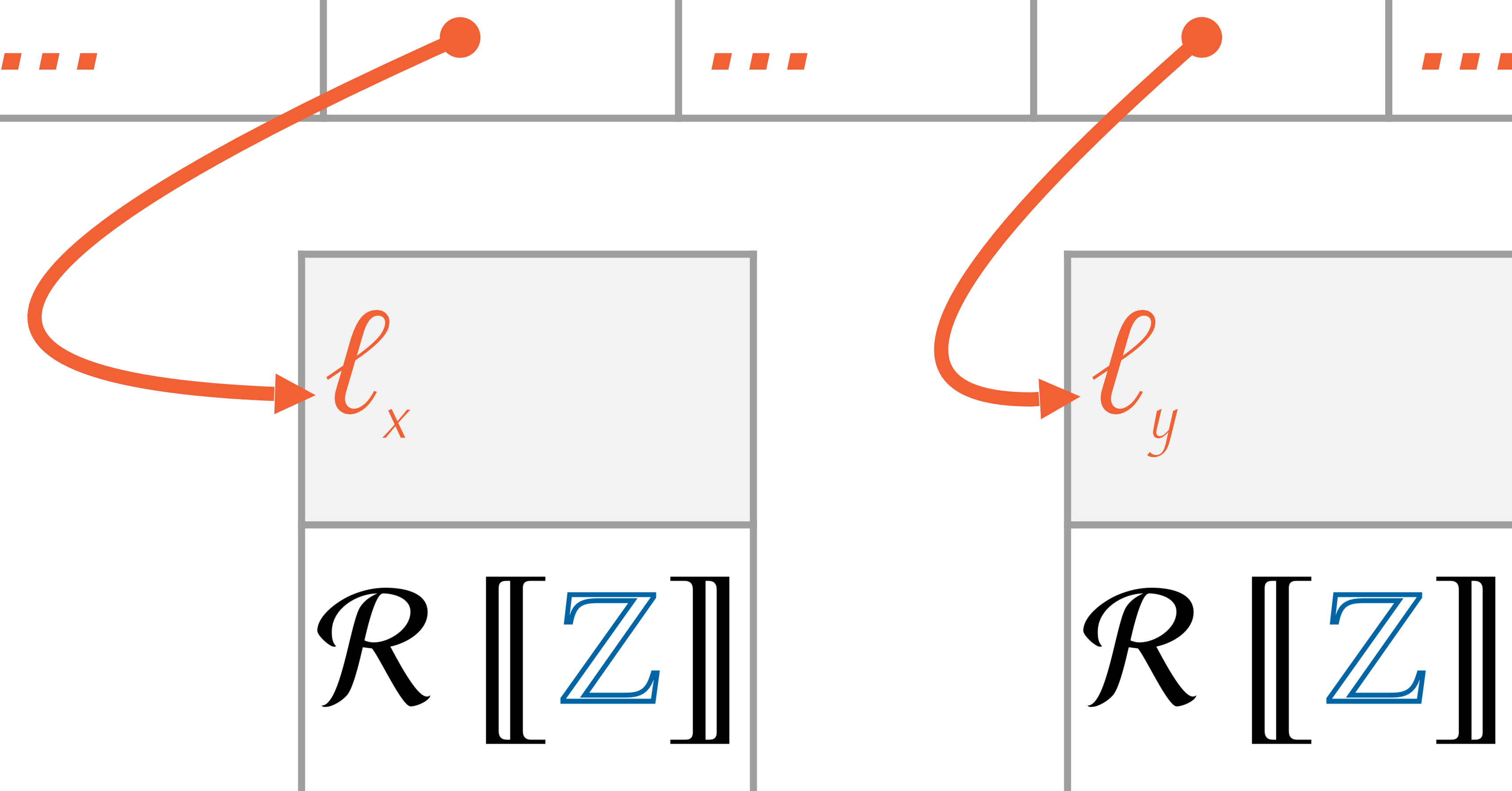
Like Swift ABI

Client Using `Point`

…	O_x	…	O_y	…
	?		?	

Offset Table

…	$\ell + O_x$	…	$\ell + O_y$	…
…		…		…



Resilient Layout

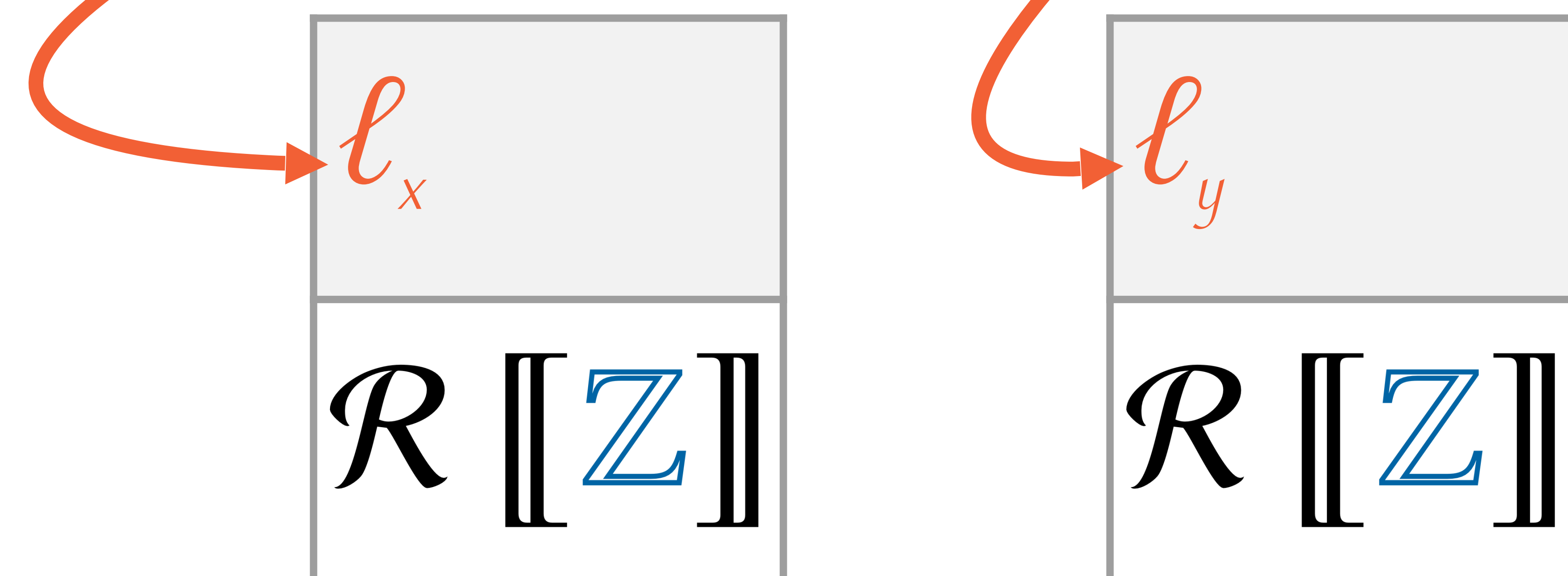
Like Swift ABI

Client Using `Point`

...	o_x	...	o_y	...
	?		?	

Offset Table

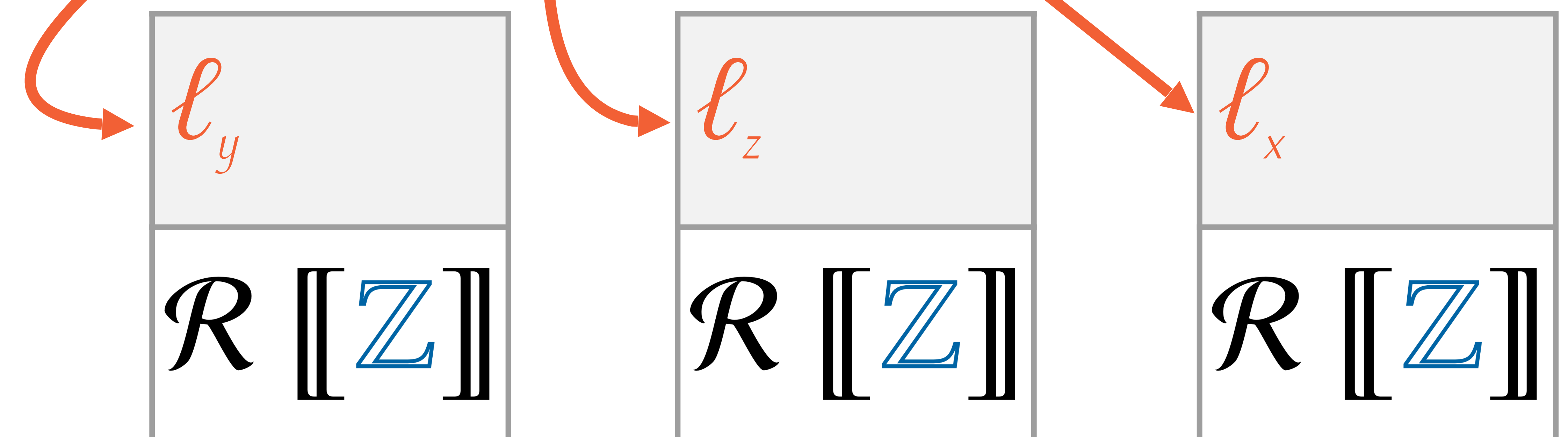
...	$\ell + o_x$	...	$\ell + o_y$	...
...		...		...



Library Providing `Point`

o_x	o_y	o_z
2	0	1

ℓ	$\ell + 1$	$\ell + 2$



More in the Paper

- Variations: Unboxed types, calling conventions, layout optimizations
- Theorems: Safety & memory reclamation, compiler compliance, type evolution

Next Steps

- Ongoing: `Rust`-like ABI over **`Wasm`** with ownership and borrowing
- Application: Verified FFI

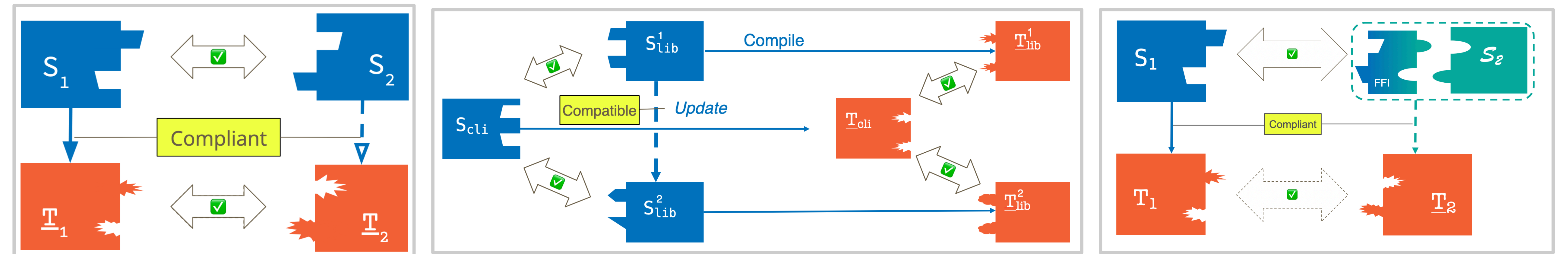
Takeaways

The Methodology

ABI Spec with Realistic Realizability

$e \in [\![\tau]\!]$

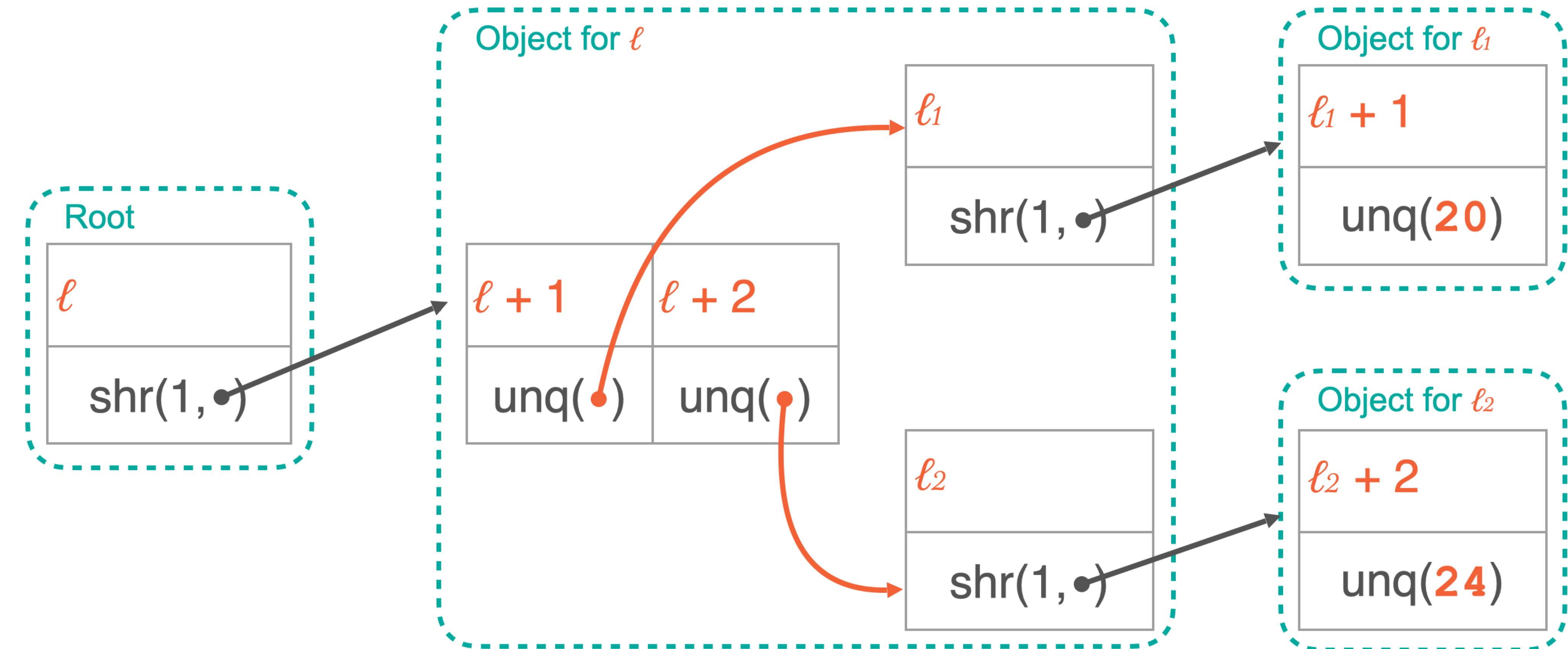
Compiler Compliance, Library Evolution, FFI Safety*



The Case Study

Graph-Based Resources for RC

$@_\ell P \quad \diamond P$



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